Overview on UPC and perspectives in LHC Run 3 and 4

Charlotte Van Hulse

Heavy-ion meeting 10 December 2020



large-impact-parameter interactions



RB

large-impact-parameter interactions

hadronic interactions strongly suppressed

instead: electromagnetic interactions

 $b > R_A + R_B$

RB

RA

large-impact-parameter interactions

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instead: electromagnetic interactions

b>R_A+R_B



RA

large-impact-parameter interactions

hadronic interactions strongly suppressed

instead: electromagnetic interactions

tions uppressed ctions b>R_A+R_B

photon flux $\propto Z^2$





 k_2

 k_1





exclusive continuous dilepton production

3



exclusive continuous dilepton production

light-by-light scattering

Wigner distributions $W(x, \vec{k}_T, \vec{b}_{\perp})$







 $\int d^2 \vec{b}_{\perp}$ transverse-momentum dependent PDFs (TMDs)

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Wigner distributions $W(x, \vec{k}_T, \vec{b}_\perp)$

 xP_z

 P_z

impact-parameter dependent distributions

 $d^2 \vec{k}_T$

PRD 92 ('00) 071503 Int. J. Mod Phys. A 18 ('03) 173 Generalised parton distributions (GPDs)



 b_{\perp}

 $\int d^2 \vec{b}_{\perp}$ transverse-momentum dependent PDFs (TMDs)

Wigner distributions $W(x, \vec{k}_T, \vec{b}_\perp)$

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 $\begin{array}{c} P_z \\ \bullet \end{array} \quad \begin{array}{c} \text{impact-parameter} \\ \text{dependent distributions} \end{array}$

 $d^2 \vec{k}_T$

PRD 92 ('00) 071503 Int. J. Mod Phys. A 18 ('03) 173 Generalised parton distributions (GPDs)



 b_{\perp}





Pb

Pb

Pb

Pb Pb



Pb











Access to nuclear PDFs at low x_B , through photon-gluon fusion

 \rightarrow constrain nuclear PBFs, where uncertainties are large



- Access to nuclear PDFs at low x_B , through photon-gluon fusion ¹⁵
 - \rightarrow constrain nuclear PBFs, where uncertainties are large
 - \rightarrow access region of nuclear shadowing





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direct photon

resolved photon

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- measurement:
 - ATLAS preliminary: ATLAS-CONF-2017-011 ullet

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 - ATLAS preliminary: ATLAS-CONF-2017-011 \bullet





ATLAS measurement

- PbPb at $\sqrt{s_{NN}} = 5.02 \text{ TeV}; \ \mathcal{L}=0.38 \text{ nb}^{-1}$
- at least 2 jets
- pT,leading jet > 20 GeV; pT,subleading jet > 15 GeV
- |η_{jet}|<4.4
- H_T>40 GeV; M_J>35 GeV
- # neutrons in ZDCs: 0nXn
- $\Sigma\Delta\eta$ >2 in 0n (photon) direction; $\Sigma\Delta\eta$ <3 in Xn (break-up) direction

$$H_T = \sum_{jet} p_{T,jet} \xrightarrow{2 \to 2} 2\mathbf{Q}$$
$$M_J = \sqrt{\left(\sum_{jet} E_{jet}\right)^2 - \left|\sum_{jet} \vec{p}_{jet}\right|^2}$$



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V V jet



jet

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ATLAS measurement: results



$$y_J = \frac{1}{2} \ln \left(\frac{\sum_{j \in t} E_{j \in t} + \sum_{j \in t} p_{z,j \in t}}{\sum_{j \in t} E_{j \in t} - \sum_{j \in t} p_{z,j \in t}} \right)$$
$$x_A = \frac{M_J}{\sqrt{s}} e^{-y_J} \xrightarrow{2 \to 2} \text{ parton energy}$$







Exclusive dijets in photoproduction

Gluons, small x



Y. Hatta et al., 116 (2016) 202301 Y. Hagiwara et al., PRD 95 (2017) 114032

• recoil proton momentum

$$\vec{\Delta}_{\perp} = -(\vec{k}_{1\perp} + \vec{k}_{2\perp})$$

- relatif dijet momentum $\vec{P}_{\!\perp} = \frac{1}{2} (\vec{k}_{1 \perp} \vec{k}_{2 \perp})$
- back-to-back jets

