

Dead crystal impact on energy reconstruction

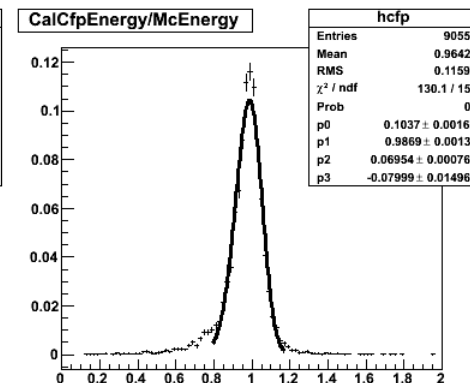
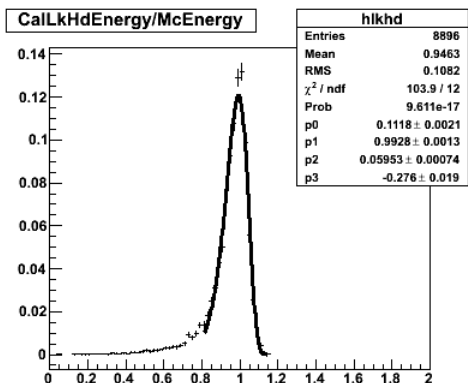
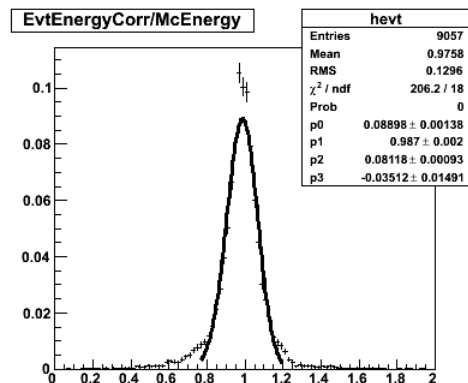
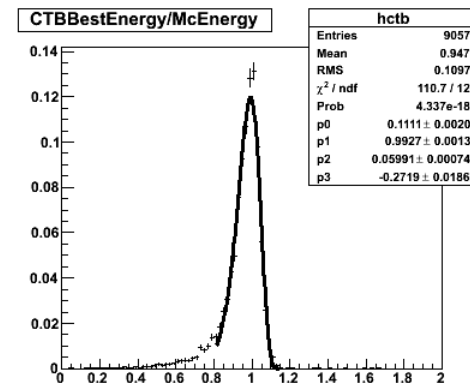
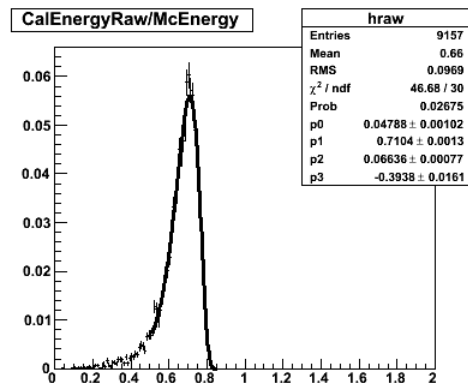
- Introduction
- Impact on energy reconstruction algorithms
- Estimating the fraction of events passing 'close' to a crystal

Introduction

- Why studying the 'one dead crystal' case ?
 - We have two ends.
 - But if one end is dead, then it is not possible to measure the energy without any position estimation (that can be derived by tracker extrapolation or/and neighbour crystals information)
- Gleam simulation (v10r6 based)
 - 1, 10, 100 GeV pencil on-axis gammas beam, centered on $(x=201.17, y=201.17)$, i.e. centered on odd xtals 6 and even xtals 6
 - 7 configurations :
 - -1 : no dead xtals
 - $i > -1$: xtal 6 of layer i is put to 0

