

**Cosmic positron and electron excesses:**

**is the dark matter solution a good bet?**

**(principles, backgrounds,**

**effect of cosmological subhalos**

**and uncertainties)**

**Julien Lavalle**

**(Dept of Theoretical Physics, University of Turin)**

**Refs (arXiv) : 0603796, 0712.0468, 0709.3634, 0704.2543, 0808.0332, 0809.5268, 0902.3665**

**Collab: Delahaye, Salati, Taillet (LAPTH) – Maurin (LPNHE) – Nezri (LAM)**

**Ling (Brussels) – Donato, Fornengo, Lineros (Turin) – Bi, Yuan (Beijing) – Bringmann (Stockholm)**

**LLR - École Polytechnique — Palaiseau**

**Thursday, May 18<sup>th</sup> 2009**

# Outline

- ⑥ **General introduction**
- ⑥ **Why antimatter ?**
- ⑥ **The positron excess: standards and non standards**
- ⑥ **Computing the odds of the Galactic Lottery: clumpiness boost factors**
  - △ **Cosmological sub-halos: Analytical vs N-body approach**
- ⑥ **Conclusion**

# The Dark Matter problem :

## connecting cosmological to microscopic scales

Cosmological data (WMAP, etc) :

$$\Omega_{\text{matter}} \sim 0.3$$

$$\Omega_{\Lambda} \sim 0.7$$

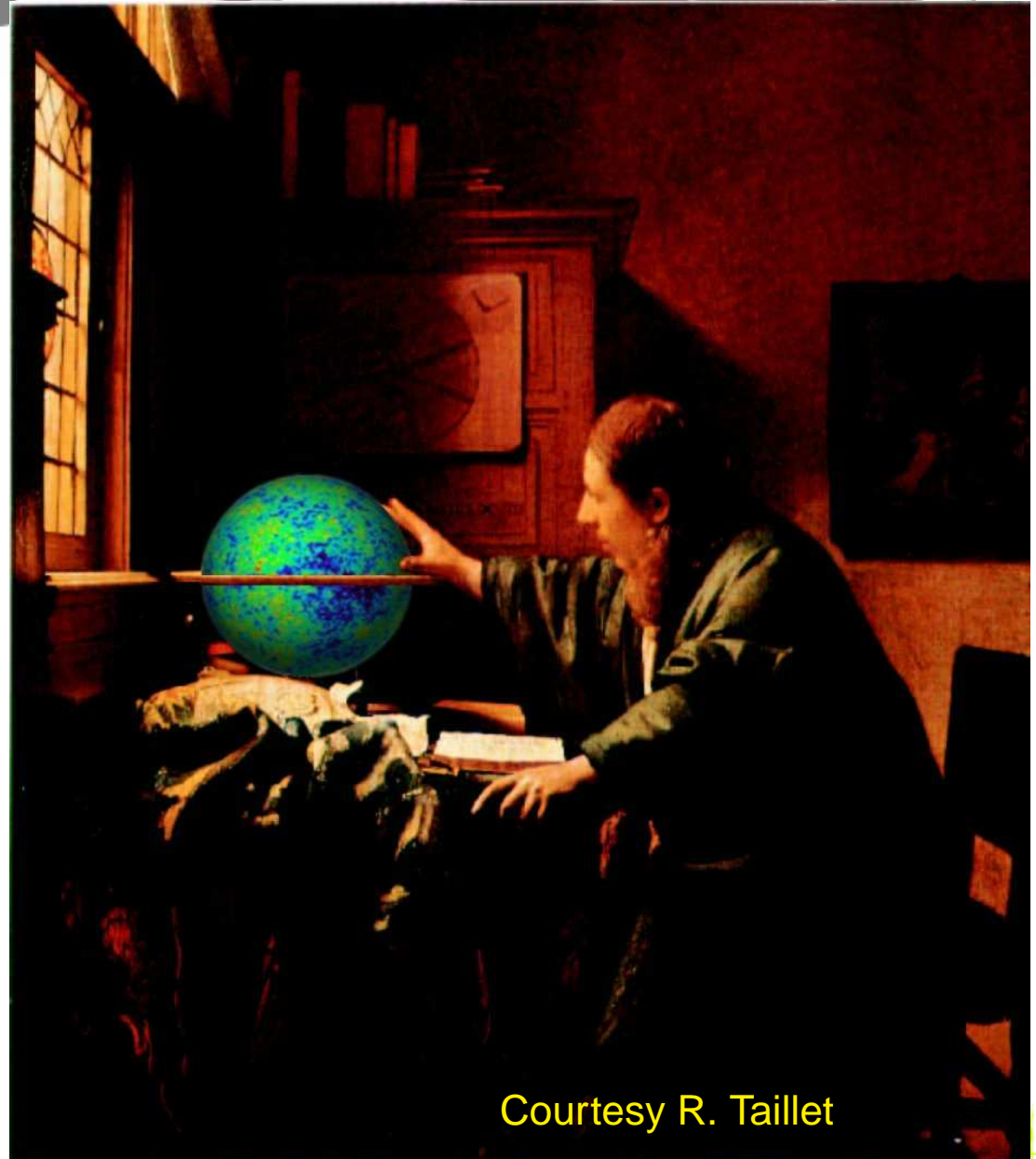
85% of the matter is of unknown origin (non-baryonic) → **New particles or modified gravity**. **WIMPs** naturally arise from beyond standard model theories (SUSY, ED), without asymmetry matter/antimatter

- ⑥ Relic density (thermal hypothesis):

$$\Omega_{\chi} \propto \frac{1}{\langle \sigma v \rangle} \propto \frac{m_{\text{EW}}^2}{g_{\text{EW}}^4}$$

- ⑥ DM couples to standard matter (direct detection)

- ⑥ Annihilation in high density regions (indirect detection)