 $P_{\perp} \gg \Delta_{\perp}$

 Q^2 small: $k_\perp \sim P_\perp$



Exclusive dijets in photoproduction

Gluons, small x



small x

 $W^{DP}(x,\vec{k}_{\perp},\vec{b}_{\perp}) = W^{DP}_0(x,k_{\perp},b_{\perp}) + 2W^{DP}_1(x,k_{\perp},b_{\perp})\cos 2(\phi_{k_{\perp}}-\phi_{b_{\perp}}) + \dots$

•. Here \vec{p}_{1} all \vec{p}_{1} and \vec{p}_{2} and \vec{p}_{3} and \vec{p}_{1} and \vec{p}_{3} and \vec{p}_{1} and \vec{p}_{1} and \vec{p}_{2} and \vec{p}_{3} a





Exclusive dijets in photoproduction





small x elliptic component $W^{DP}(x,\vec{k}_{\perp},\vec{b}_{\perp}) = W^{DP}_0(x,k_{\perp},b_{\perp}) + 2 W^{DP}_1(x,k_{\perp},b_{\perp}) \cos 2(\phi_{k_{\perp}} - \phi_{b_{\perp}}) + \dots$



• recoil proton momentum relatif dijet more $\vec{k}_{1\perp} = -(\vec{k}_{1\perp} + \vec{k}_{2\perp})$ $\vec{P}_{\perp} = \frac{1}{2} (k_{1\perp} - k_{2\perp})$ • relat# dijet momentum • back-t \vec{p}_{\perp} -back \vec{k}_{1} ($\vec{k}_{1\perp}$ - $\vec{k}_{2\perp}$) $P \rightarrow \Delta \Delta$ • back-to-back jets $P_{\perp} \gg \Delta_{\perp}$ Q^2 small: $k_\perp \sim P_\perp$







$$\rangle \cos 2(\phi_{P_{\perp}} - \phi_{\Delta_{\perp}})$$


$$\begin{array}{c} & \overset{k_{1}}{\overset{k_{2}}{\overset{k}}{\overset{k_{2}}}{\overset{k_{2}}}{\overset{k}}{\overset{k_{2}}}{\overset{k_{2$$







• CMS preliminary: CMS-PAS-HIN-18-011

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CMS measurement

- PbPb at $\sqrt{s_{NN}} = 5.02 \text{ TeV}; \ \mathcal{L}=0.38 \text{ nb}^{-1}$
- exactly 2 jets
- pT,leading jet > 30 GeV; pT,subleading jet > 20 GeV
- |η_{jet}|<2.4
- $\eta_{jet} \eta_{track} < 1$
- rapidity gap in hemisphere opposite to dijet >1.2

• $P_{\perp} > \Delta_{\perp}$





Exclusive dijet production or heavy di-mesons







 $\vec{P}_{\perp} =$

• back-to-back jets

 $P_{\perp} \gg \Delta_{\perp}$

$$\vec{k}_{\perp}, \vec{b}_{\perp}) = W_0^{DP}(x, k_{\perp}, b_{\perp}) + 2W_1^{DP}(x, k_{\perp}, b_{\perp}) \cos 2(\phi_{k_{\perp}} - \phi_{b_{\perp}}) +$$

$$\underbrace{\mathfrak{f}}_{(\pm)}, \vec{\Delta}_{\perp}) = G_0^{DP}(x, k_{\perp}, \Delta_{\perp}) + 2G_1^{DP}(x, k_{\perp}, \Delta_{\perp}) \cos 2(\phi_{k_{\perp}} - \phi_{\Delta_{\perp}}) +$$
elliptic component
$$=$$

$$\underbrace{\mathbf{f}}_{(\pm)}$$

$$\sigma \sim \sigma_0 + \langle \cos 2(\phi_{P_{\perp}} - \phi_{\Delta_{\perp}}) \rangle \cos 2(\phi_{P_{\perp}} - \phi_{\Delta_{\perp}})$$