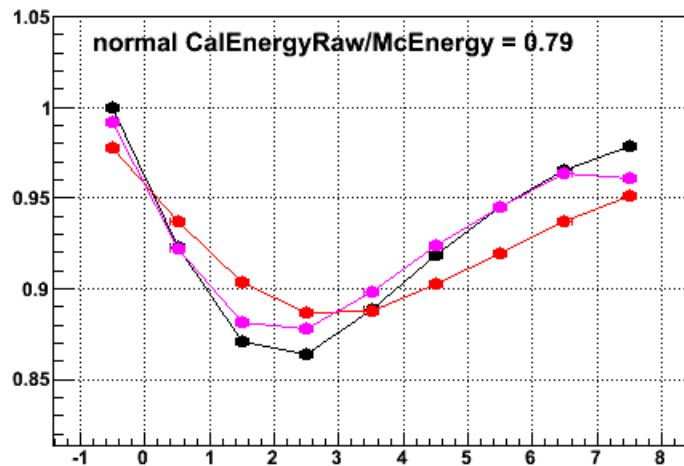
With all the xtals alive

- Fit with a lognormal distribution -> peak position, sigma and tail

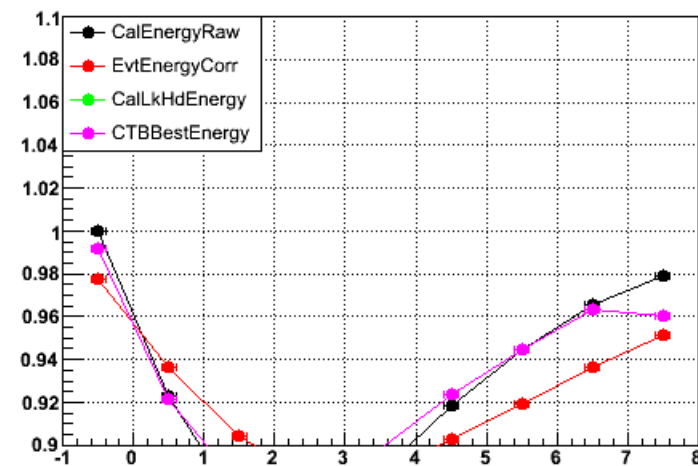


Results at 1 GeV

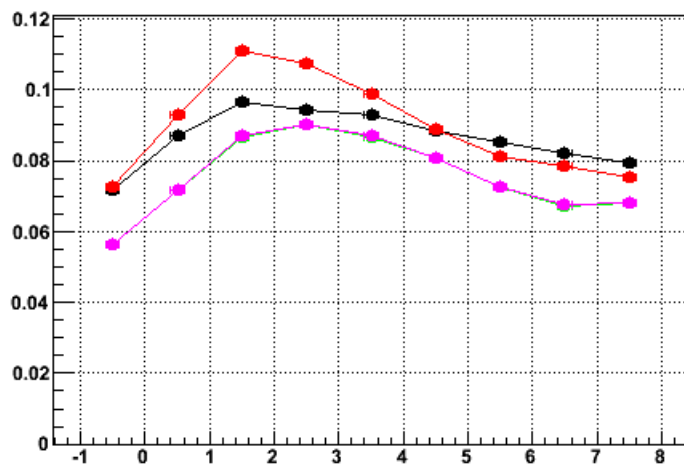
Energy/McEnergy peak position vs dead xtal layer position



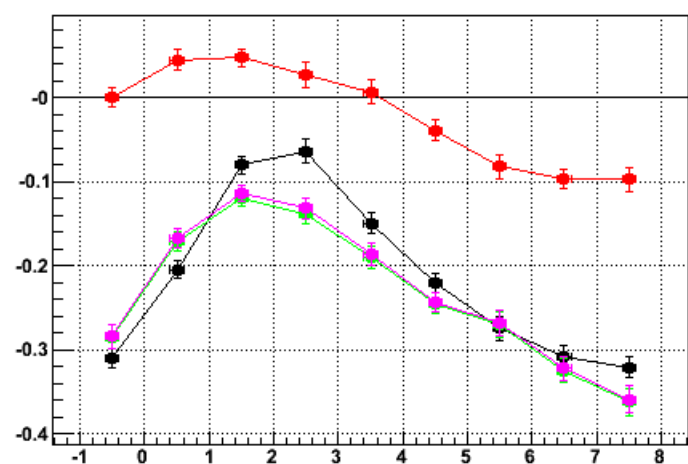
Energy/McEnergy peak position vs dead xtal layer position (zoom)