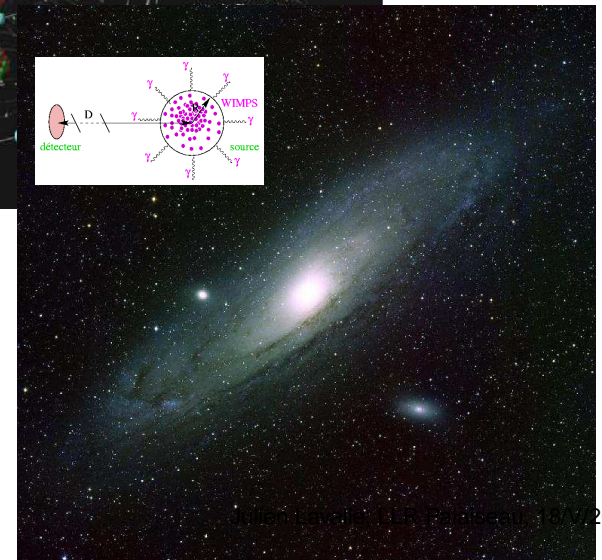
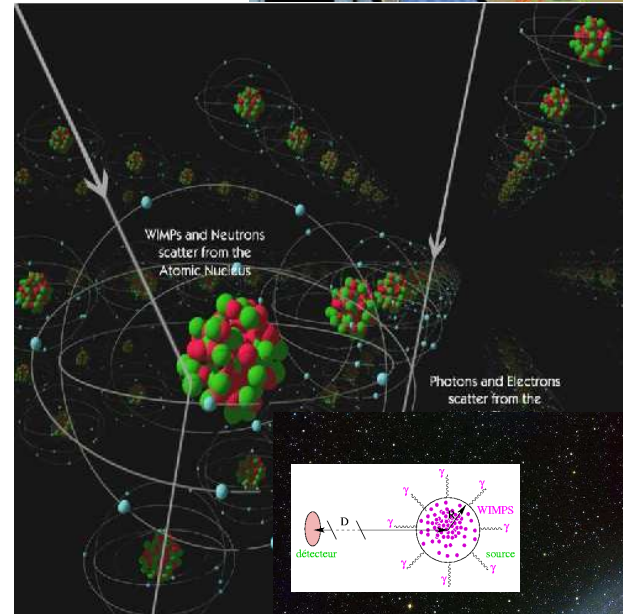
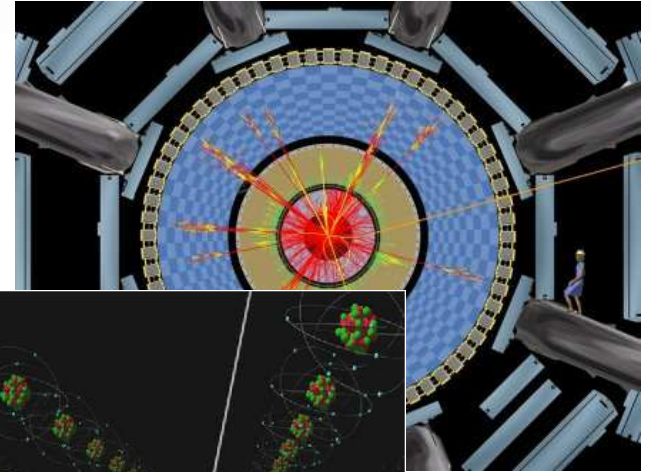
Courtesy R. Taillet



# Detection methods

If dark matter couples to ordinary matter, it could be detected thanks to:

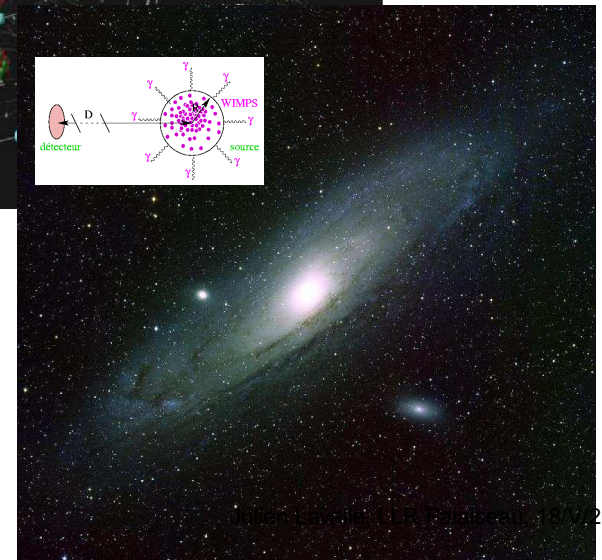
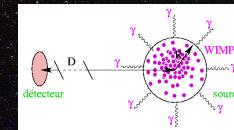
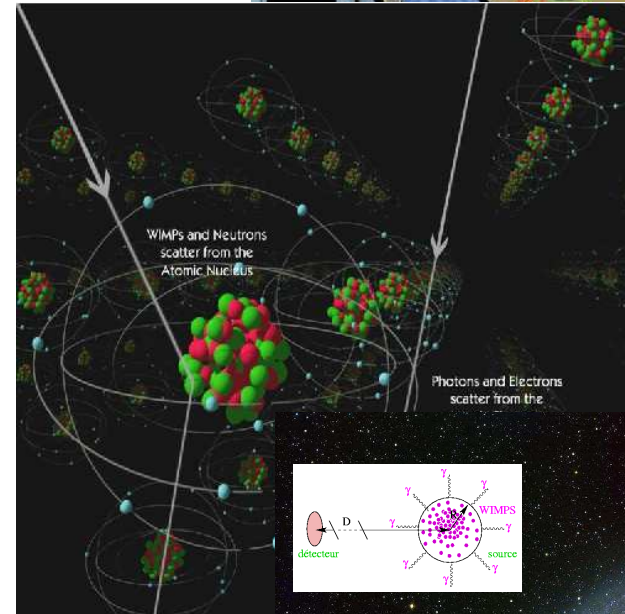
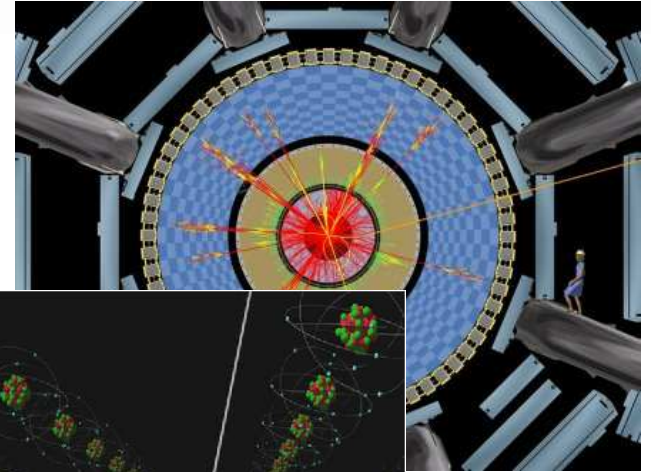
- ⑥ **Particle colliders: (LHC!)**  
(no difference between any meta-stable particle and a wimp)
- ⑥ **Direct detection: (many!)**  
(mainly sensitive to scalar interactions and low wimp masses)
- ⑥ **Indirect detection:**  
(HESS, PAMELA, GLAST)  
( $\gamma$ -rays, antimatter cosmic rays, neutrinos)



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Complementary searches are mandatory for consistent answers

# Some candidates

## ⑥ Supersymmetry

- △ **neutralino** (MSSM & mCHOUGRA) – **DM**:  
→  $b\bar{b}$  ( $t\bar{t}$ ),  $W^+W^-$ ,  $ZZ$ , marginally  $l^+l^-$  (small slepton masses)
- △ **gravitino** (GMSB & mCHOUGRA) – **DM & SUSY breaking & nucleosynthesis**:  
→ phenomenology of nLSP
- △ **sneutrino** (MSSM) – **DM & neutrino masses & leptogenesis**:  
→  $\nu\bar{\nu}$ ,  $W^+W^-$

## ⑥ Extra-dimensions

- △ **LKP** (UED) – **DM**:  
→  $l^+l^-$  (60%), up  $q\bar{q}$  (35%)
- △ **LZP** (warped GUT) – **DM**:  
→ (depends on LZP mass and KK scale)

## ⑥ Other (minimal) models

- △ Inert doublet model, little Higgs, light DM, etc.



