

# Bottomonia in CMS in pp, pPb and PbPb collisions

Émilien Chapon

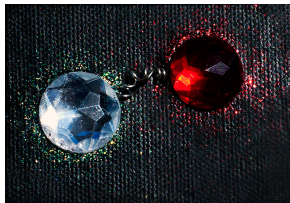
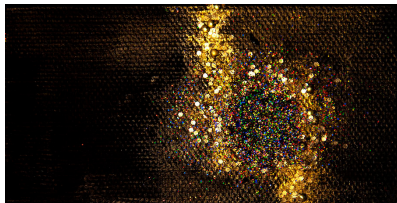
Laboratoire Leprince-Ringuet, École polytechnique, Palaiseau

Heavy ion meeting, January 26<sup>th</sup>, 2016  
IPNO, Orsay



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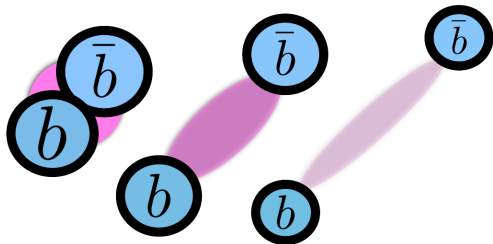




Sarah Szabo

- Quarkonia as good probes of the medium evolution.
- Two families (charmonia, bottomonia), several excited states: importance of quark mass, binding energy and size?
- pp collisions: production mechanism “in vacuum”
- pA collisions: cold nuclear matter effects
- AA collisions: quark gluon plasma



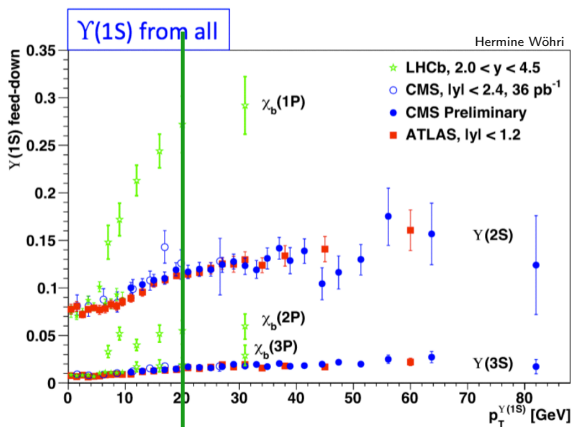


Why study bottomonia?

- Three states with similar production rate but different binding energy
- Higher mass than charmonia: better acceptance in CMS (down to 0  $p_T$ )
- No non-prompt component
- Very high melting temperature for  $\Upsilon(1S)$



# Feed-down contribution to bottomonia production

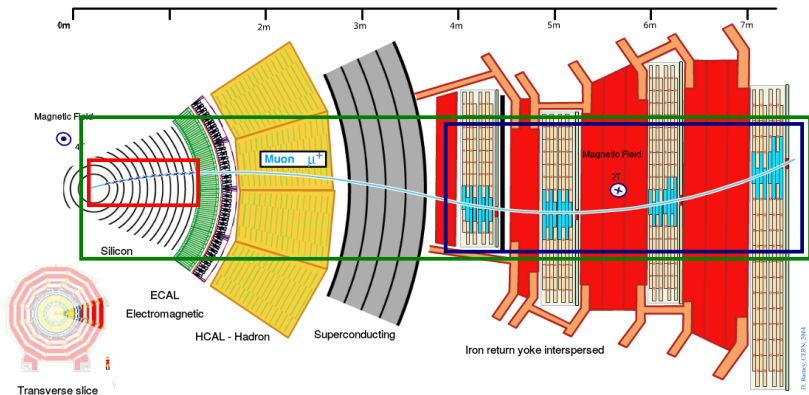


Significant fraction of  $\Upsilon$  coming from feed-down contributions (about  $\sim 30 - 40\%$ )



LLR

# Muons in the CMS experiment



- **Muon reconstruction:** silicon tracker + muon sub-detectors

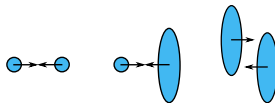
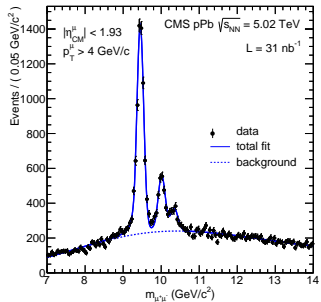
- Tracker  $p_T$  resolution: 1-2% up to  $p_T \sim 100$  GeV/c.
- Excellent  $p_T$  resolution.
  - separation of quarkonium states
  - displaced tracks for heavy-flavour measurements



