Forward jets and energy flow with CMS at LHC

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- Introduction
- Detector performances
- Ongoing analysis
 - Forward jets
 - Mueller-Navelet dijets
 - Energy flow
- Summary

Introduction

Motivation: forward jets

- Low-x gluon density in the proton is poorly known (x = p_{parton}/p_{hadron})
- Forward jet production in CMS calorimeters:
 - HF: *x* ~ **10**⁻⁴
 - CASTOR: $x \sim 10^{-5}$
- Forward jet cross-sections constrain low-x gluon PDFs





 $\mathsf{d}\sigma(\mathsf{pp}\to\mathsf{jet})=\mathsf{PDF}(\mathsf{x}_1,\,\mathsf{Q}^2)\otimes\mathsf{PDF}(\mathsf{x}_2,\,\mathsf{Q}^2)\otimes\mathsf{d}\sigma(\mathsf{qg}\to\mathsf{jet})$

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Motivation: Mueller-Navelet dijets

- Mueller-Navelet dijets with large η separation very sensitive to low-x QCD evolution (testing ground for BFKL)
 - BFKL: extra radiation between the 2 jets will smear out back-to-back topology
 - enhanced radiation partially compensated by gluon saturation ?



Increased azimuthal decorrelation with increasing $\Delta \eta$ (w.r.t. DGLAP collinear-factorization)

Probing parton distribution with DIS: $\hookrightarrow x$: momentum fraction carried by parton $\hookrightarrow Q^2 = -q^2$: resolving power

QPM

- static object composed of 3 valence quarks
- no interaction between constituents
- QCD improved QPM
 - dynamic object with a very complicated structure
 - contains fluctuations smaller than its own size

CGC

- large lifetime of soft gluons
- probe becomes more and more crowded
- partons start overlapping and they recombine
- non-linear evolution

- F_2 strong rise at low- $x \sim$ sea quarks
- $\frac{\partial \ln F_2}{\partial \ln Q^2} \sim \text{gluons}$



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Parton (x, Q^2) evolution

- increasing \mathbf{Q}^2 ($\mathbf{Q}^2 > \mathbf{Q}_s^2$): DGLAP \Rightarrow evolution towards the dilute system
- decreasing x ($Q^2 < Q_s^2$): BFKL \Rightarrow evolution towards the high density system
- linear evolution equation doesn't work at low-x:
 - non-linear g+g fusion
 - unitarity violation

Saturation criterion

number of partons per unit area \$\rho \sim \frac{xG(x,Q^2)}{\pi R^2}\$
recombination cross-section \$\sigma_{g \rightarrow g} \sigma \frac{\pi_s}{Q^2}\$
recombination if \$\rho \sigma_{gg \rightarrow g} \ge 1\$ (\$Q^2 \le Q_s^2\$)\$
saturation scale \$Q_s^2 \sigma \frac{\pi_s xG(x,Q_s^2)}{\pi R^2}\$
CGC



- \blacksquare gluons overlap for momenta $\sim Q_s$
- non-linear JIMWLK evolution equation



■ low-x = forward rapidity in 2→2 process:



every 2 units of y: x_2^{min} decreases by ~ 10

Processes:

- Drell-Yan: $p(p_1)+p(p_2) \rightarrow l\bar{l}+X$
- prompt- γ : p(p₁)+p(p₂)→jet+ γ +X
- di(jets): $p(p_1)+p(p_2)\rightarrow jet_1+jet_2+X$
- heavy Q: $p(p_1)+p(p_2) \rightarrow Q+\overline{Q}+X$
- diffractive $Q\overline{Q}$ ($\gamma p, \gamma A$)



Low-x proton PDF

 most of our current knowledge comes from F₂ scaling violation:

$$\frac{\partial F_2(x,Q^2)}{\partial \ln(Q^2)} \propto \alpha_s(Q^2) x g(x,Q^2)$$

- large uncertainties for x < 10⁻² at moderate Q² (<5 GeV²)
- LHC: p+p at 14 TeV
 - high $\sqrt{s} \Rightarrow$ very small xfor y < 5, M<10 GeV: $x \sim 10^{-6} \cdot 10^{-7}$ (70 times lower than p+p at RHIC)
 - \blacksquare saturation momentum Q $_{s}\sim\!\!2$ GeV
 - very large perturbative cross section



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Low-x nuclear PDF

 current data from nuclear F₂ and nuclear Drell-Yan (eA)

 DGLAP analysis: linear evolution + nuclear shadowing

- shadowing: low-*x* gluon fusion
- shadowing factor for PDFs: $R_g^A(x, Q^2) = \frac{f_g^A(x, Q^2)}{f_g(x, Q^2)}$
- most data in non perturbative range (Q² <1-2 GeV²): large uncertainties

• nuclear $xG(x,Q^2)$ unknown for $x < 10^{-2}$

■ LHC: Pb+Pb at 5.5 & p+Pb at 8.8 TeV:

- *x* 30-45 times lower than Au+Au, d+Au at RHIC
- **\blacksquare** saturation momentum Q_s ~3 GeV
- very large perturbative cross section



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CMS: dedicated to explore physics at the TeV scale

- prime goals: mechanism of electroweak symmetry breaking and provide evidence of physics beyond SM
- also SM measurements : QCD, B-physics, diffraction, top quark, and electroweak physics topics such as the W and Z boson
- Detector:
 - inner tracking system (|η| <2.5)
 - calorimeters (electromagnetic: $|\eta| < 3$, hadronic: $|\eta| < 5$)
 - **muon** system ($|\eta| < 2.4$)
 - few forwards detectors (CASTOR: -6.6< η <-5.2 and ZDC: $|\eta| > 8.3$)



Going forward with CMS



HF

- rapidity coverage:
 2.9 < |η| < 5.2
- at 11.2 m from IP
- steel absorbers and embedded radiation -hard quartz fibers for fast collection of Cherenkov light
- segmentation in η et φ: 0.175 × 0.175

- CASTOR
 - rapidity coverage: -6.6 < η < -5.2
 - at 14.3 m from IP
 - alternate tungsten absorbers and quartz plates
 - segmentation in φ: 16 sectors
 - 14 modules (2EM+12HAD)

ZDC

- rapidity coverage: $|\eta| > 8.4$
- at 140 m from IP
- tungsten/quartz Cherenkov calorimeter with separated EM and HAD sections
- detection of neutrals (γ, π⁰, n)

CMS ⇒ unprecedented calorimetric coverage in pseudo-rapidity

jets with CMS:

- Calorimeter jets: reconstructed using energy deposits in the electromagnetic and hadronic calorimeter cells, combined into calorimeter towers as inputs. A calorimeter tower consists of one or more hadron calorimeter (HCAL) cells and the geometrically corresponding electromagnetic calorimeter (ECAL) crystals
- Jet-Plus-Tracks jets: allow to correct the energy and the direction of a calorimeter jet. It exploits the excellent performance of the CMS tracking detectors to improve the p_T response and resolution of calorimeter jets (tracking coverage extends up to $|\eta| \sim 2.4$)
- Particle Flow jets: algorithm reconstruct, identify and calibrate each individual particle in the event by combining the information from all CMS sub-detector systems. PF particles are reconstructed as a combination of charged particle tracks and clusters in the electromagnetic and hadronic calorimeters, as well as signals in either of the two CMS pre-shower detectors and the muon system. As a result of the PF reconstruction, the inputs to the jet clustering are almost fully calibrated and the resulting higher level objects (jets) require small a posteriori energy corrections

in our analysis:

- full generation-simulation-reconstruction analysis in CMS
- in forward region only calorimeter jets available
- **p**_T range: 20–200 GeV/c
- 3 jets algorithms used

Detector performances for the forward jets

SIM-RECO studies: HF (3 $<|\eta|<$ 5) ${\rm p}_T$ resolution ($\sqrt{s}{=}$ 14 TeV)

 matching variable: distance between SIM and RECO objects

 $\Delta R = \sqrt{\Delta \phi^2 + \Delta \eta^2} ~<~ 0.2$

- the mean and the width of the Gaussian fits of the jet energy response p_T^{CorrCaloJet}/p_T^{GenJet}
 - $\blacksquare~\sim$ 20% for $p_{\it T}\sim$ 20 GeV



■ ICone~SISCone~Fastk_T



• anti- k_T gives comparable results: official CMS algorithm for the jet reconstruction

SIM-RECO studies: HF (3 $<|\eta|<$ 5) position resolution ($\sqrt{s} \texttt{=} \texttt{14 TeV})$



- \sim 0.02 for p $_T >$ 100 GeV
- ICone~SISCone~Fastk $_T$

 ϕ resolution



SIM-RECO studies: jet-parton matching efficiency ($\sqrt{s} \texttt{=} \texttt{14} \ \texttt{TeV}$)

- How much do we believe in the reconstructed jets?
- are they issued from hard parton-parton scatterings?
- or clusters from underlying events, noise, beam-remnants activity ?
- each outgoing parton is matched to the closest jet (SIM and RECO) which minimizes ΔR
- if the closest jet is not within ΔR =
 0.2 the outgoing parton is discarded
 - low efficiency for p_T <30 GeV
 efficiency saturation for p_T ~40 GeV



■ the forward jet studies are restricted to the p_T >35 GeV

Jet Energy Corrections





- Why do we need to calibrate jets?
 - the calorimeter response in non-linear in p_T and non-uniform across the detector
 - the jet energy scale is the most important uncertainty related to jets
- Why a multi-step approach?
 - each sub-correction corrects for a different effect
 - each sub-correction can be separately studied and optimized
 - easier to develop data driven methods
 - systematic uncertainties are easier to estimate
 - the approach has been used by both D0 and CDF with success