# Indirect detection of Dark Matter

Non-baryonic DM may explain a large fraction of the masses of galaxies and clusters: If made of **exotic annihilating particles**, we might detect indirect signatures by means of astronomical device

$\bar{p}, \bar{D} \text{ \& } e^+$

$\gamma \text{ \& } \nu$ 's

Courtesy P. Salati

⑥  $\gamma$  and  $\nu$ : travel directly from the source to the observer

⑥ Antimatter cosmic rays: diffuse on the magnetic turbulences

$\implies$  Needs of large DM density regions  
(Centers of galaxies)

# of Dark Matter

Non-baryonic Dark Matter and clusters: If made of exotic particles, means of astronomical devices

$$\frac{d\phi_{\text{prim}}}{dE} = \delta \frac{B_{\text{prim}} \times \langle \sigma v \rangle}{8\pi m_{\chi}^2} \times \int dE_S \int d^3 \vec{x}_S \mathcal{G}(\vec{x}_{\odot}, E \leftarrow \vec{x}_S, E_S) \times \rho_{\text{mn}}^2(\vec{x}_S) \times \frac{dN_{\text{prim}}}{dE_S}$$

esy P. Salati

- ⑥  $\gamma$  and  $\nu$ : tr  
to the observ
- ⑥ Antimatter cosmic  
magnetic turbulences



# of Dark Matter

## Flux measurements:

PAMELA satellite — antimatter (ongoing)

Fermi satellite —  $\gamma$ -rays (ongoing)

AMS-02 (2010 ?)

background predictions

## BSM particle physics:

SUSY, KK, etc.

$$\frac{d\phi_{\text{prim}}}{dE} = \delta \frac{B_{\text{prim}} \times \langle \sigma v \rangle}{8\pi m_{\chi}^2} \times \int dE_S \int d^3 \vec{x}_S \mathcal{G}(\vec{x}_{\odot}, E \leftarrow \vec{x}_S, E_S) \times \rho_{\text{mn}}^2(\vec{x}_S) \times \frac{dN_{\text{prim}}}{dE_S}$$

## Dark matter distribution:

Prescriptions from N-body cosmological simulation

Found to not be smooth: clumpiness effects ?

## Propagation Green function

(merely  $\frac{1}{4\pi r^2}$  for  $\gamma$ -rays)

and clusters: If  
means of astro-

esy P. Salati

density regions

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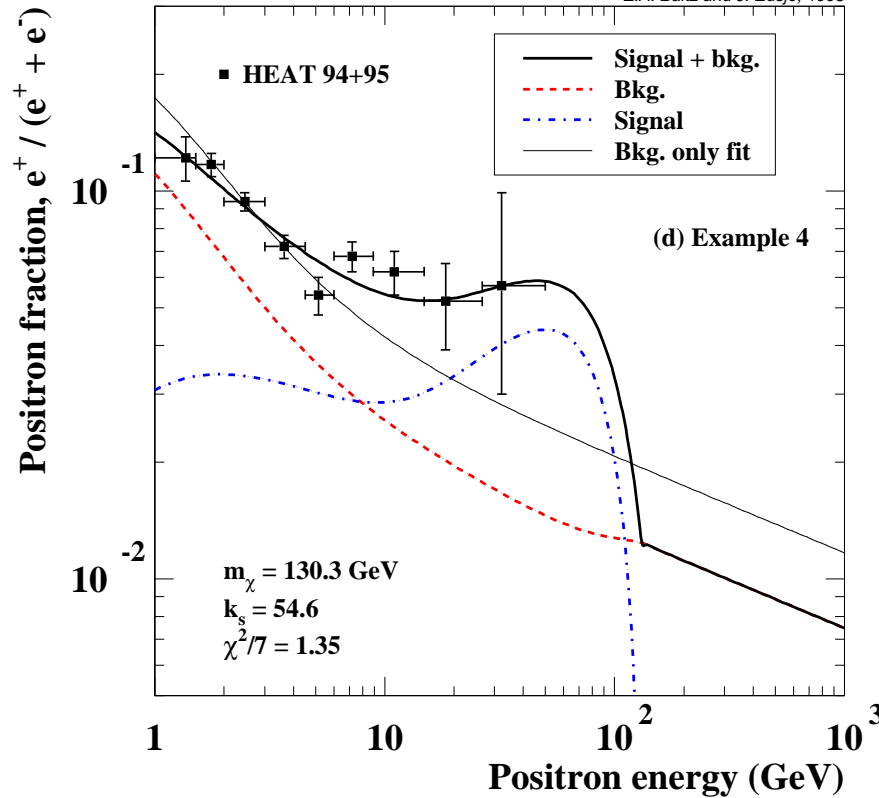
$$\frac{d\phi_{\text{prim}}}{dE}$$

Da  
Pr  
Fo

## Baltz & Edsjö, 98

Boost factor of 55

*E.A. Baltz and J. Edsjö, 1998*



## particle physics:

(K, etc.)

$$s) \times \frac{dN_{\text{prim}}}{dE_S}$$

'S

esy P. Salati

6  $\gamma$  and  $\nu$ : the  
to the observ

(merely  $\frac{1}{4\pi r^2}$  for  $\gamma$ -rays)