(sigma / peak position) vs dead xtal layer position

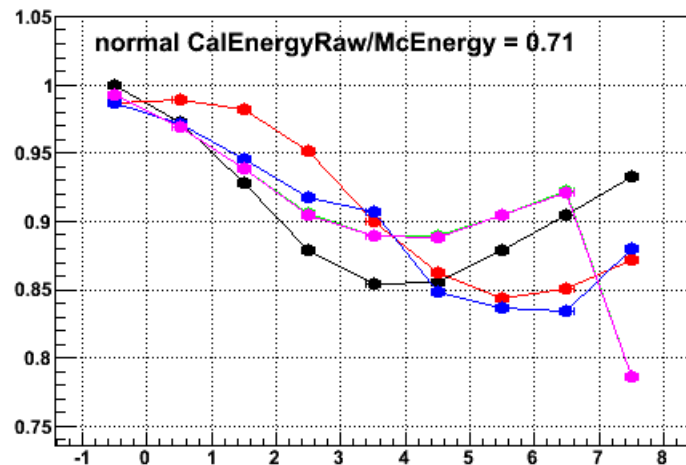


tail vs dead xtal layer position

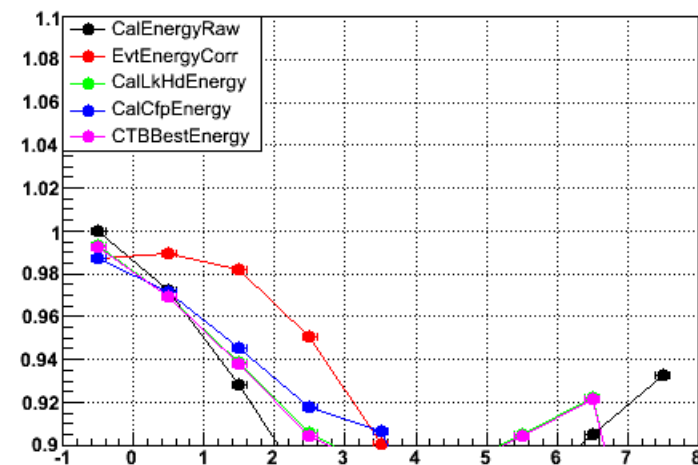


Results at 10 GeV

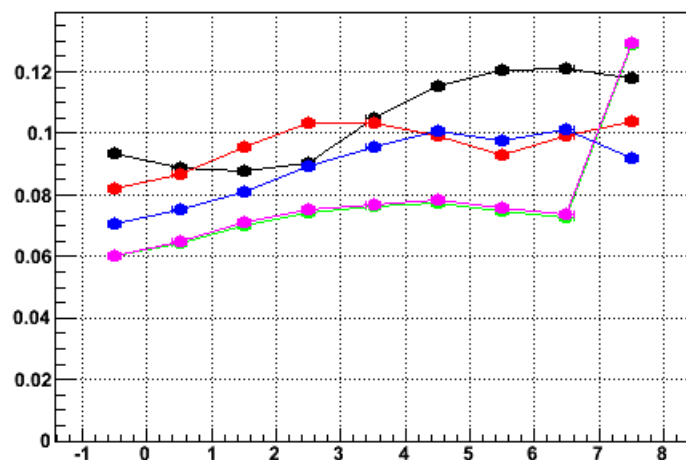
Energy/McEnergy peak position vs dead xtal layer position



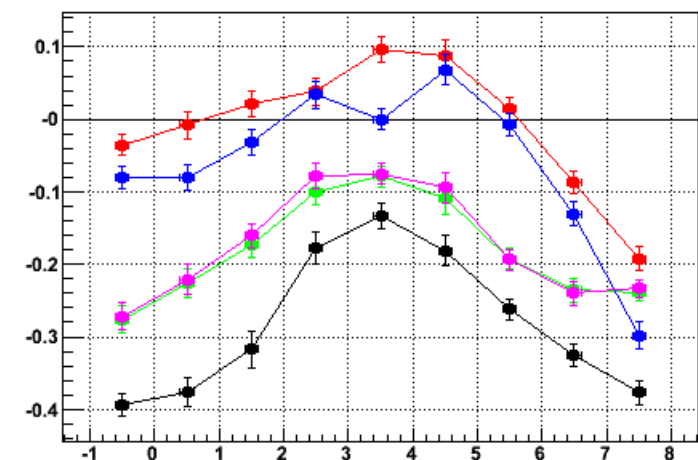
Energy/McEnergy peak position vs dead xtal layer position (zoom)



(sigma / peak position) vs dead xtal layer position

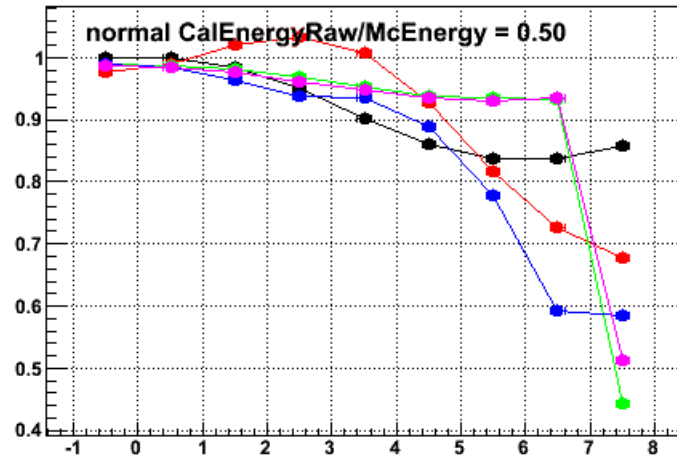


tail vs dead xtal layer position

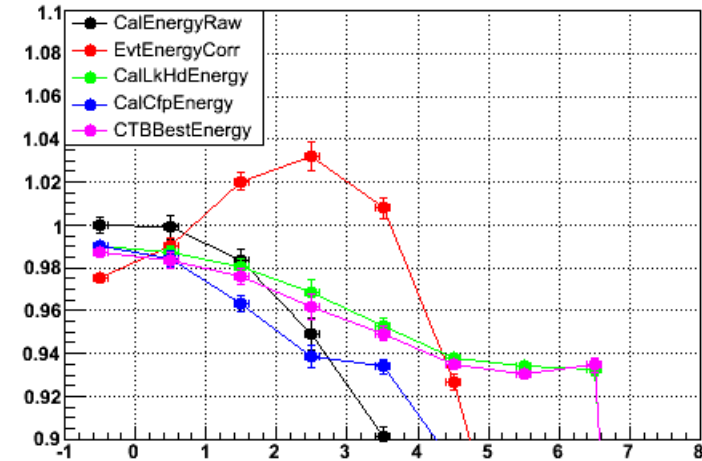


Results at 100 GeV

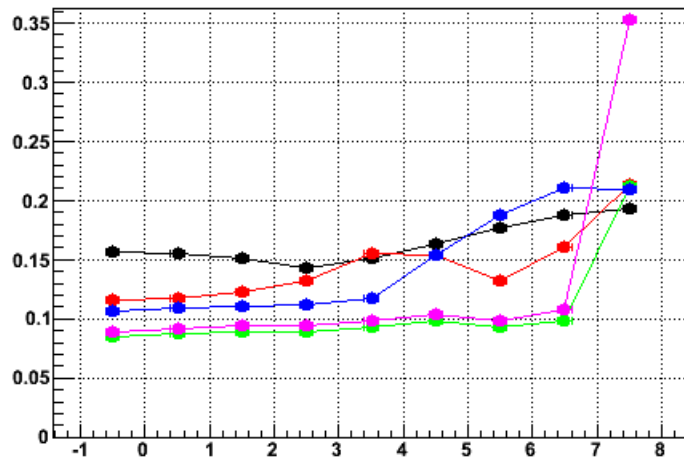
Energy/McEnergy peak position vs dead xtal layer position