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- 1  $\Upsilon$  in pPb
- 2  $\Upsilon$  polarisation vs multiplicity in pp
- 3  $\Upsilon$  in PbPb

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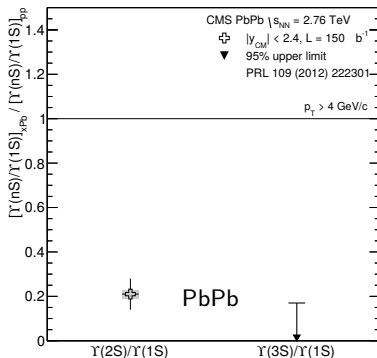


# Double ratio

PRL 109 (2012) 222301

$$\frac{\left[\frac{\Upsilon(nS)}{\Upsilon(1S)}\right]_{\text{PbPb}}}{\left[\frac{\Upsilon(nS)}{\Upsilon(1S)}\right]_{\text{pp}}} = \frac{R_{\text{PbPb}}(\Upsilon(nS))}{R_{\text{PbPb}}(\Upsilon(1S))}$$

- Double ratio cancels initial state effects for excited ground states
  - Separating final state effects from initial state effects
- Binding energy dependence is observed.
- PbPb: factor  $> 5$  more suppression of excited states compared to the ground state.



LLR

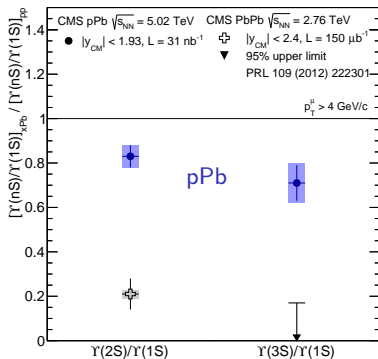




# Double ratio

- Double ratio cancels initial state effects for excited ground states
  - Separating final state effects from initial state effects
- Binding energy dependence is observed.
- PbPb: factor  $> 5$  more suppression of excited states compared to the ground state.
- pPb: much lower dependence on  $\Upsilon(nS)$  states
  - Excited states also suffer more from CNM effects than the ground state.

$$\frac{\left[\frac{\Upsilon(nS)}{\Upsilon(1S)}\right]_{\text{pPb}}}{\left[\frac{\Upsilon(nS)}{\Upsilon(1S)}\right]_{\text{pp}}} = \frac{R_{\text{pPb}}(\Upsilon(nS))}{R_{\text{pPb}}(\Upsilon(1S))}$$



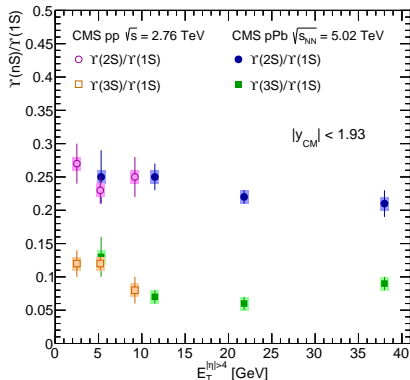
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# Single ratio of $nS/1S$ in pp and pPb

JHEP 04 (2014) 103

- Event activity is determined with transverse energy deposited in the forward hadronic calorimeter
- $\Upsilon(nS)/\Upsilon(1S)$  ratios fall with event activity
  - Is the multiplicity affecting the  $\Upsilon(nS)$ ?
  - Are the  $\Upsilon(nS)$  affecting the multiplicity?



$-\eta$	$+\eta$
HF [-5.2, -4]	Y [-1.93, 1.93]
	HF [4, 5.2]
	N <sub>tracks</sub> [-2.4, 2.4]

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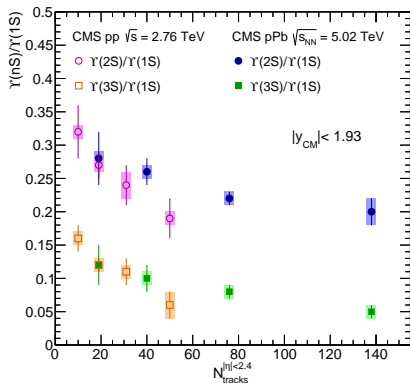




# Single ratio of $nS/1S$ in pp and pPb

JHEP 04 (2014) 103

- Event activity is determined with number of tracks (charged particles) in the central detector
- $\Upsilon(nS)/\Upsilon(1S)$  ratios fall with event activity
  - Is the multiplicity affecting the  $\Upsilon(nS)$ ?
  - Are the  $\Upsilon(nS)$  affecting the multiplicity?
  - Effects become stronger with tracks nearby