in density regions

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magnetic turbulences

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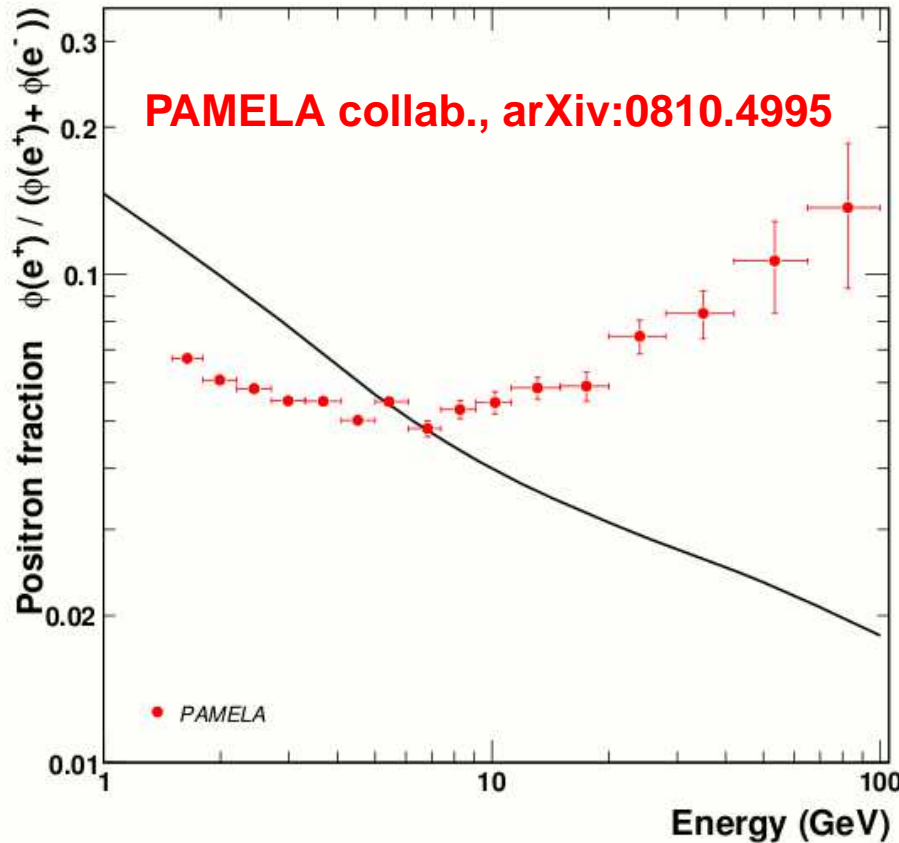
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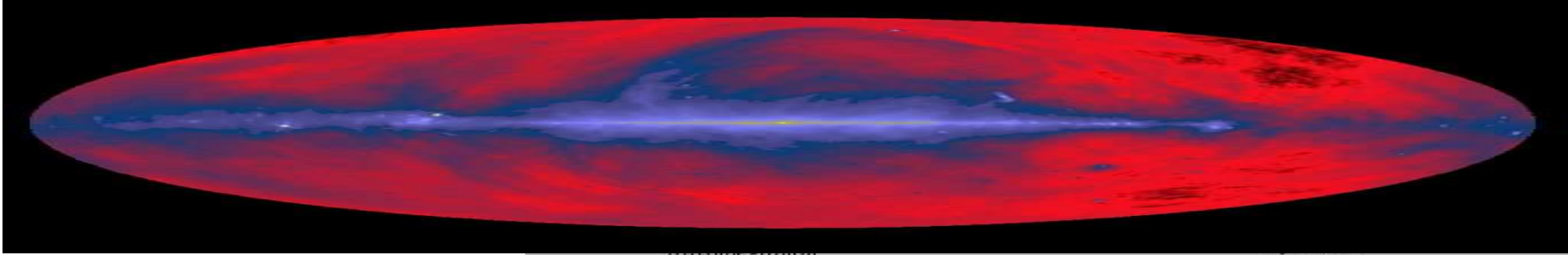
# On the positron fraction

**Before inferring an excess** from the data, one needs to:

- ⑥ properly **estimate the secondary positron background**;
- ⑥ properly **measure the electron flux** (prediction not necessary if measurements!!!);
- ⑥ **++++ theoretical uncertainties !!!**



# ***Sub-TeV Cosmic ray propagation in the Galaxy***



cf. e.g. Berezhinsky (1990)

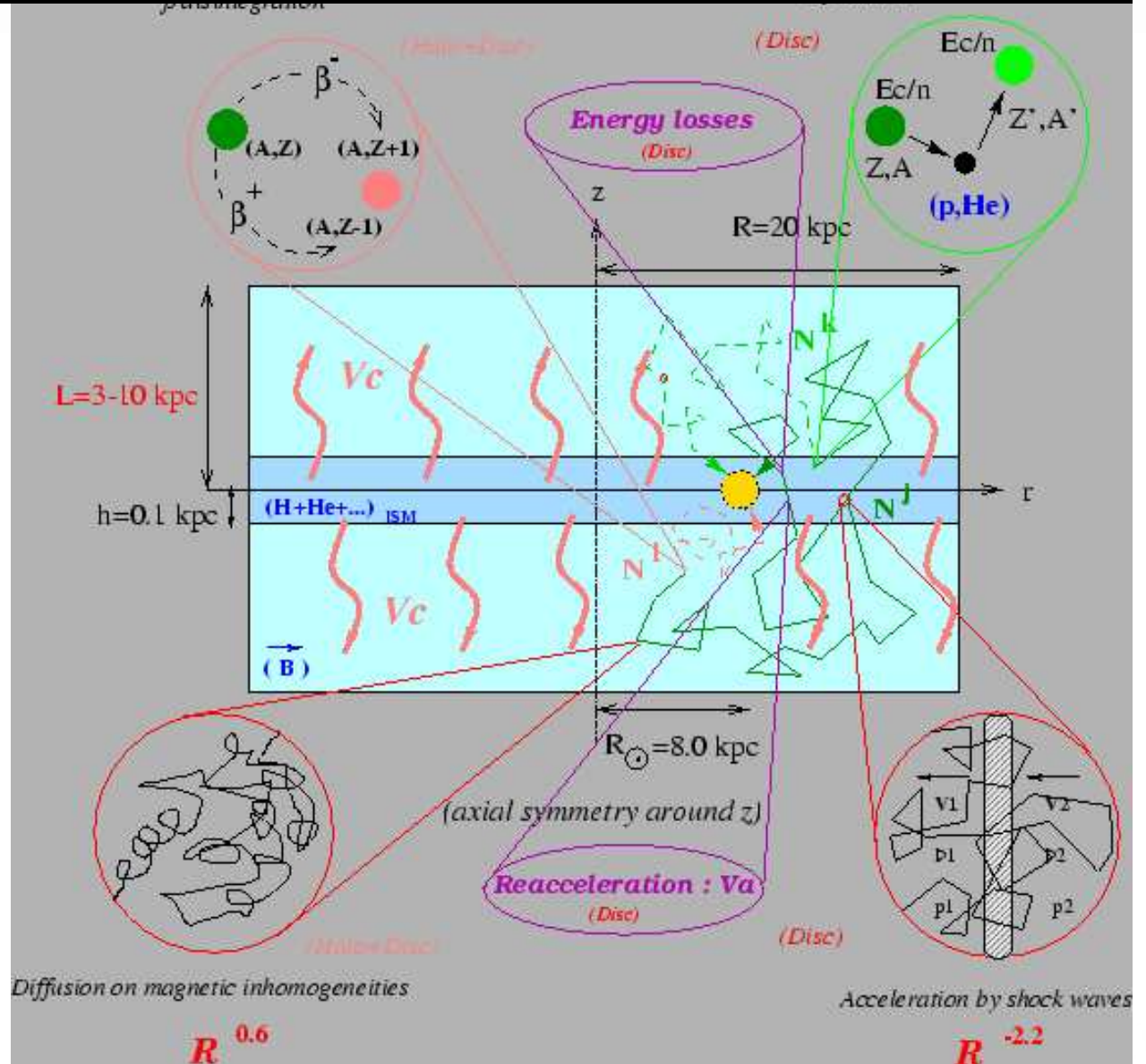
⑥ **Cylindrical diffusive halo :**

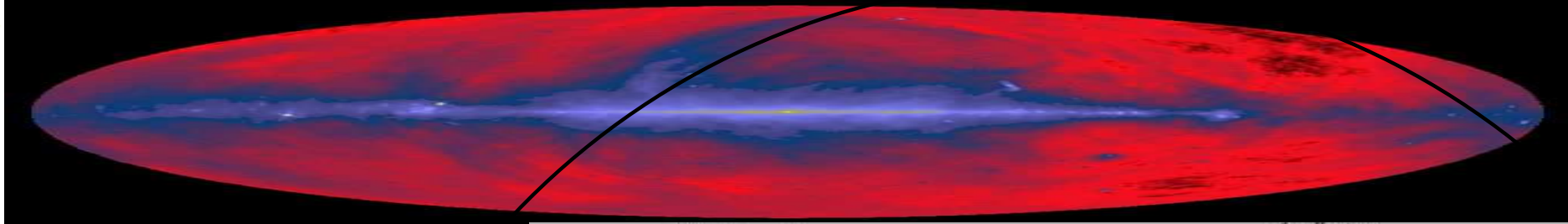
$R \sim 20\text{kpc}$ ,  $L \sim 3\text{kpc}$   
diffusion off magnetic inhomogeneities, reacceleration.