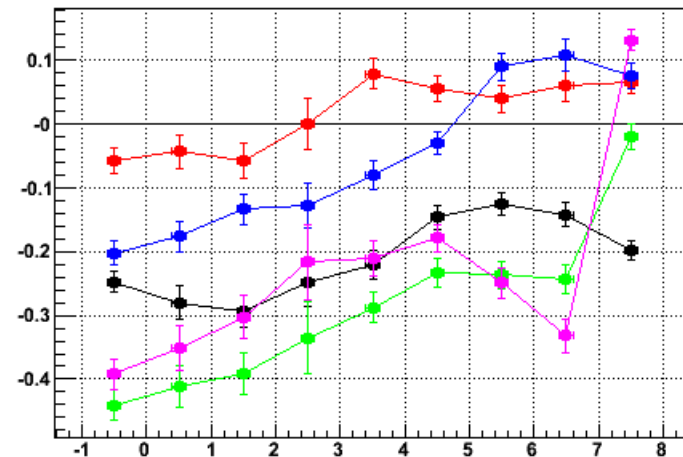
Energy/McEnergy peak position vs dead xtal layer position (zoom)



(sigma / peak position) vs dead xtal layer position



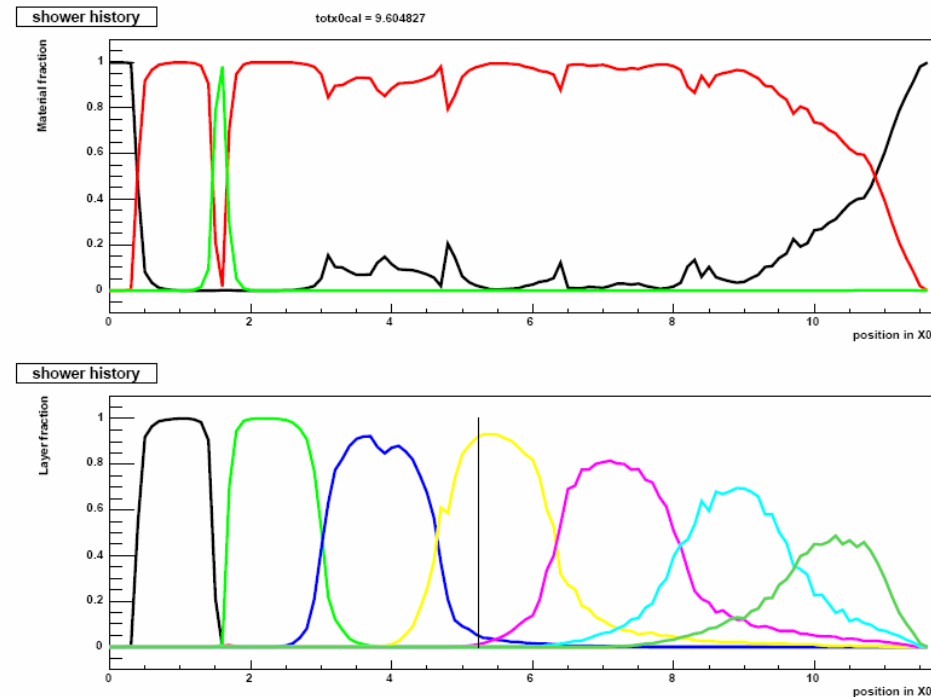
tail vs dead xtal layer position



Full profile correction

How does the full profile alg work ?

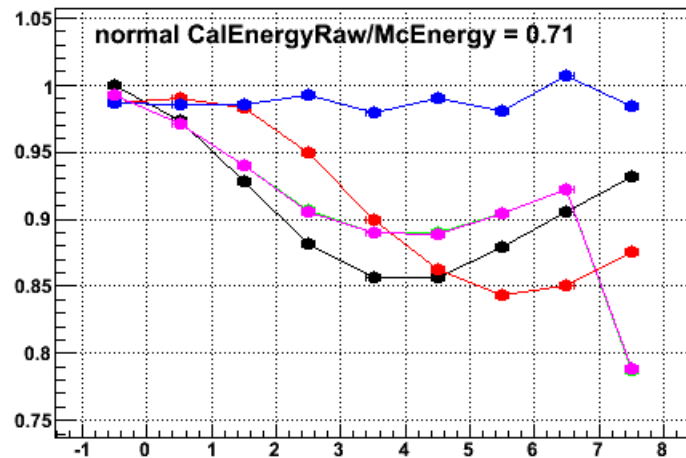
- Uses the tracker direction if available
- Goes along the trajectory by steps in units of mm
- For each step, determines the fractions of energy deposited in
 - 'nothing'
 - Dead material (grid, cracks)
 - Each layer of CsI
- Translates this history in radiation length unit
- Performs the profile fit