Y. Hatta et al., 116 (2016) 202301 Y. Hagiwara et al., PRD 95 (2017) 114032 : al., 116 (2016) 202301

• recoil proton momentum

a et al., PRD 95 (2017) 114032 V-18-011

5.02 TeV)

) GeV

) GeV

0 22 24

 $!_{T}$ [GeV]

..4

• relatif dijet momentum

$$\frac{1}{2}(\vec{k}_{1\perp} - \vec{k}_{2\perp})$$

 Q^2 small: $k_\perp \sim P_\perp$

 $+ \dots$

 $+ \dots$

$\vec{c}_{1\perp} + \vec{k}_{2\perp}$)
momentum
$\vec{k}_{1\perp} - \vec{k}_{2\perp})$
k jets
-

1 momentum



integral of GTMDs e convolution

• •

Exclusive dijet production or heavy di-mesons





- recoil proton momentum $\vec{\Delta}_{\perp} =$
- - $\vec{P}_{\perp} =$
- back-to-back jets

 $P_{\perp} \gg$

$$\vec{k}_{\perp}, \vec{b}_{\perp}) = W_0^{DP}(x, k_{\perp}, b_{\perp}) + 2W_1^{DP}(x, k_{\perp}, b_{\perp}) \cos 2(\phi_{k_{\perp}} - \phi_{b_{\perp}}) +$$

$$\underbrace{\mathfrak{g}}_{(\perp)}, \vec{\Delta}_{\perp}) = G_0^{DP}(x, k_{\perp}, \Delta_{\perp}) + 2G_1^{DP}(x, k_{\perp}, \Delta_{\perp}) \cos 2(\phi_{k_{\perp}} - \phi_{\Delta_{\perp}}) +$$
elliptic component
$$=$$

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$$\sigma \sim \sigma_0 + \langle \cos 2(\phi_{P_{\perp}} - \phi_{\Delta_{\perp}}) \rangle \cos 2(\phi_{P_{\perp}} - \phi_{\Delta_{\perp}})$$

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a et al., PRD 95 (2017) 114032 V-18-011

$(\vec{1})$	$1 \rightarrow 1$
$-(\kappa_{1\perp})$	$+\kappa_{2\perp})$

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$$\frac{1}{2}(\vec{k}_{1\perp} - \vec{k}_{2\perp})$$

$$\Delta_{\perp}$$

 Q^2 small: $k_\perp \sim P_\perp$

 $+\ldots$

 $+ \dots$



 $c_{\perp} \sim P_{\perp}$

• •

1 momentum



5.02 TeV)

) GeV

D GeV

<u>.</u>4

integral of GTMDs e convolution





<u>Quarkonia</u>

approximate access to gluon PDF

$$\frac{d\sigma}{dt}\Big|_{t=0} \propto [g(x_B)]^2$$

Z. Phys. C**57** ('93) 89–92; arXiv:1609.09738

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<u>Vector-mesons</u>

test saturation



<u>Quarkonia</u>



<u>Vector-mesons</u>

test saturation

















































- Measurements: Pb Pb Pb J/ψ



Backgrounds to measurements



continuous pair production

 remove via fit to invariant mass

Backgrounds to measurements





 remove via fit to invariant mass



inelastic production

- reject via signals in ZDCs, CASTOR, Herschel
- restrict p_{T,pair} to < ~1 GeV
- remove via fit to p_{T,pair}
 (model assumption on

proton/ion dissociation

Cs, CASTOR, Herschel eV

(model assumption on shape of p_{T,pair} distribution)

Backgrounds to measurements





remove via fit to invariant mass



inelastic production

- reject via signals in ZDCs, CASTOR, Herschel
- restrict p_{T,pair} to < ~1 GeV
- remove via fit to p_{T,pair} (model assumption on shape of p_{T,pair} distribution)

proton/ion dissociation

feeddown from higher-mass states

 reconstruct higher-mass state

Results on J/ ψ production in pPb collisions

→ access to low-x_B gluon PDFs



Results on J/ ψ production in pPb collisions



access to low-x_B gluon PDFs



- access to lacksquarelow-x_B gluon nuclear PDFs
- probe shadowing



covered x_B region

 $0.7 \cdot 10^{-2} < x_B < 3.3 \cdot 10^{-2}$ (dominant) $1.1 \cdot 10^{-5} < x_B < 5.1 \cdot 10^{-5}$