⑥ **Gaseous disc ( $h \sim 0.1\text{kpc}$ ) :**  
spallation + convection upside down.

⑥ **free parameters:**  
 $K(E)$ ,  $L$ ,  $R$ ,  $V_C$ ,  $V_A$

..... (Figure by D. Maurin)





cf. e.g. Berezhinsky (1990)

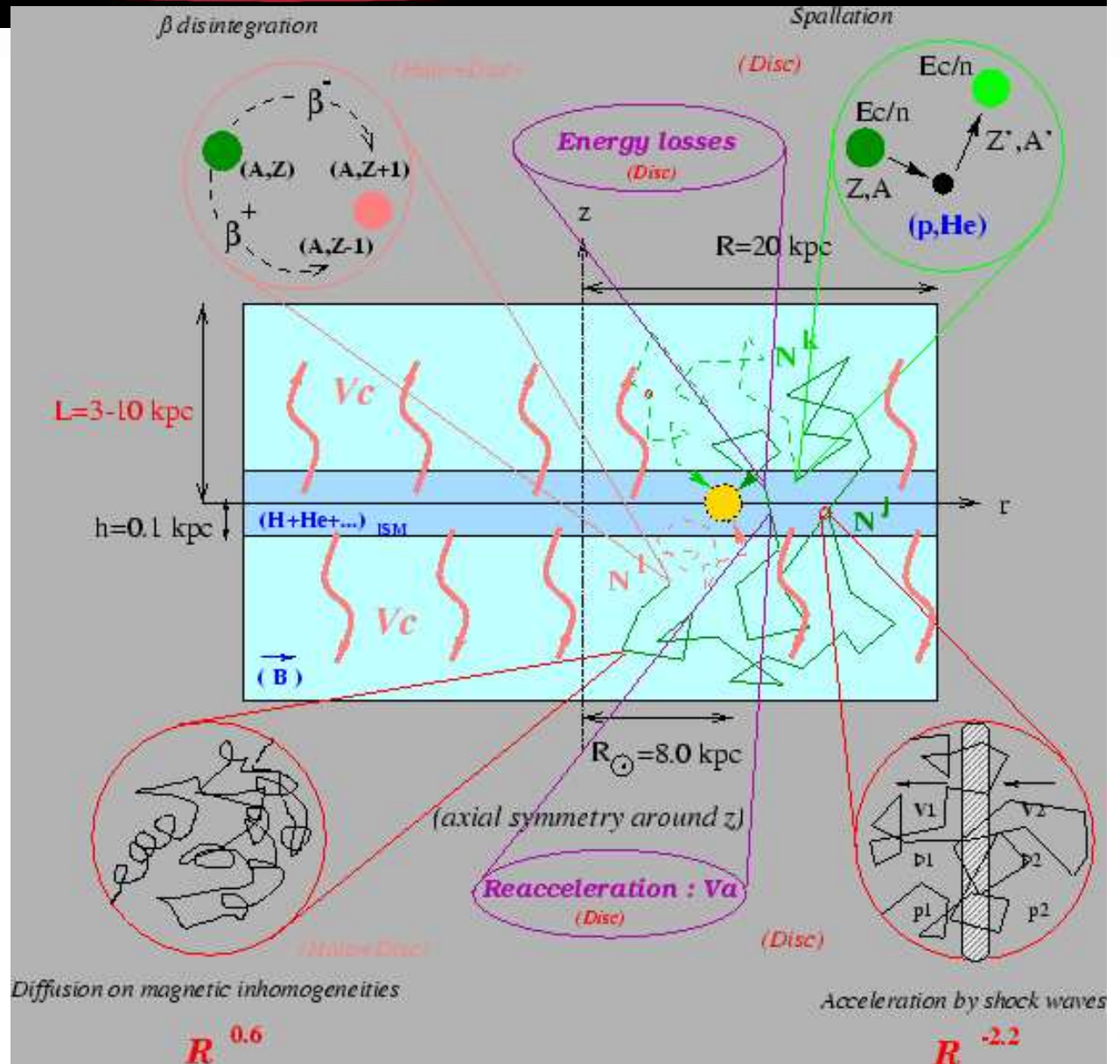
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..... (Figure by D. Maurin)



# Diffusion equation for $e^{+/-}$ or $p\bar{p}$

$e^{+/-}$ , cf. Bulanov & Dogel 73, Baltz & Edsjö 98, Lavalley et al 07, Delahaye et al 08  
Nuclei, cf. Strong et al (98-08), Maurin et al (01-08)

$$\begin{aligned} \partial_t \frac{dn}{dE} &= Q(E, \vec{x}, t) \\ &+ \left\{ \vec{\nabla} (K(E, \vec{x}) \vec{\nabla} - \vec{V}_c) \right\} \frac{dn}{dE} \\ &- \left\{ \partial_E \left( \frac{dE}{dt} - \partial_E E^2 K_{pp} \partial_p E^{-2} \right) \right\} \frac{dn}{dE} \\ &- \left\{ \Gamma_{\text{spal}}(E) \right\} \frac{dn}{dE} \end{aligned}$$

source: injected spectrum

spatial current: diffusion and convection

$$K(E) = K_0 \left( \frac{E}{E_0} \right)^\alpha$$

$$\vec{V}_c(z) = \text{sign}(z) \times V_c \vec{e}_z$$

Energy losses and reacceleration

spallation (nuclei)

Uncertainties and degeneracies in parameters (Maurin et al 01)