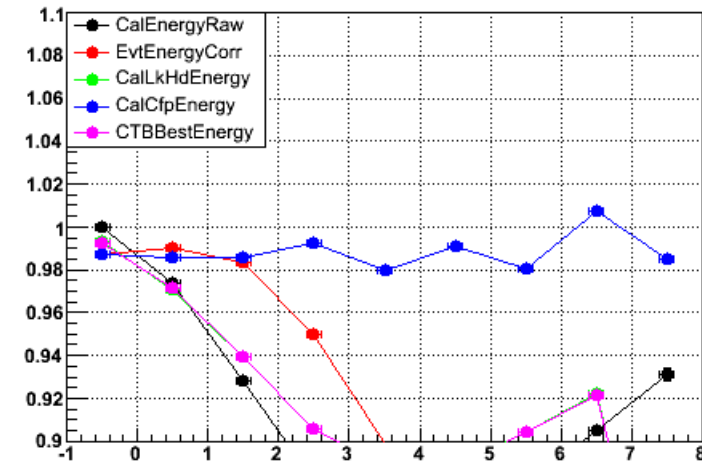
- Taking into account a dead crystal is straightforward since the only thing to do is to consider the dead crystal as dead material

Results at 10 GeV with corrected CalCfpEnergy

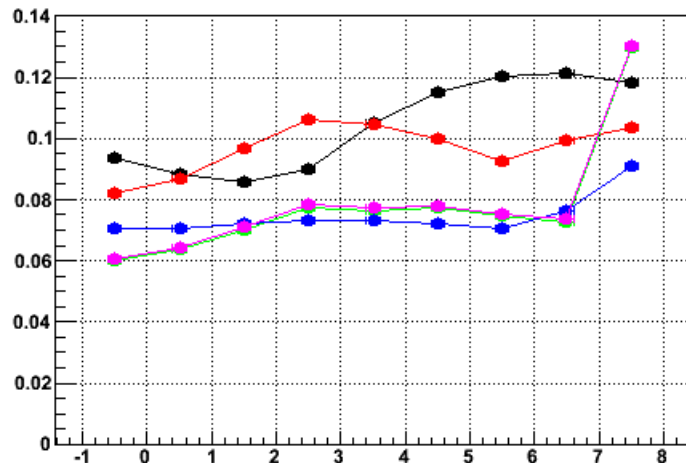
Energy/McEnergy peak position vs dead xtal layer position



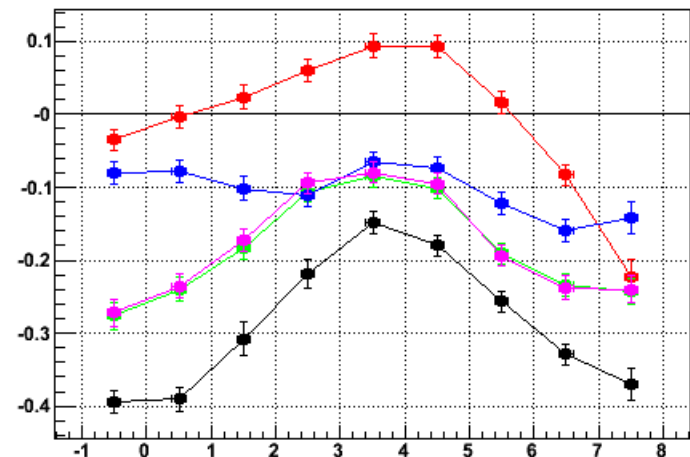
Energy/McEnergy peak position vs dead xtal layer position (zoom)