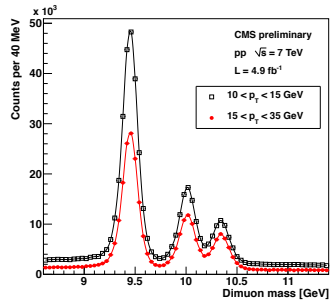
$-\eta$	$\Upsilon$	$+\eta$
HF [-5.2, -4]	[-1.93, 1.93]	HF [4, 5.2]
$N_{\text{tracks}}^{ \eta  < 2.4}$ [-2.4, 2.4]		

LLR



# Outline

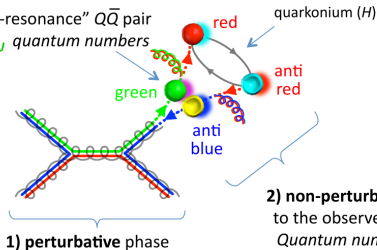
- 1  $\Upsilon$  in pPb
- 2  $\Upsilon$  polarisation vs multiplicity in pp
- 3  $\Upsilon$  in PbPb



# Quarkonium production

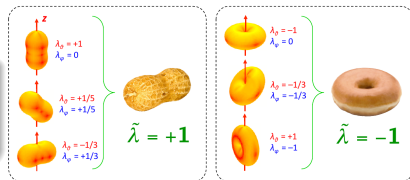
The non-relativistic QCD approach (factorisation):

possibly *colored* "pre-resonance"  $Q\bar{Q}$  pair  
of any possible  $^{2S+1}L_J$  quantum numbers



$$\sigma(A + B \rightarrow H + X) = \sigma(A + B \rightarrow ([Q\bar{Q}] + X) \otimes \mathcal{P}([Q\bar{Q}] \rightarrow H)$$

- Different long distance matrix elements (LDMEs)  $\rightarrow$  different polarisations.
- Multiplicity dependence?

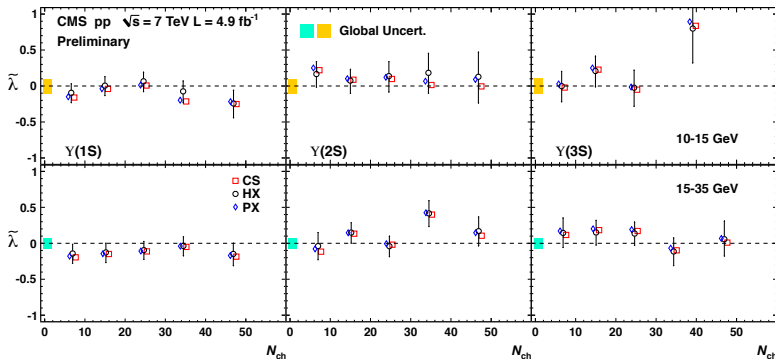
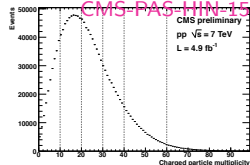


# Upsilon polarisation vs multiplicity in pp



CMS-PAS-HIN-15-003

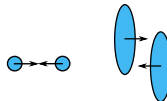
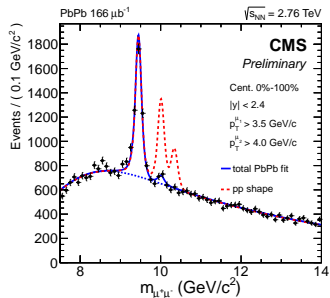
- The polarisation of  $\Upsilon$  states has been measured in pp collisions at  $\sqrt{s} = 7$  TeV as a function of charged particle multiplicity
- Similar studies to come in heavy ion collisions



No strong change of  $\Upsilon$  polarisation with multiplicity

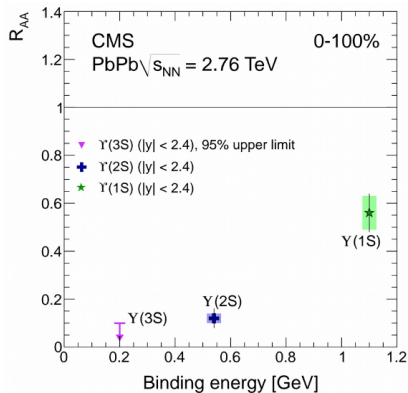
*R*

- 1  $\Upsilon$  in pPb
- 2  $\Upsilon$  polarisation vs multiplicity in pp
- 3  $\Upsilon$  in PbPb





- $\Upsilon(nS)$  are suppressed in PbPb collisions
- Stronger suppression for excited states is observed
- Ordered with assumed binding energies
- New: larger pp reference at the same energy (2013 data)
  - Similar ( $N_{\text{coll}}$ -scaled) luminosity as 2011 PbPb data
  - More precise mapping of the kinematic of the suppression