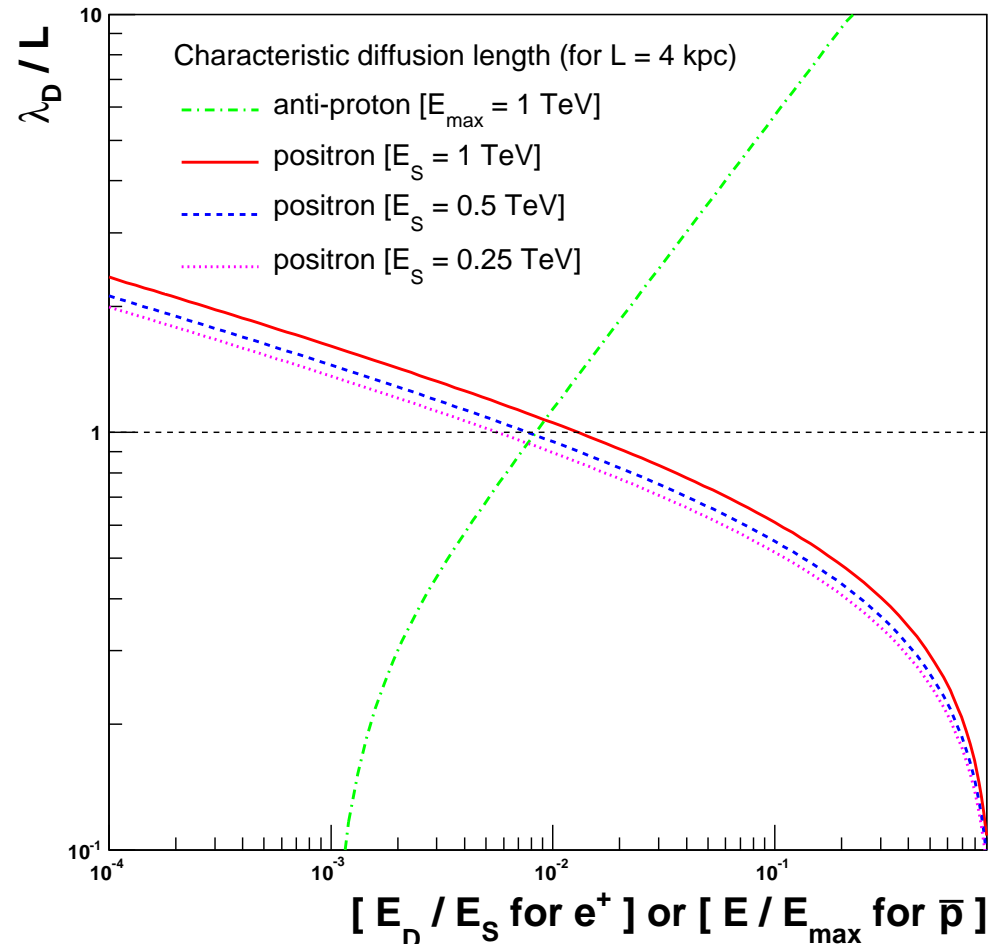
(Complementary & full numerical: **Galprop**, Strong et al)



# Energy-dependent diffusion scales for $e^+$ and $\bar{p}$

⑥  $e^+$  s lose energy:  
survey **larger and larger volumes**  
when detected **at lower and lower energies**  
→ **importance of energy loss parameters: magnetic field, interstellar radiation field.**

⑥  $\bar{p}$ 's do not lose energy, **but convective wind and spallation processes very efficient at low energy:**  
**survey larger volume at high energies**