(sigma / peak position) vs dead xtal layer position

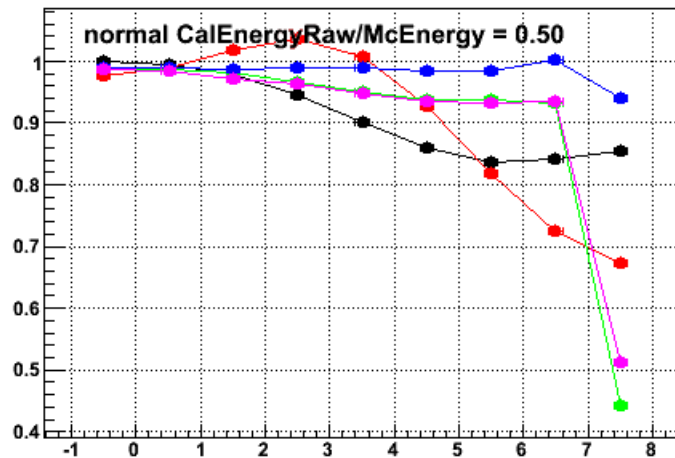


tail vs dead xtal layer position

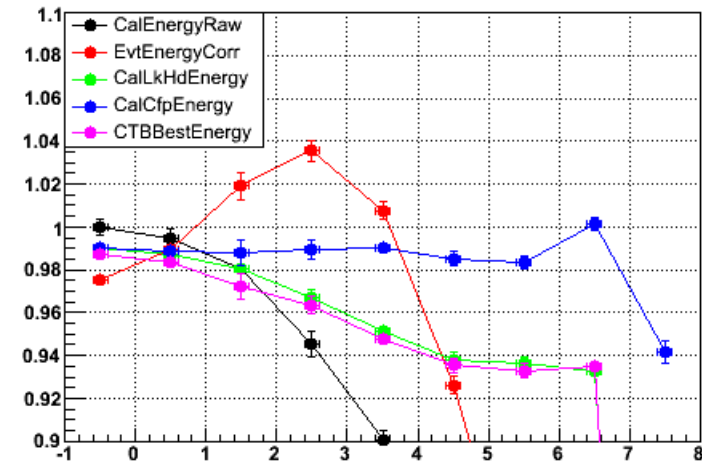


Results at 100 GeV with corrected CalCfpEnergy

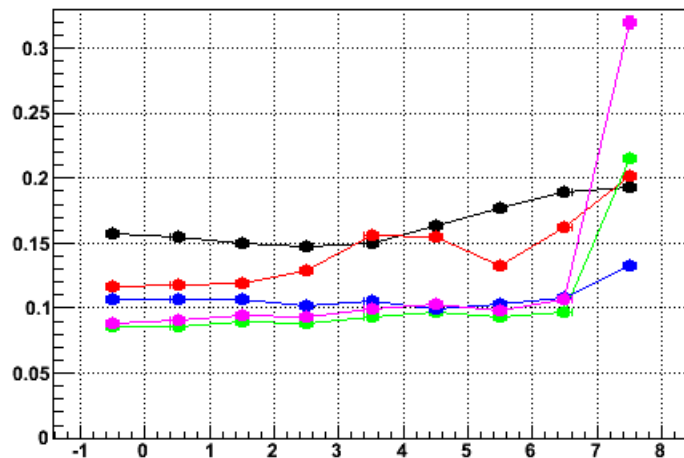
Energy/McEnergy peak position vs dead xtal layer position



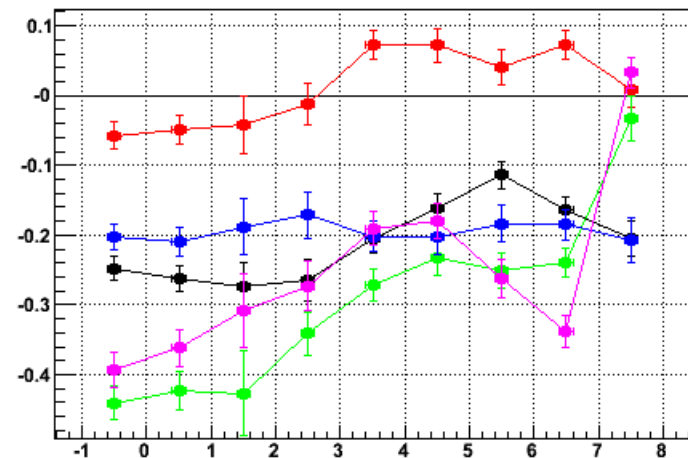
Energy/McEnergy peak position vs dead xtal layer position (zoom)



(sigma / peak position) vs dead xtal layer position



tail vs dead xtal layer position

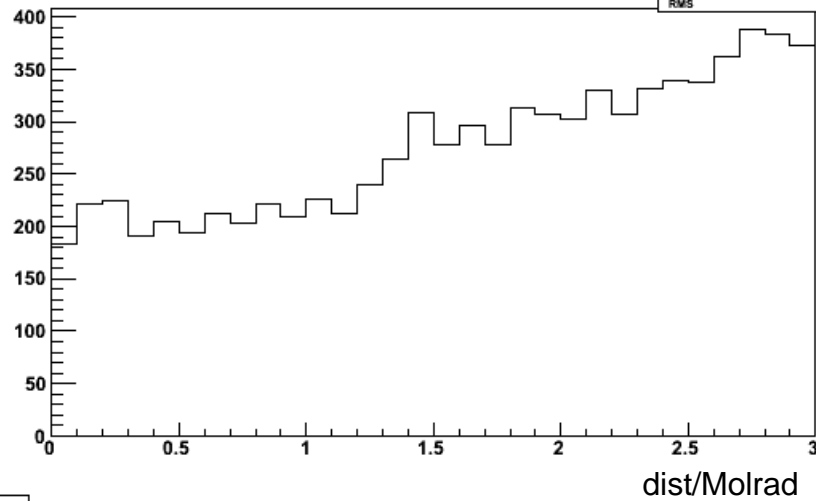


How often a dead xtal can have an impact

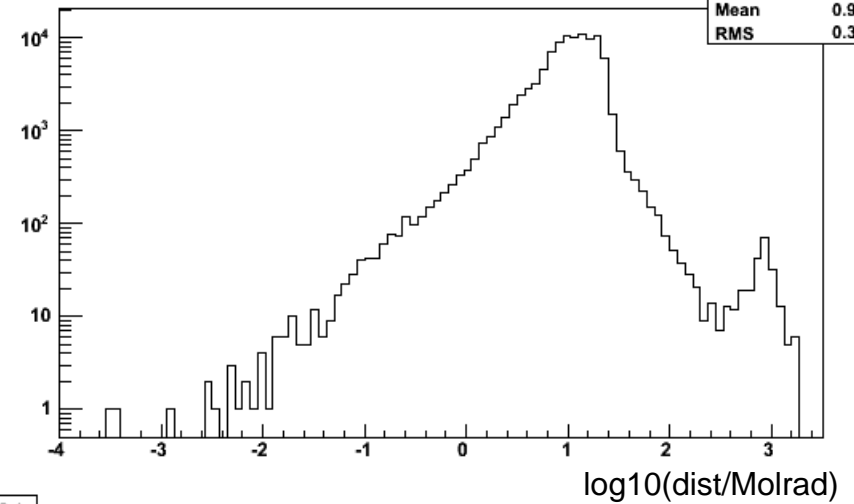
- Use a allGamma file (v10r6 18MeV- \rightarrow 562GeV)
 - Simple cuts :
 - Tkr1Z0 \geq 0
 - Tkr1ZDir \leq -0.2
 - CalEnergyRaw \geq 0
 - CalCsIRLn \geq 6
 - calculate the distance between the MC trajectory and the xtal axis
 - Define two points : one on the MC trajectory and one on the xtal axis
 - When the point on the xtal axis is not within the xtal volume, take the distance to the closest end
 - Use the point on the MC trajectory to estimate the age of the shower (in X0)
 - Use the age of the shower to estimate
 - The effective lateral radius (80% containment) :
 - 0.5 Moliere radius at the start of the shower
 - 2.5 Moliere radius when age = 2 x maximum position
 - The fraction of energy already deposited
 - Consider that the dead xtal has an impact if :
 - distance \leq effective Moliere radius
 - the fraction of energy already deposited \leq 0.9