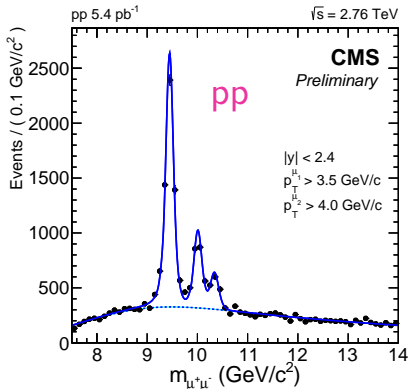
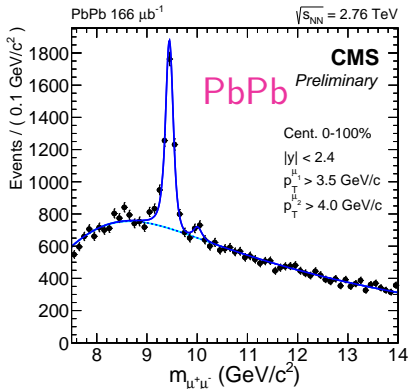


## Signal extraction

CMS-PAS-HIN-15-001

Different single muon cuts for different states:

- $\Upsilon(1S)$ :  $p_T^{\mu 1} > 3.5$  GeV,  $p_T^{\mu 2} > 4$  GeV
- $\Upsilon(2S, 3S)$ :  $p_T^{\mu 1,2} > 4$  GeV

~ 5000  $\Upsilon(1S)$  in pp~ 2500  $\Upsilon(1S)$  in PbPb

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- Raw yields corrected for acceptance  $\times$  efficiency
- Results given for  $|y(\Upsilon)| < 2.4$ ,  $0 < p_T(\Upsilon) < 20$  GeV.
- Efficiency correction from simulation, corrected for data-MC differences using a tag and probe method.

Systematic uncertainty	Magnitude	corr.
Signal extraction	$< 28\%$	no
Acceptance $\times$ efficiency	$\sim 2.5\%$ (pp), $\sim 8.2\%$ (PbPb)	no
Tag and probe: $\mu$ ID, trigger	0.4% – 17%	no
Tag and probe: inner tracking	3.4% (pp), 10% (PbPb)	yes
pp luminosity	3.7%	yes
Min. bias (PbPb norm.)	3%	yes
Overlap function $T_{AA}$	6.2%	yes ( $p_T, y$ )

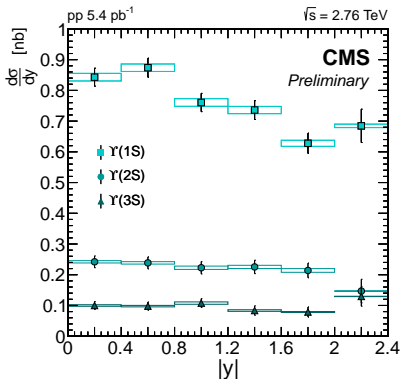
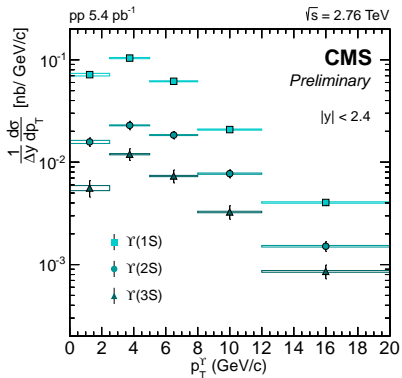




# Cross sections in pp

CMS-PAS-HIN-15-001

- Cross sections extracted for the three states.
- Important input to production models.



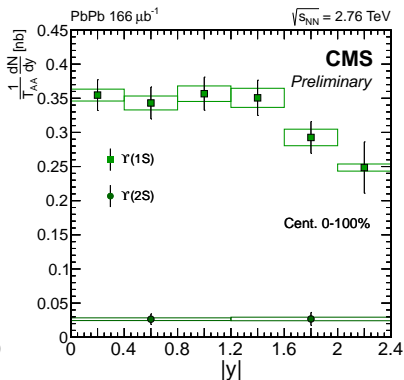
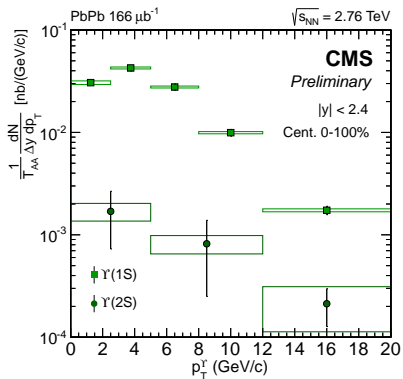
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# Cross sections in PbPb

CMS-PAS-HIN-15-001

- First measurement of the kinematic dependence of  $\Upsilon(2S)$  production in AA.