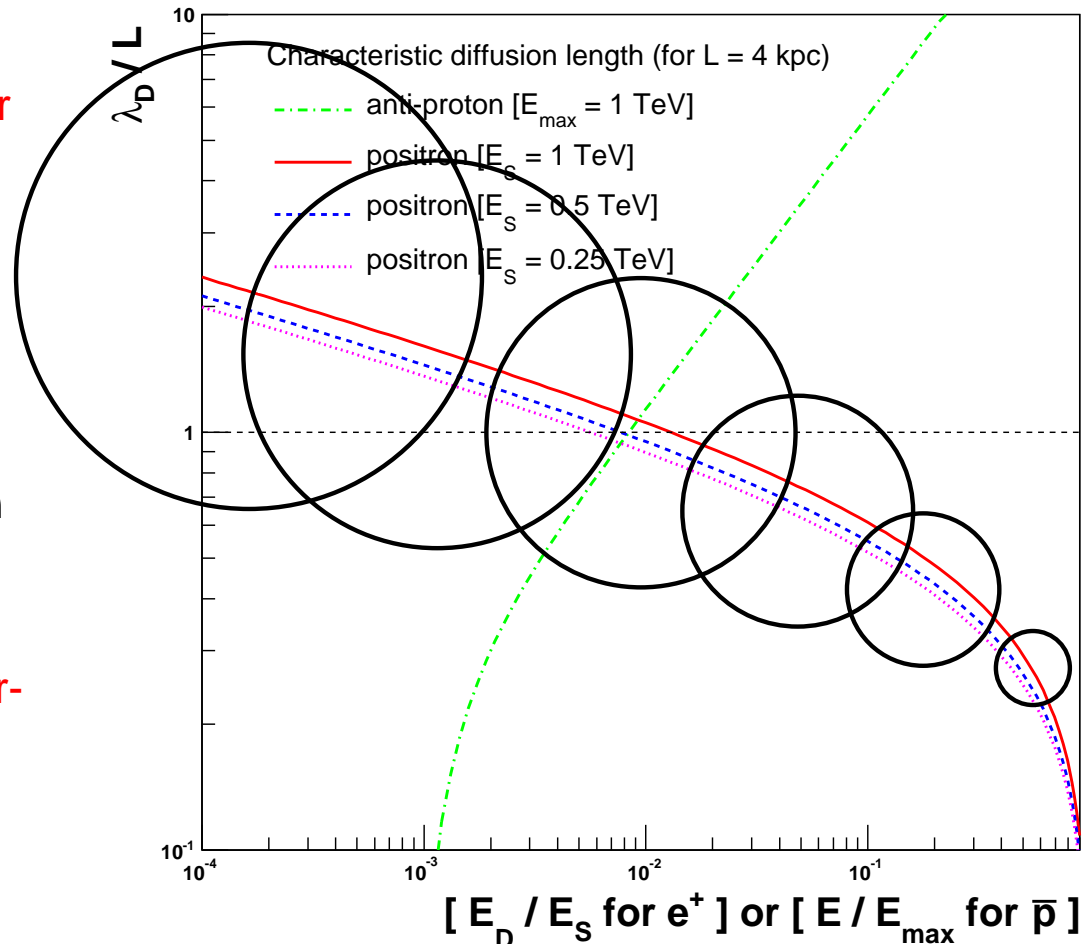


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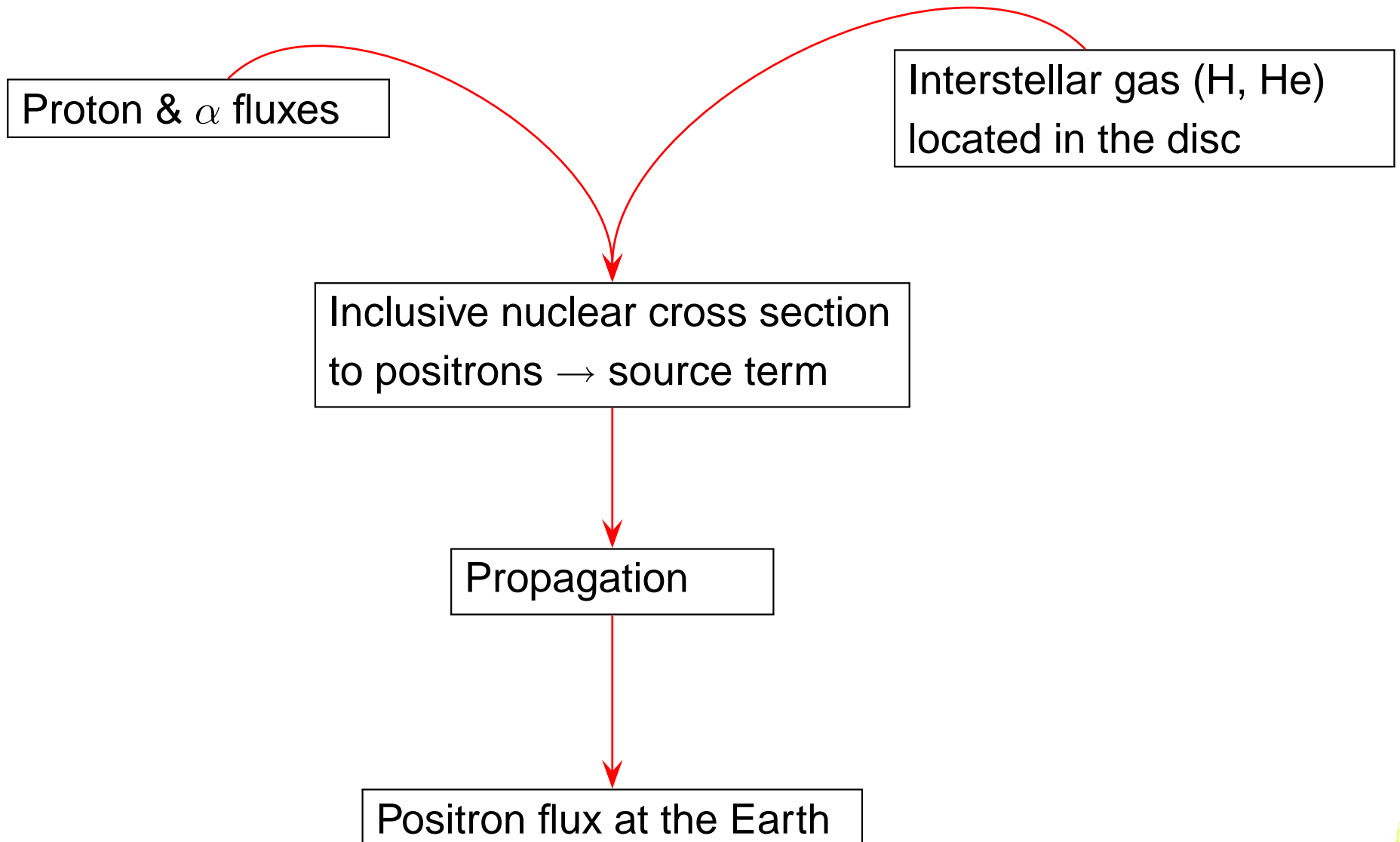
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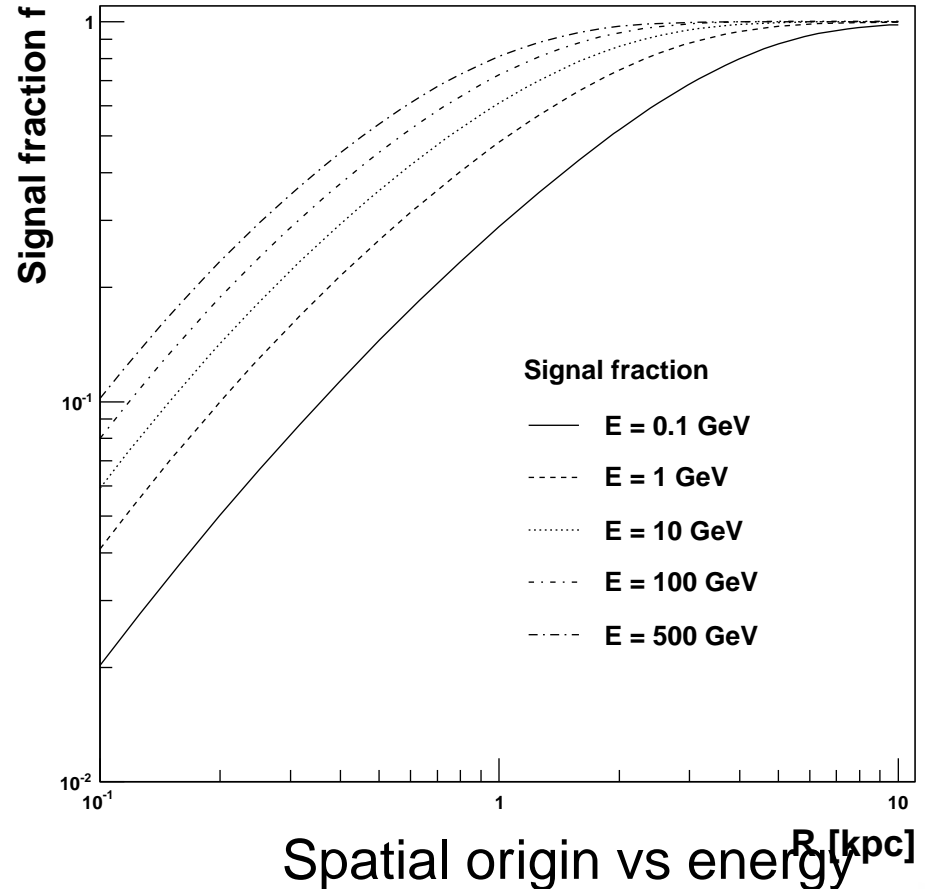
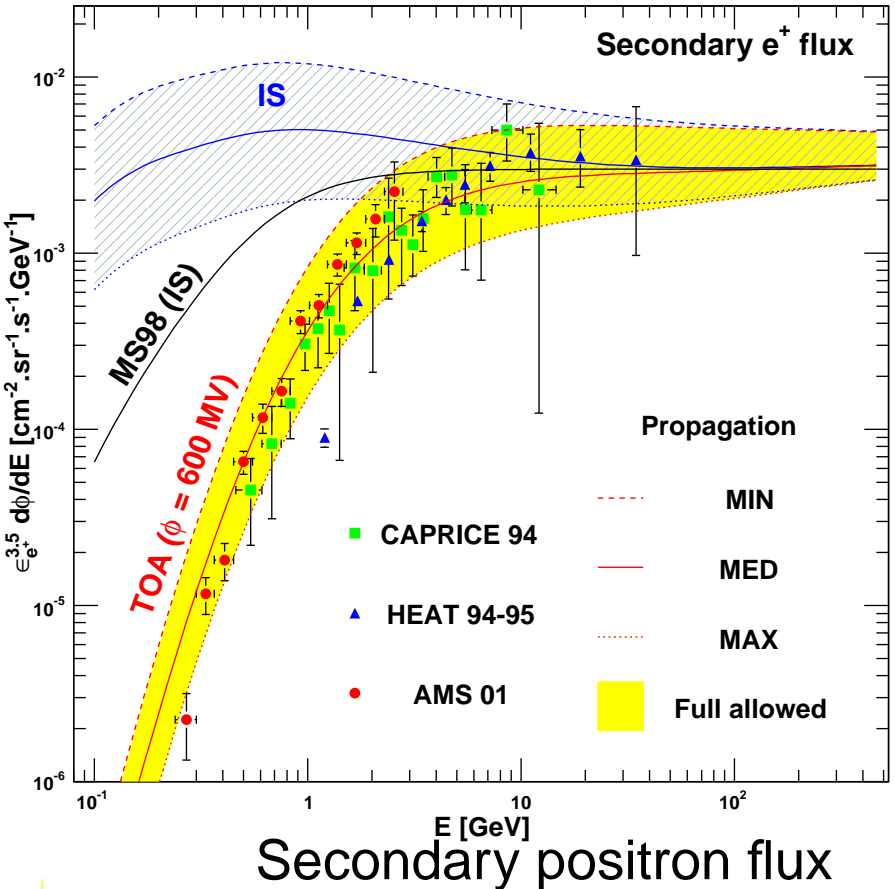
# *Short recipe for secondary positrons*