1 default correction

- L1 Offset
 - removes from each jet the energy due to noise and pile-up. It will be measured from data with non zero-suppressed data
- L2 Relative
 - removes the pseudorapidity dependance of the jet response
 - 1 pb^{-1} of the data should be enough to derive this correction
- L3 Absolute
 - removes the p_T dependance of the jet response

2 optional correction

- electromagnetic fraction, flavor, parton correction
- can't be generalized to the default version: strongly dependent on the analysis to perform

3 status

- the derivation of JEC is a complicated, multi-step procedure. Through the studies of the last 3 years, we believe we can reach reasonable JES uncertainty (< 10%) with 10-50 pb⁻¹ @ 7TeV
- JEC will be provided from "day 0" (mc truth) and will be replaced with data-driven ones, as soon as they become available

Single inclusive forward jet spectrum

Single inclusive forward jet spectrum (\sqrt{s} =14 TeV)



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PDF studies \Rightarrow only if JES uncertainty < 5%

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Mueller-Navelet dijets

Mueller-Navelet dijets experimentally





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- MN–like dijet event
- + underlying event activity

Mueller-Navelet dijets: simulation vs data



- extra radiation enhances azimuthal (back-to-back) decorrelation
- decorrelatin increases with increasing jet rapidity separation



- Small azimuthal decorrelation with increasing $\Delta\eta$
- baseline of the minimal decorrelation expected in non-BFKL scenario

D0 data:
$$p-\overline{p}$$
 at \sqrt{s} =1.8 TeV



PYTHIA/HERWIG vs BFKL



■ HERWIG more decorrelation (~15%) than PYTHIA but ~20% less than BFKL analytical estimates Statistics: \sim 5000(200) Mueller-Navelet-type dijets separated by $\Delta\eta \sim$ 6 (9)



enough statistics for detailed studies of $\Delta \eta$ evolution for HF: yields, ϕ decorrelation

First Mueller-Navelet dijets candidate in 900 GeV data



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Energy flow

Forward energy flow: Motivation

- improve the understanding of the parton radiation in the initial state
- study the multiparton interactions
- implemented in Monte Carlo event generators: need parameters to be adjusted to describe the measurements
- the extrapolation to larger energies is very uncertain
- it probes underlying event in a new way



The energy dependance of multiple parton interactions is not well known yet !

Forward energy flow: Predictions

- comparison of two different tunes: Pythia-D6T (CTEQ6L1) and Pythia-Perugia (CTEQ5L)
- energy flow in central region at low \sqrt{s} does not change much with tunes
- significant difference observed in the large pseudorapidity region ($|\eta| > 2$)



Energy flow in the forward region \Rightarrow has never been measured at a hadron collider

Event selection

- min-bias trigger
 - Beam Pick-up Timing for the eXperiments (BPTX): provide the information on the bunch structure and timing of the incoming beam with the precision better than 0.2 ns
 - Beam Scintillator Counters (BSC): provide hit and coincidence rates
 - rejection of beam halo events
- rejection of non-IP events: require at least 10 tracks with 25% of the tracks to be high purity
- at least one primary vertex reconstructed with number of tracks > 3 with |z| < 15 cm (distance to the CMS IP) and impact parameter $d_0 \le$ 2 cm
- Energy flow ratio definition

$$R_{Eflow}^{\sqrt{s_1},\sqrt{s_2}} = \frac{\frac{1}{N_{\sqrt{s_1}}} \frac{\Delta E_{\sqrt{s_1}}}{\Delta \eta}}{\frac{1}{N_{\sqrt{s_2}}} \frac{\Delta E_{\sqrt{s_2}}}{\Delta \eta}}$$

where

 $\sqrt{s_1}=2.36 \text{ or 7 TeV}$ $\sqrt{s_2}=0.9 \text{ TeV}$ $N_{\sqrt{s}}$: number of selected minimum bias events for given energy $\Delta E_{\sqrt{s}}$: energy deposited in a region in $\Delta\eta$ for a given energy (integrated over azimuthal angle)

Forward energy flow: Results !

results on the detector level, no systematics uncertainties included



more energy deposited when increasing energy

- more energy deposited in the large η region
- conclusion on the quality of the description can't be made without the systematics uncertainties

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1 Physics motivation

- Iow-x gluon PDFs
- non-DGLAP (BFKL, saturation) QCD evolution
- 2 Jet reconstruction performances in CMS Hadron Forward calorimeter
 - very similar performances of ICone, SISCone & FastKt algorithms
 - very good response of the detector
- 8 Preliminary results
 - Forward jets single spectrum
 - Large stats. (~ 1 M jets, 1pb $^{-1}$) but large systematic error (>30%) from JES
 - Sensitivity to PDFs differences ($p_T \sim$ 35–60 GeV/c) if JES controlled below 5%.
 - MN dijets
 - \blacksquare statistics: \sim 5000 (200) dijets separated by $\Delta\eta\sim$ 6 (9)
 - enhanced BFKL decorrelation should be identifiable in the data