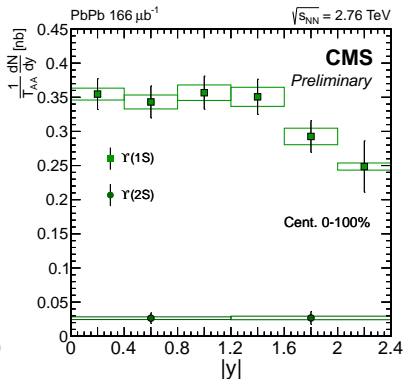
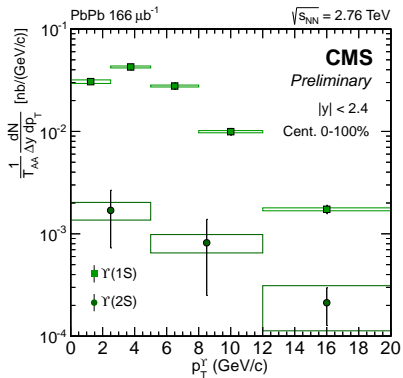
LLR



# Cross sections in PbPb

CMS-PAS-HIN-15-001

- First measurement of the kinematic dependence of  $\Upsilon(2S)$  production in AA.
- Let's compare pp to AA: nuclear modification factors ( $R_{AA}$ ).



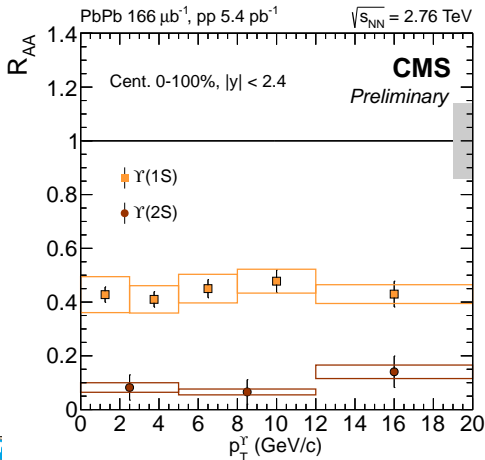
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# $R_{AA}$ : $p_T$ dependence

CMS-PAS-HIN-15-001

$$R_{AA} = \frac{\mathcal{L}_{pp}}{T_{AA} N_{MB}} \frac{N_{AA}}{N_{pp}} \frac{\epsilon_{pp}}{\epsilon_{AA}}$$



$\Upsilon$  production is suppressed in PbPb, with binding energy ordering.

Integrated results (Min. bias):

- $R_{AA}(\Upsilon(1S)) = 0.43 \pm 0.03 \pm 0.07$
- $R_{AA}(\Upsilon(2S)) = 0.12 \pm 0.03 \pm 0.02$
- $R_{AA}(\Upsilon(3S)) < 0.14$  at 95% C.L.

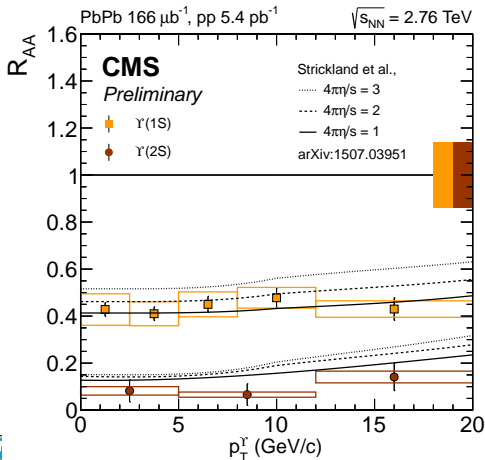
- No significant  $p_T$  dependence over the measured range.



# $R_{AA}$ : $p_T$ dependence

CMS-PAS-HIN-15-001

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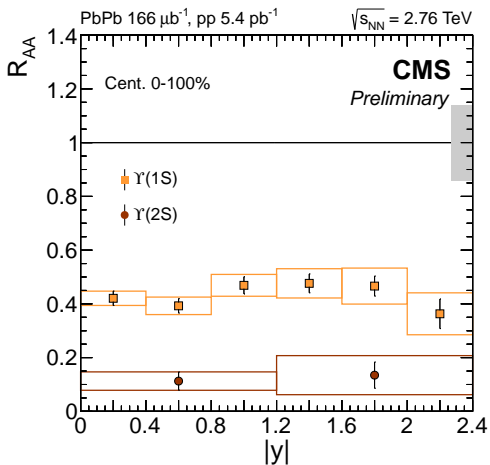
- No significant  $p_T$  dependence over the measured range.

