

# Associated production of a photon and a heavy quark in heavy ion collisions

Rencontres QGP-France 2012

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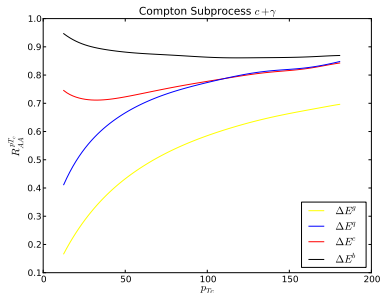
# $\gamma + Q$ in $A - A$ Collisions

- Hard Probes - excellent tools for testing properties of QGP
- Compare to  $p - p$  observables to estimate parton energy loss
- Can have
  - Medium sensitive processes - Jets, hadrons, ...
  - Medium insensitive processes - photons, Z bosons, ...
- Combine both types of observables in one process
- $\gamma$  - medium insensitive  $\rightarrow E^\gamma$  not modified - a gauge for initial energy of jet
- (heavy) jet probes (massive) parton energy loss
- Concentrate on heavy quarks  $Q$  (charm/bottom)
- Help clarify energy loss in the heavy quark sector and the expected hierarchy  $\Delta E_g > \Delta E_q > \Delta E_c > \Delta E_b$  [Dokshitzer Kharzeev 2001]

# $\gamma + Q$ Energy Loss Implementation

- Modify  $E_Q^{vac}$  so that  $E_Q^{med} = E_Q^{vac} - \epsilon_Q$
- $\epsilon_Q$  computed on an event by event basis, with quenching weight obtained perturbatively [[Armesto Dainese Salgado Wiedemann 2005](#)]
  - $P(\epsilon) = p_0 \delta(\epsilon) + p(\epsilon)$
  - through multiple soft scattering - BDMPS-Z
  - Mass dependence enters as -  $m_Q/E_Q$
- Parton keeps its direction:  
 $p^{vac} = p_T(\cosh y, \vec{e}_T, \sinh y) \rightarrow p^{med} = [p_T - \epsilon](\cosh y, \vec{e}_T, \sinh y)$

# Comparing energy loss



$$R_{AA}^{p_{TQ}} = \frac{\frac{d\sigma(AA \rightarrow \gamma \ Q \ X)}{dp_{TQ}}}{\frac{d\sigma(pp \rightarrow \gamma \ Q \ X)}{dp_{TQ}}}$$

- Expected hierarchy observed
- $R_{AA}^g < R_{AA}^q < R_{AA}^c < R_{AA}^b$
- Differences for quarks disappear at large  $p_T$

## 2 particle final state observables

- The two-particle final state further offers a range of observables
- Photon-jet energy asymmetry:

$$A_J = \frac{E_{T1} - E_{T2}}{E_{T1} + E_{T2}}, \Delta\phi > \pi/2$$

- Momentum imbalance:

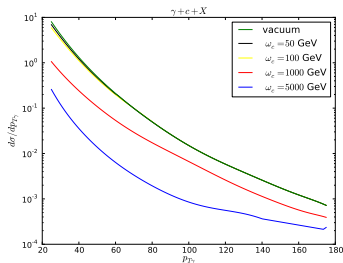
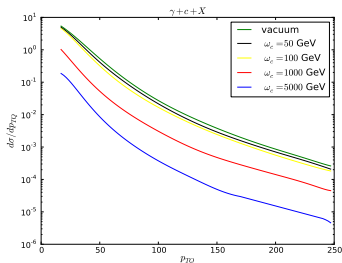
$$z_{34} = -\frac{\vec{p}_{T\gamma} \cdot \vec{p}_{TQ}}{p_{T\gamma}^2}$$

- Photon-jet pair momentum:

$$q_{\perp} = |\vec{p}_{T\gamma} + \vec{p}_{TQ}|$$

- Need to move to NLO to utilize them

# NLO Energy Loss

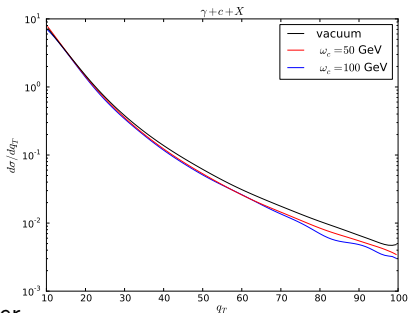


- $p_{TQ}$  spectra suppressed (naturally suppression increases with larger  $\omega_c$ )
- $p_{T\gamma}$  spectrum almost unchanged at small  $\omega_c$