- access to low-x_B gluon nuclear PDFs
- probe shadowing



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probe shadowing



Results on p⁰ in pPb collisions





Results on p⁰ in pPb collisions















Exclusive continuous dilepton production $Pb = Pb^* + X Pb$

- calibration for
 - photonuclear production of jets, vector mesons, …
 - light-by-light scattering



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Pb $Pb^{\star} + X Pb$ **Exclusive continuous dilepton production**

- calibration for
 - photonuclear production of jets, vector mesons, ...
 - light-by-light scattering

- measurements:
 - ALICE, PbPb (m_{II}<10 GeV): Eur. Phys. J. C 73 ('13) 2617
 - ATLAS, PbPb (m_{II}>10 GeV): arXiv:2011.12211
 - ATLAS, pp (m_{II}>10 GeV): Phys. Lett. B 749 ('15) 242; Phys. Lett. B 777 ('18) 303
 - CMS, pp (m_{II}<10 GeV): JHEP 1201 ('12) 052



for m_{II}>10 GeV: continuous dilepton production is dominant

ATLAS measurement

- PbPb at $\sqrt{s_{NN}} = 5.02 \text{ TeV}; \ \mathcal{L}=0.48 \text{ nb}^{-1}$
- exactly 2 oppositely charged muons
- p_{T,µ} > 4 GeV
- |η_µ|<2.4
- m_{µµ}>10 GeV
- p_{T,µµ}<2 GeV
- classification of events depending on # neutrons in ZDC

arXiv:2011.12211

ATLAS measurement

• PbPbpat $\sqrt{s_{NN}} = 5.02$ PFeV; $\mathcal{L} = 0.48$ nb⁻¹ Pb • exactly 2 oppositely charged muons • p_{T,µ} > 4 GeV • |η_μ|<2.4 • m_{µµ}>10 GeV • p_{T,µµ}<2 GeV Pb $Pb^{\star} + X Pb$

Contributions to event sample



arXiv:2011.12211



22
ATLAS measurement

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Contributions to event sample

signal



arXiv:2011.12211



22



ATLAS measurement



Contributions to event sample



arXiv:2011.12211

• total fiducial cross section:

 $\sigma_{\rm fid}^{\mu\mu} = 34.1 \pm 0.3 (\text{stat.}) \pm 0.7 (\text{syst.}) \ \mu \text{b}$

$\sigma_{\rm fid}^{\mu\mu}({\rm STARlight}) = 32.1 \ \mu {\rm b}$

 $\sigma_{\rm fid}^{\mu\mu}({\rm STARlight}+{\rm PYTHIA8}) = 30.8 \ \mu {\rm b}$ (with QED FSR)



• total fiducial cross section:

 $\sigma_{\rm fid}^{\mu\mu} = 34.1 \pm 0.3 (\text{stat.}) \pm 0.7 (\text{syst.}) \ \mu \text{b}$

• acoplanarity:



$\sigma_{\rm fid}^{\mu\mu}({\rm STAR light}) = 32.1 \ \mu {\rm b}$

 $\sigma_{\rm fid}^{\mu\mu}({\rm STARlight}+{\rm PYTHIA8}) = 30.8 \ \mu {\rm b}$ (with QED FSR)

no neutrons in ZDC $\rightarrow \alpha$ >0.01: higher-order QED



• rapidity dependence:



discrepancy at large rapidity

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photon-energy dependence:

$$k_{1,2} = \frac{1}{2} m_{\mu\mu} e^{\pm y_{\mu\mu}}$$



photon-energy dependence:

$$k_{1,2} = \frac{1}{2} m_{\mu\mu} e^{\pm y_{\mu\mu}}$$

path to reduce discrepancy: inclusion of $\gamma\gamma$ collisions inside nucleus

fractions of events with neutrons in 1 ZDC (Xn0n) and 2 ZDCs (XnXn):