- $\Upsilon(1S)$  well described, some tension for  $\Upsilon(2S)$



# $R_{AA}$ : rapidity dependence

CMS-PAS-HIN-15-001



- No significant  $y$  dependence over the measured range



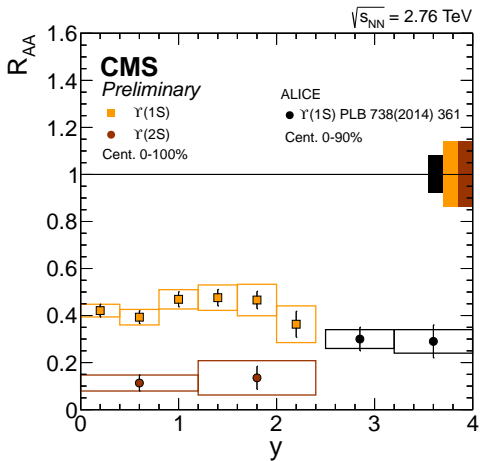
LLR





# $R_{AA}$ : rapidity dependence

CMS-PAS-HIN-15-001



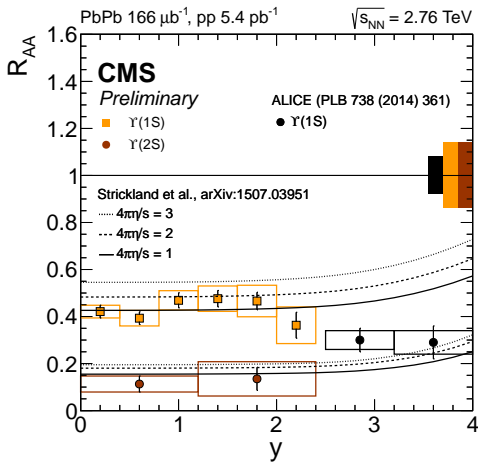
- No significant  $y$  dependence over the measured range
- Similar 1S suppression in the ALICE rapidity range





# $R_{AA}$ : rapidity dependence

CMS-PAS-HIN-15-001



- No significant  $y$  dependence over the measured range
- Similar 1S suppression in the ALICE rapidity range
- Good description in the model, at mid-rapidity only

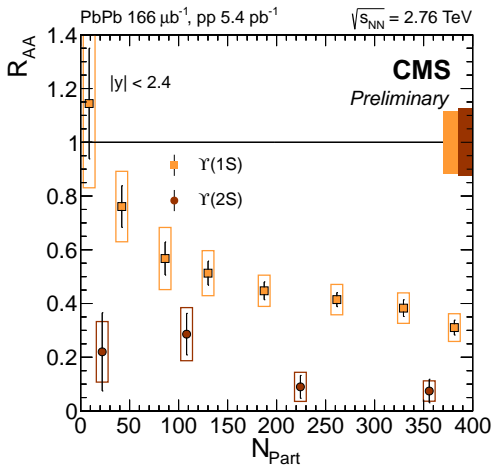


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# $R_{AA}$ : centrality dependence

CMS-PAS-HIN-15-001



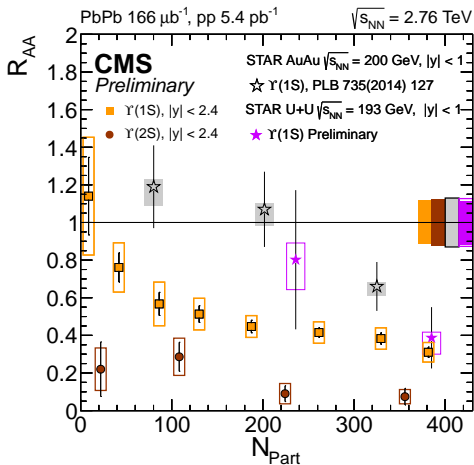
- Stronger suppression in central events
- Significant  $\Upsilon(2S)$  suppression in peripheral events





# $R_{AA}$ : centrality dependence

CMS-PAS-HIN-15-001



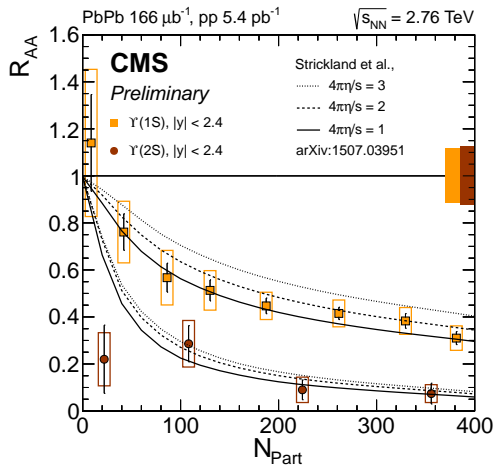
- Stronger suppression in central events
- Significant  $\Upsilon(2S)$  suppression in peripheral events
- Comparison with STAR ( $|y| < 1$ ,  $\sqrt{s_{NN}} = 200 \text{ GeV}$  (AuAu) or 193 GeV (UU):
  - No significant modification in peripheral events
  - Strong suppression in central events