# Photon-jet pair momentum

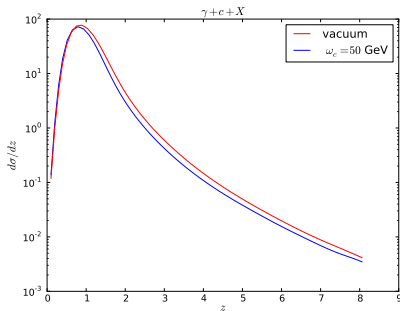
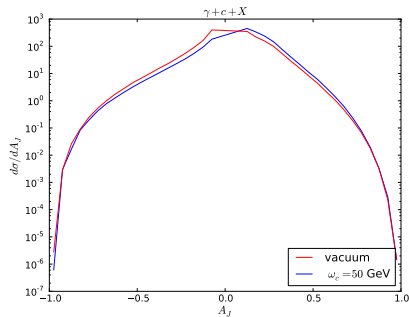
- LO direct production:

$$\begin{aligned} q_{\perp}^M &= p_{T\gamma}^M - p_{TQ}^M \\ &= p_{TQ}^V - (p_{TQ}^V - \epsilon) \\ &= \epsilon \end{aligned}$$



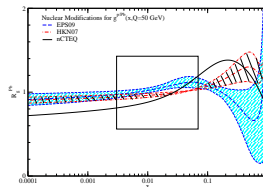
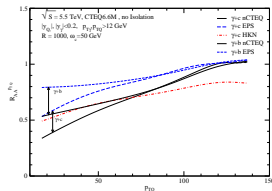
- At NLO however
  - if  $p_{T\gamma} > p_{TQ}$ ,  $q_T^M \sim q_T^V + \epsilon$
  - if  $p_{TQ} > p_{T\gamma}$ ,  $q_T^M \sim q_T^V - \epsilon$
- Effect largely cancels out

# $A_J$ & $z$



- $z_{LO}^M = 1 - \frac{\epsilon}{p_{T\gamma}}$
- $A_J^{M,LO} = \frac{\epsilon}{2p_{T\gamma} - \epsilon}$

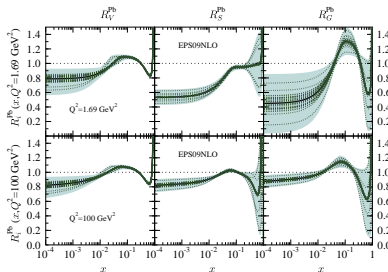
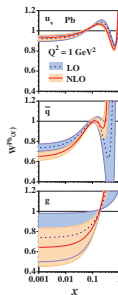




- Overlap of  $\gamma + b$  &  $\gamma + c$  within different nPDFs
- Need better constrained gluon nPDF!

- Difference between  $p - p$  &  $A - A$  observables also due to nPDF effects
- Desentangle parton energy loss from initial state nPDF effects  $\rightarrow$  need well constrained nPDFs

# Nuclear Gluon Distribution



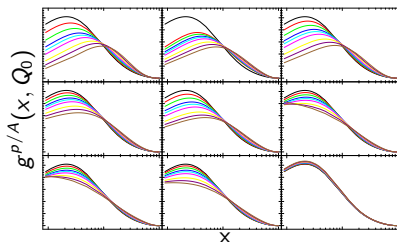
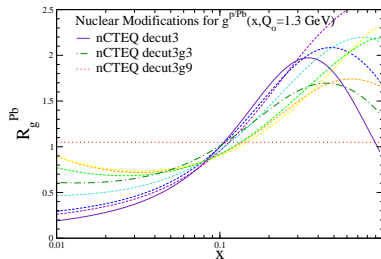
- The nuclear gluon distribution only weakly constrained by data ( $F_2^{Sn}(x, Q^2)/F_2^C(x, Q^2)$ , NMC collaboration)
- Represented in large error bands (EPS09,HKN07)!
- Poorly constrained in  $x < 0.02$  and  $x > 0.1$
- Currently no error bands for nCTEQ - perform a series of global fits to assess it

- Vary  $c_1 = c_{1,0} + c_{1,1}(1 - A^{-c_{1,2}})$  influencing small  $x$  behavior of gluon nPDF