Example for one xtal

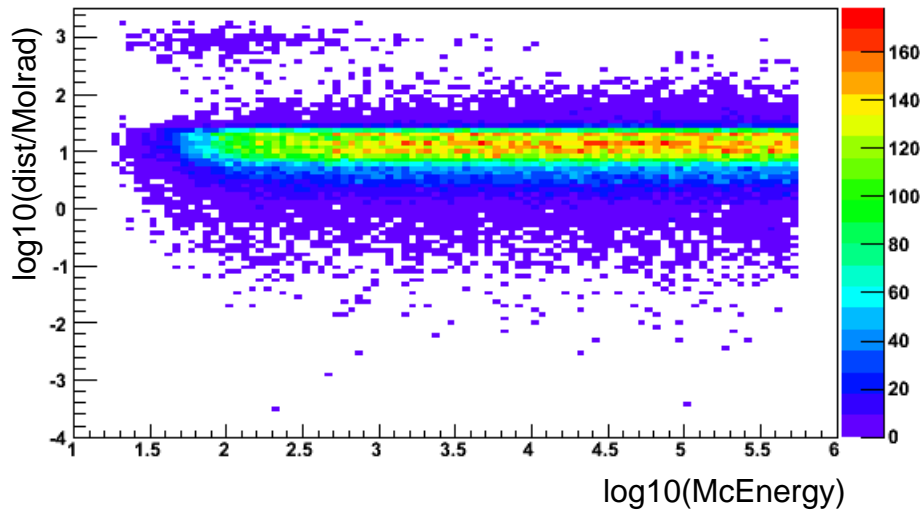
dist to xtal axis / moliere radius



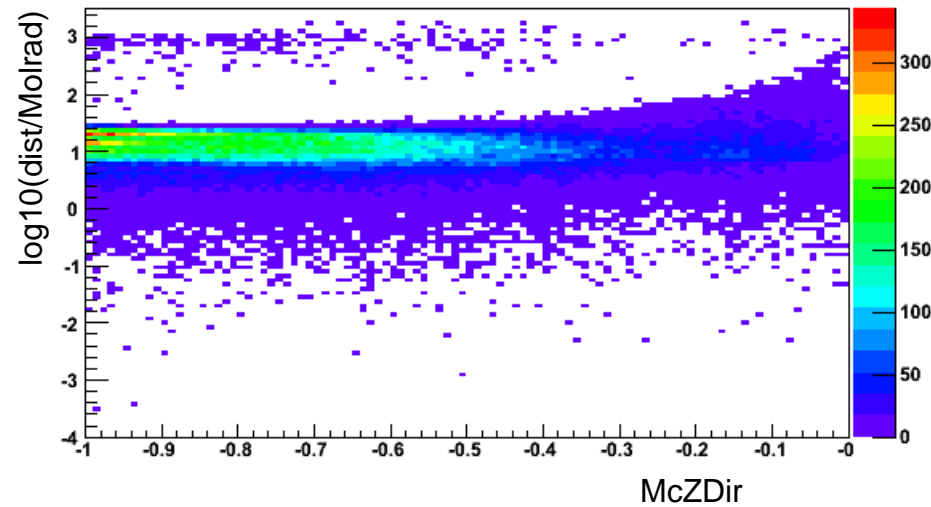
hl



h2e

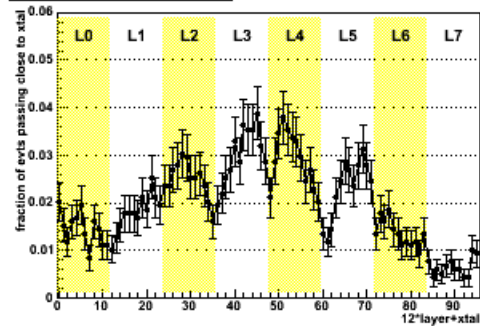


h2d

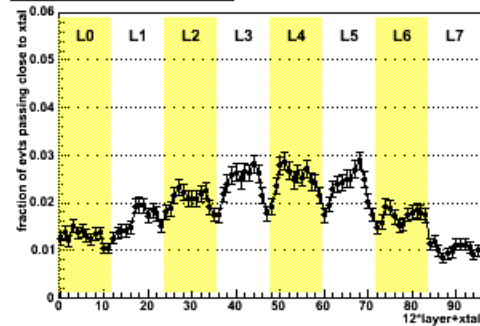


Tower 5

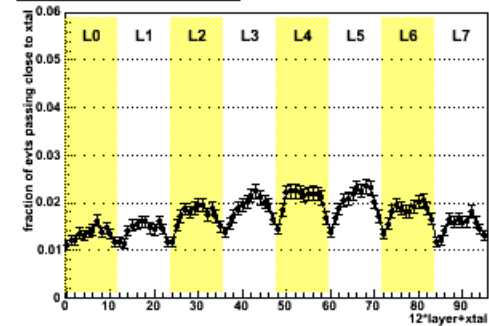
Tower5 : $1.25 < \log_{10}(E) < 1.75$



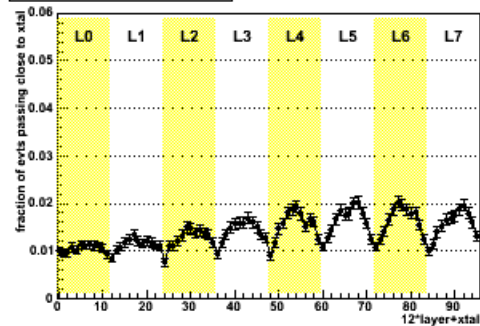
Tower5 : $1.75 < \log_{10}(E) < 2.25$



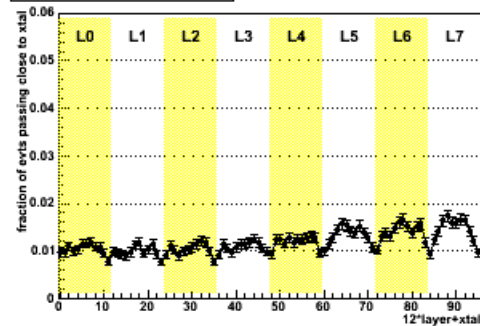
Tower5 : $2.25 < \log_{10}(E) < 2.75$



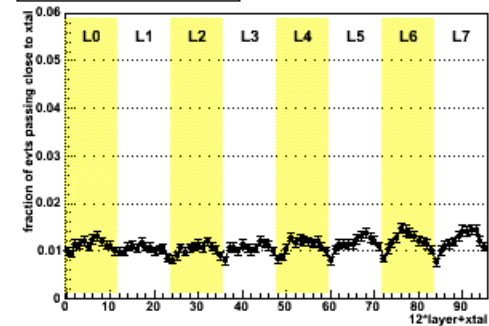
Tower5 : $2.75 < \log_{10}(E) < 3.25$



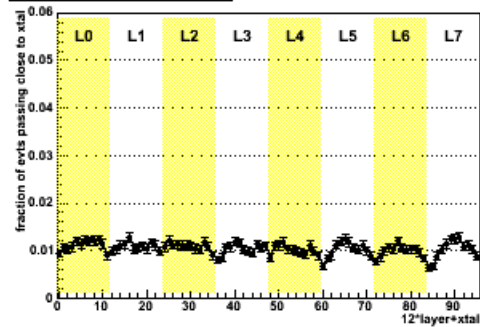
Tower5 : $3.25 < \log_{10}(E) < 3.75$



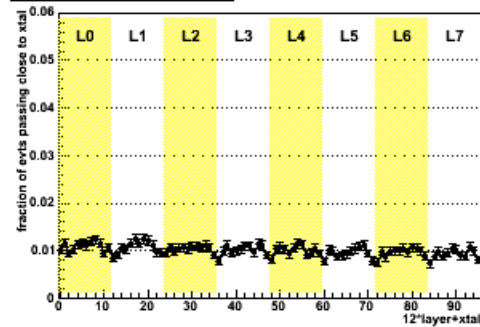
Tower5 : $3.75 < \log_{10}(E) < 4.25$



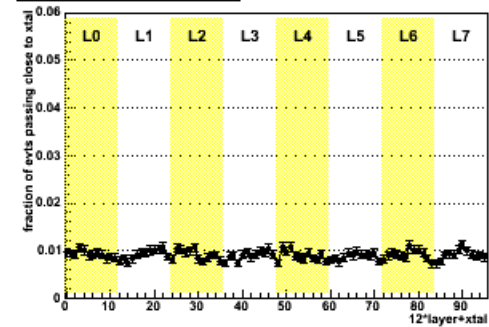
Tower5 : $4.25 < \log_{10}(E) < 4.75$



Tower5 : $4.75 < \log_{10}(E) < 5.25$



Tower5 : $5.25 < \log_{10}(E) < 5.75$



Conclusions

- For on-axis gammas, the bias :
 - is correlated with the energy loss due to the dead xtal
 - can be ~10-15%
 - more important if in the last layer for the 'last layer' algorithm
- CalCfpEnergy can easily be corrected
- EvtEnergyCorr and CalLkHdEnergy could be corrected if the energy and the position of the dead xtal were approximated with the neighbour xtals information. I've tried by simply averaging :
 - It works for the position (in the on-axis case)
 - It does not work for the energy because the shower is narrow
- Requirement : one has to be able to access the list of dead xtals in Gleam
- The fraction of events sensitive to one xtal is ~1-3%
- One xtal is ok, but 10 xtals ?