# $R_{AA}$ : centrality dependence

CMS-PAS-HIN-15-001



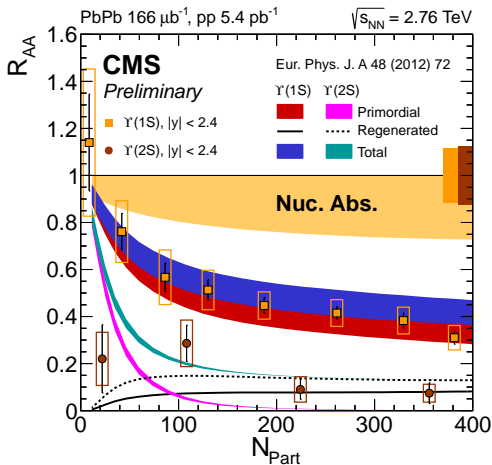
- Strickland: thermal suppression in QGP, satisfactory description





# $R_{AA}$ : centrality dependence

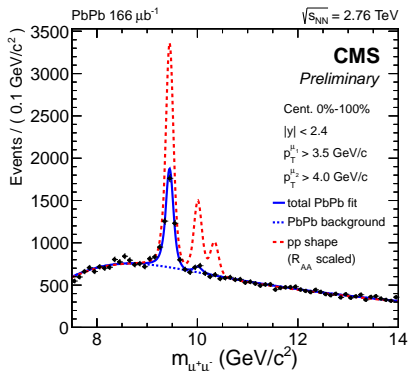
CMS-PAS-HIN-15-001



- Strickland: thermal suppression in QGP, satisfactory description
- TAMU: also includes CNM and regeneration effects
  - Regeneration dominates for  $\Upsilon(2S)$  in central events



## Summary



Comprehensive study of  $\Upsilon$  production in pp, pPb and PbPb collisions.

- Larger suppression of excited  $\Upsilon$  states in PbPb than in pPb, with respect to pp
- Different  $\Upsilon(nS)/\Upsilon(1S)$  depending on event activity
- No evidence for different production mechanisms vs. multiplicity
- Suppression in PbPb: stronger for excited states, stronger in central events, flat in  $p_T$  and  $y$ .

2015 PbPb data ( $\sqrt{s_{NN}} = 5.02 \text{ TeV}$ )

- $\sqrt{s_{NN}}$  dependence of  $\Upsilon(1S)$  suppression?
- How suppressed really are  $\Upsilon(3S)$ ?

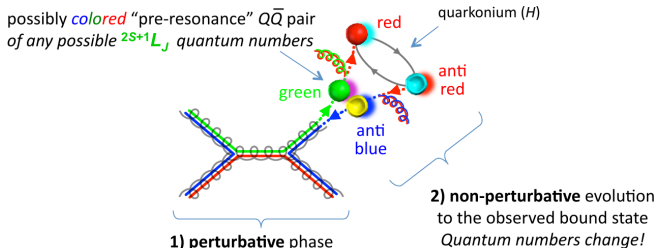






# Quarkonium production

The non-relativistic QCD approach:



$$\sigma(A + B \rightarrow H + X) = \sigma(A + B \rightarrow ([Q\bar{Q}] + X) \otimes \mathcal{P}([Q\bar{Q}] \rightarrow H))$$

- $\sigma(A + B \rightarrow ([Q\bar{Q}] + X)$  (short-distance coefficients, SDCs): perturbative
- $\mathcal{P}([Q\bar{Q}] \rightarrow H)$  (long-distance matrix elements, LDMEs): non-perturbative, dependent on the  $Q\bar{Q}$  quantum numbers (colour, spin, orbital momentum), constant and universal

- Are LDMEs really universal?
- Dependence with charged particle multiplicity, pp vs pPb vs PbPb...?