Name	(initial) fit parameter	$c_{1,1}$	$c_{1,2}$
decut3	free	-0.29	-0.09
decut3g1	fixed	0.2	50.0
decut3g2	fixed	-0.1	-0.15
decut3g3	fixed	0.2	-0.15
decut3g4	free	0.2	-0.15
decut3g5	fixed	0.2	-0.25
decut3g7	fixed	0.2	-0.23
decut3g8	fixed	0.35	-0.15
decut3g9	fixed – free proton	0.0	—

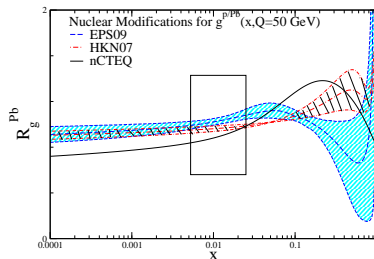
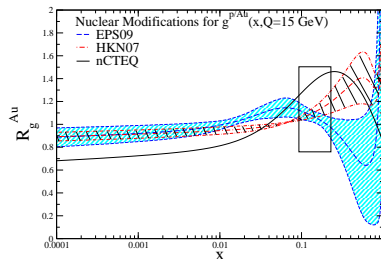
- Each fit equally acceptable with an excellent  $\chi^2/\text{dof} = 0.88\text{--}0.9$ .

# gluon nCTEQ decut3gx fits

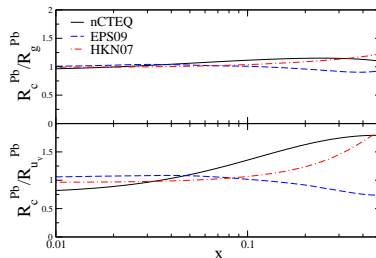
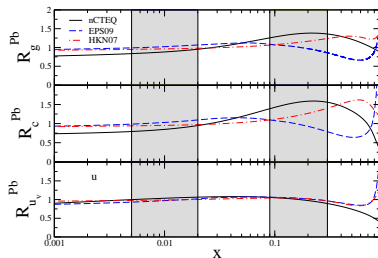


- The different fits cover quite a range of nuclear corrections
- Each fit will come with own error band  $\rightarrow$  individual fits underestimate true uncertainty

# gluon Nuclear Corrections



- At larger  $Q$  error still large
- Different nPDF sets, quite different
- Need to distinguish between them



- Standard approach: HQ PDFs are generated radiatively  $\rightarrow$   
 $R_g^{Pb} \simeq R_c^{Pb}$
- For  $u_v$ ,  $R_{u_v}^{EPS} \simeq R_{u_v}^{HKN} \simeq R_{u_v}^{nCTEQ}$

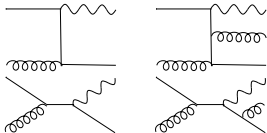
# Hard Processes constraining $g^{p/A}(x, Q)$

- Inclusive jet data (like Tevatron for free gluon)
- Inclusive hadron production
- Heavy quark ; Quarkonium production
- Isolated direct photons
- Direct Photons + jet
- **Direct Photon + Heavy Quark Jet**

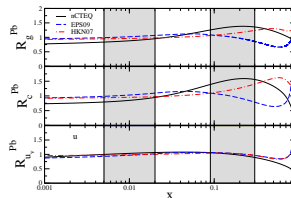


# How can $\gamma + Q$ help ?

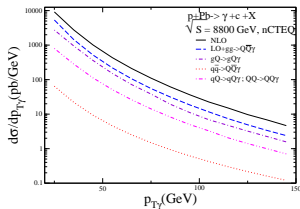
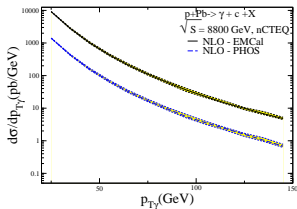
- At LO - only one hard scattering subprocess **Compton subprocess** -  $g - Q$  initiated + fragmentation contributions
- Standard approach: HQ PDFs are generated radiatively  $\Rightarrow$   
 $R_g^{Pb} \simeq R_c^{Pb}$