STARlight overestimates fractions

light-by-light scattering

Light-by-light scattering

- purely quantum-mechanical at $O(\alpha_{EM}^4)$
- substantial QED correction to electron, muon anomalous magnetic moment
- possibly sensitive to new physics (axionlike particles)

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- measurements:
 - ATLAS: Nat. Phys. 13 ('17) 852; Phys. Rev. Lett. 123 ('19) 052001.
 - CMS: Phys. Lett. B 797 ('19) 134826

ATLAS and CMS measurements

<u>ATLAS</u>

- PbPb at $\sqrt{s_{NN}} = 5.02$ TeV; $\mathcal{L}=1.73$ nb⁻¹
- exactly 2 photons
- $E_{T,\gamma} > 3 \text{ GeV}; |\eta_{\gamma}| < 2.4$
- m_{γγ}>6 GeV
- $p_{T,\gamma\gamma}$ <1 GeV or 2 GeV (for $m_{\gamma\gamma}$ < or >12 GeV)
- (1-|Δφ|/π)<0.01

<u>CMS</u>

- PbPb at $\sqrt{s_{NN}} = 5.02$ TeV; $\mathcal{L}=390$ µb⁻¹
- exactly 2 photons
- $E_{T,\gamma} > 2 \text{ GeV}; |\eta_{\gamma}| < 2.4$
- m_{γγ}>5 GeV
- p_{T,γγ}<1 GeV
- (1-|Δφ|/π)<0.01

ATLAS and CMS measurements

ATLAS

- Pb at $\sqrt{Pb Pb} = 1.73 \text{ nb}^{-1}$
- notorsexabeltopphotons
- $> 3 \text{ GeV}; |\eta_{\gamma}| \leq 2.4$
- >6 GeVM_{yy}≥6 GeV
- <1 Get $3\pi Get (60r 2) Get (60r 10) Get ($ Δφ|*/π*)<(**0.01**
- Contributions to event sample 'Enterria / Mudelin Physical Shuge 2019 794-9894 (2019) 791-794 signal

correction via STARlight & data correction via SuperChic & data Fig. 1. Diagrams Figlight Biagrams of thight southing OFD-dietection (geD dielectrometer), and etentrate the south a south of the south

<u>CMS</u>

- 2 photoms and top photons
- $E_{T,\gamma} > 2$ Get $\eta_{\gamma} \approx 2$ Get $\eta_{\gamma} \approx 2$
- m_{γγ}>5 GeVm_{γγ}>5 GeV
- p_{T,γγ}<1 GeV

main background contributions

ATLAS and CMS: results

<u>ATLAS</u>

- events observed: 59
- events expected: 30±4(syst.) signal and 12±1(stat.)±3(syst.) background
- significance excess against background-only=8.2 σ
- fiducial cross section $\sigma_{\rm fid}(\gamma\gamma \to \gamma\gamma) = 78 \pm 13(\text{stat.}) \pm 7(\text{syst.}) \pm 3(\text{lumi}) \text{ nb}$

cross sections consistent with standard-model predictions

<u>CMS</u>

- events observed: 14
- events expected: 9.0±0.9(theo.) signal and 4.0±1.2(stat.) background
 - significance excess against background-only=3.7 σ
 - fiducial cross section $\sigma_{\rm fid}(\gamma\gamma \to \gamma\gamma) = 120 \pm 46(\text{stat.}) \pm 28(\text{syst.}) \pm 12(\text{theo}) \text{ nb}$

Exclusion limits for axion-like particles

ALP coupling to EM currents

assumption: 100% ALP decay branching fraction to diphotons

The future

- Runs 3 and 4:

 - upgrade of detectors —> improve systematic uncertainties

! Still Run 2 data to be analysed and explore, e.g., photoproduction of jets

• 10x data for pPb and PbPb \longrightarrow improve statistically limited measurements

 \rightarrow extend kinematic reach

The future

• Light-by-light scattering for $m_{\gamma\gamma}$ <5 GeV by ALICE and LHCb in RUN3 and beyond:

VELO

LHC beam

LHCb

SMOG2

inject gas: He, Ne, Ar, and H₂, D₂

noble gases), and cannot provide accurate determination of the injected gas flow rate Q.