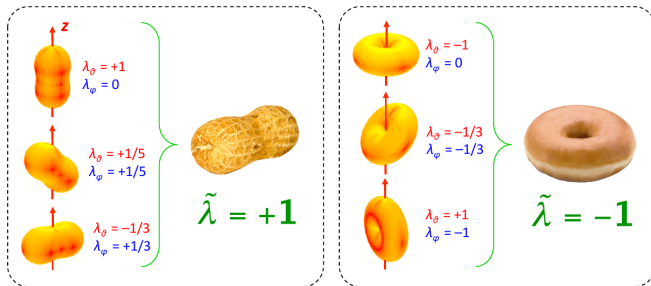
# Quarkonium polarisation

- The polarisation information is stored in the angular distribution of the particle decay:

$$W(\cos \theta, \phi | \vec{\lambda}) = 1 + \lambda_{\theta} \cos^2 \theta + \lambda_{\phi} \sin \theta \cos 2\phi + \lambda_{\theta\phi} \sin 2\theta \cos \phi$$

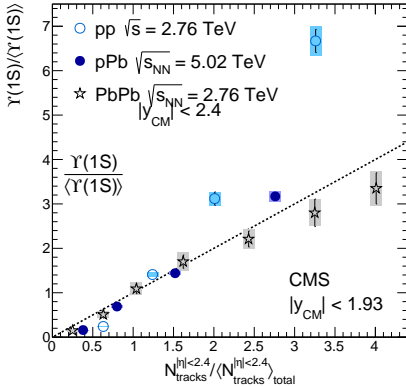
- The polarisation parameters  $(\lambda_{\theta}, \lambda_{\phi}, \lambda_{\theta\phi})$  depend on the choice of reference frame.
- A frame-independent approach:

$$\tilde{\lambda} = \frac{\lambda_{\theta} + 3\lambda_{\phi}}{1 - \lambda_{\phi}}$$

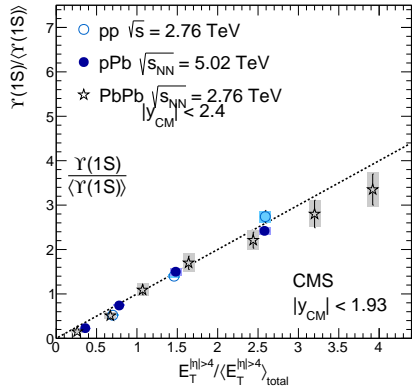




Goal: measure self-normalised cross sections as a function of multiplicity.

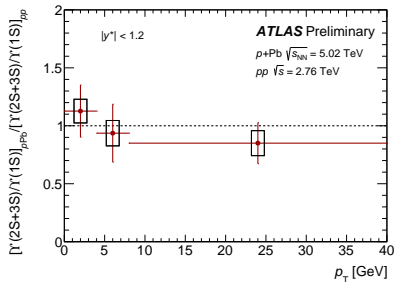
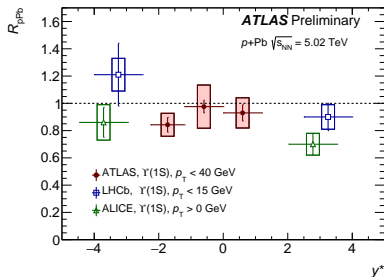


Positive correlation in pp, small negative correlation in PbPb (suppression).

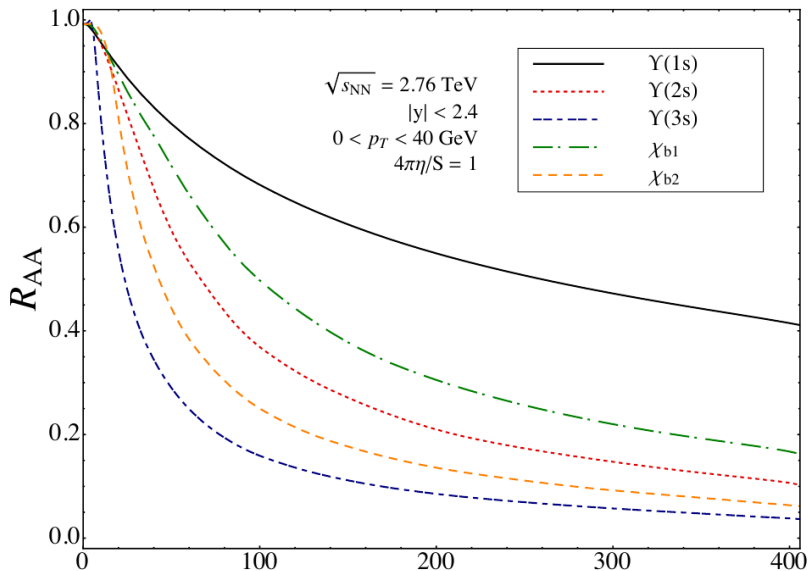


Unit slope in pp and pPb.

# $R_{pA}$ of $\Upsilon$ from other LHC experiments



# Raw $R_{AA}$ (Strickland, 1507.03951)



# Feed down contributions (LHCb, EPJC 74 (2014) 3092)