- Direct access to gluon nPDF



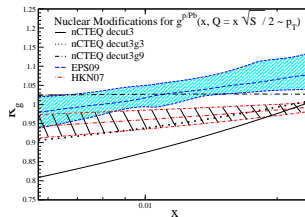
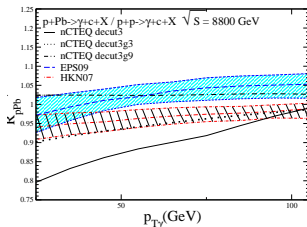
# $\gamma + Q$ production in $p - Pb$ collisions @ the LHC



- $g$  &  $Q$  initiated subprocesses dominate ( $> 80\%$ )  $\Rightarrow$  sensitivity to gluon and HQ PDFs.
- Using an integrated yearly luminosity of  $\mathcal{L} = 10^{-1} pb^{-1}$  a precursory number of events per year at EMCal for  $\gamma + c$  is  $\mathcal{N}_{\gamma+c}^{pPb} = 11900$  ( $\sigma_{\gamma+c}^{pPb} = 119 nb$ ) and for  $\gamma + b$  is  $\mathcal{N}_{\gamma+b}^{pPb} = 2270$  ( $\sigma_{\gamma+b}^{pPb} = 22.7 nb$ )

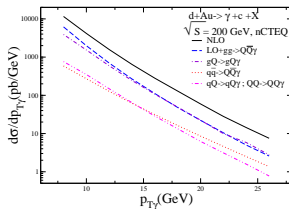
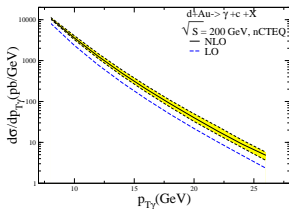
# Constraining the gluon nPDF

$$R_{pA}^{\gamma Q} = \frac{\sigma(pA \rightarrow \gamma \text{ } Q \text{ } X)}{A \sigma(pp \rightarrow \gamma \text{ } Q \text{ } X)}$$



- $R_{pA}^{\gamma Q} \simeq R_g^{Pb}$  - in the  $x$  region probed at ALICE
- Measurements of  $\gamma + Q$  with appropriate error bars will allow to **distinguish** between the different nPDF sets and place useful **constraints on the gluon nPDF** ([arXiv:1012.1178](https://arxiv.org/abs/1012.1178))

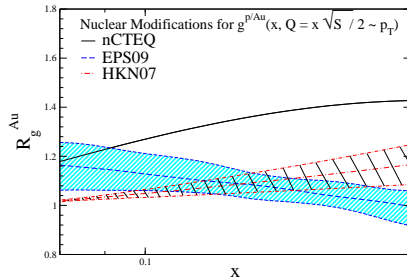
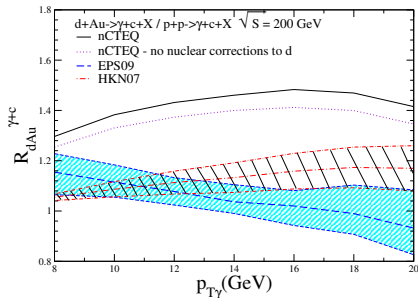
# $\gamma + Q$ production in $p - Pb$ collisions @ RHIC



- $g$  &  $Q$  initiated subprocesses dominate again  $\Rightarrow$  sensitivity to gluon and HQ PDFs.
- A precursory number of events per year for  $\gamma + c$  -  $\mathcal{N}_{\gamma+c}^{dAu} = 28000$  and for  $\gamma + b$  -  $\mathcal{N}_{\gamma+b}^{dAu} = 24$

# Constraining the gluon nPDF

$$R_{pA}^{\gamma Q} = \frac{\sigma(pA \rightarrow \gamma Q X)}{A \sigma(pp \rightarrow \gamma Q X)}$$



- At RHIC higher  $x$  region is probed
- $R_{dAu}^{\gamma Q} \simeq R_g^{Au}$  - in the  $x$  region probed at RHIC
- Complimentary information to ALICE
- Measurements of  $\gamma + Q$  with appropriate error bars will allow to **distinguish** between the different nPDF sets and place useful **constraints on the gluon nPDF** ([arXiv:1012.1178](https://arxiv.org/abs/1012.1178))

# Summary

- In AA collisions  $\gamma + Q$  can be used to probe HQ energy loss
- Access the mass hierarchy of parton energy loss
- In pA collisions photon + HQ production can be used to constrain nuclear gluon PDF
- (In pp collisions can be used to constrain HQ PDF )