For SMOG2 a new GFS, schematically shown in Fig. 36, has been designed. This system includes an additional feed line directly into the cell center via a capillary, Fig. 29. The amount of gas injected can be accurately measured in order to precisely compute the target densities from the cell geometry and temperature.

Beyond the constraints requested by LHC and LHCb, the scheme shown in Fig. 36 is a well established system, operated by the proponents in previous experiments [32, 33].

7.1 Overview

The system consists of four assembly groups, Fig. 36.

Figure 36: The four assembly groups of the SMOG2 Gas Feed System: (i) GFS Main Table, (ii) Gas Supply with reservoirs, (iii) Pumping Station (PS) for the GFS, and (iv) Feed Lines. The pressure gauges are labelled AG1 (Absolute Gauge 1), AG2 (Absolute Gauge 2). The two dosing valves are labelled DVS (Dosing Valve for Stable pressure in the injection volume) and DVC (Dosing Valve for setting the Conductance). The Feeding Connections include the feeding into the VELO vessel and into the storage cell. The corresponding values are labelled CV (Cell Value), VV (VELO Value) and SV (Safety Value). A Full Range Gauge (FRG) monitors the pressure upstream of the last valves for feeding into the vessel (VV) and into the Cell (VC). A RGA with restriction and PS will be employed to analyze the composition of the injected gas (see Sect. 6.4).

(i) GFS Main Table: Table which hosts the main components for the injection of calibrated gas flow (volumes, gauges, and electro–pneumatic valves), to be located on the balcony at the P8 cavern;

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LHCb

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high-x_B region

 \rightarrow Constrain nucleon and nuclear GPDs in high-x_B region

exclusive measurements with SMOG2:

	pp	pHe	pXe
continuous $\mu^+\mu^-$	$\sigma = 61.931 \text{ pb} = 686 \text{ evts}$	$\sigma = 113.6 \text{ pb} = 0 \text{ evts}$	$\sigma = 17.6 \text{ nb} = 29 \ 10^3 \text{ evts}$
$J/\psi \to \mu^+\mu^-$	$\sigma = 20.467 \text{ pb} = 2302 \text{ evts}$	$\sigma = 27.3 \text{ pb} = 0 \text{ evts}$	$\sigma = 1.3 \text{ nb} = 21 \ 10^3 \text{ evts}$
$\phi \to K^+ K^-$	$\sigma = 184 \text{ pb} = 12 \ 10^3 \text{ evts}$	$\sigma = 109.4 \text{ pb} = 5 \text{ evts}$	$\sigma = 11.0 \text{ nb} = 102 \ 10^3 \text{ evts}$

 \rightarrow Constrain nucleon and nuclear GPDs in high-x_B region

total uncertainty on cross section: 5-10%

protons

gas protons, deuterons

 $\sqrt{s_{NN}} = 115 \text{ GeV}$

PDFs, and TMD PDFs

- solid fixed target at ALICE
 - complementary targets
 - complementary coverage in y_{CM}

LHCb

UPCs so far underexplored!

UPCs so far underexplored! offer unique possibilities to study the structure of nucleons and nuclei

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and a possible path to new physics
Summary

UPCs so far underexplored! offer unique possibilities to study the structure of nucleons and nuclei



and a possible path to new physics

Beautiful physics programme to look forward to :!



Back up

ATLAS measurement dijets



ATLAS measurement: results



$$y_J = \frac{1}{2} \ln \left(\frac{\sum_{j \in t} E_{j \in t} + \sum_{j \in t} p_{z,j \in t}}{\sum_{j \in t} E_{j \in t} - \sum_{j \in t} p_{z,j \in t}} \right)$$
$$x_A = \frac{M_J}{\sqrt{s}} e^{-y_J}$$

$$z_{\gamma} = \frac{M_J}{\sqrt{s}} e^{+y_J}$$