# Prediction of the secondary $e^+$ flux and uncertainties

The Alpine connection  $e^+$  background (Annecy & Torino)

Delahaye et al, arXiv:0809.5268

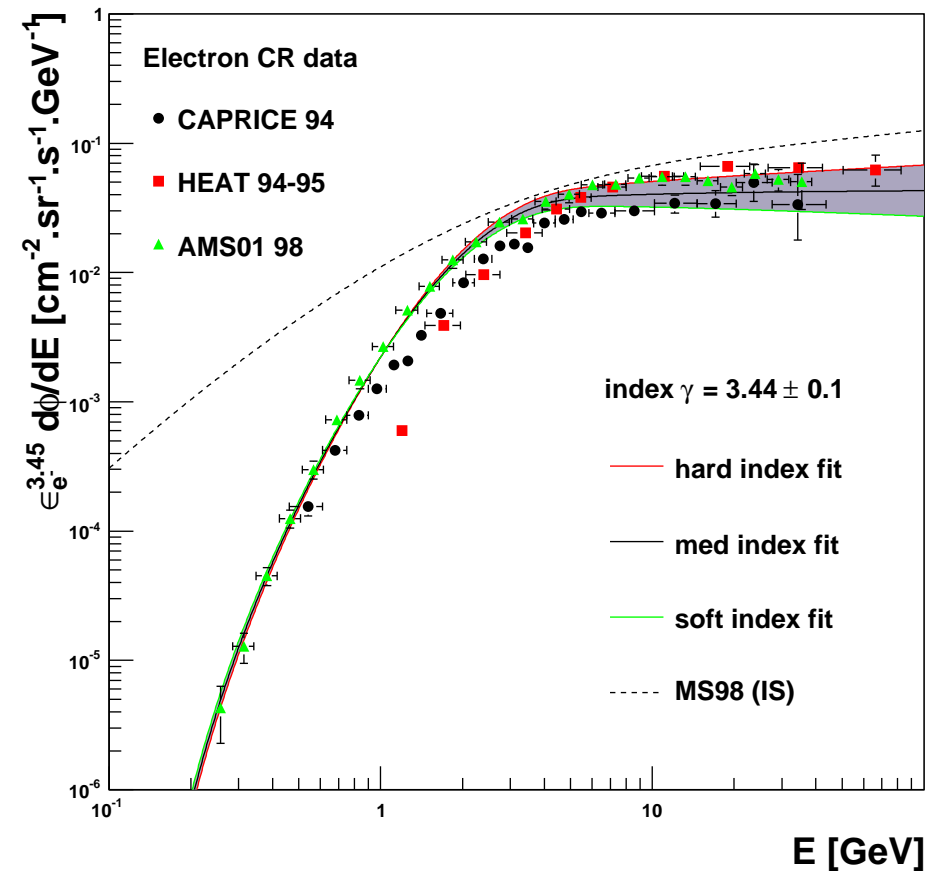
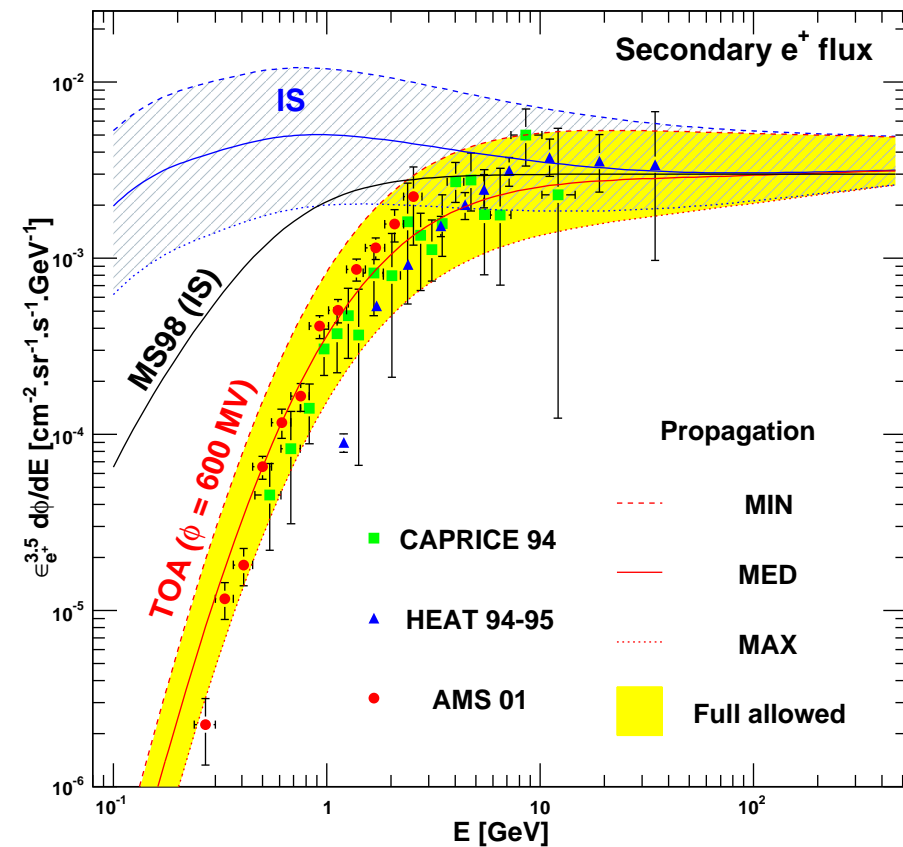




# PAMELA: to predict the $e^+$ fraction, we need $e^-$ s!

The Alpine connection  $e^+$  background (Annecy & Torino)

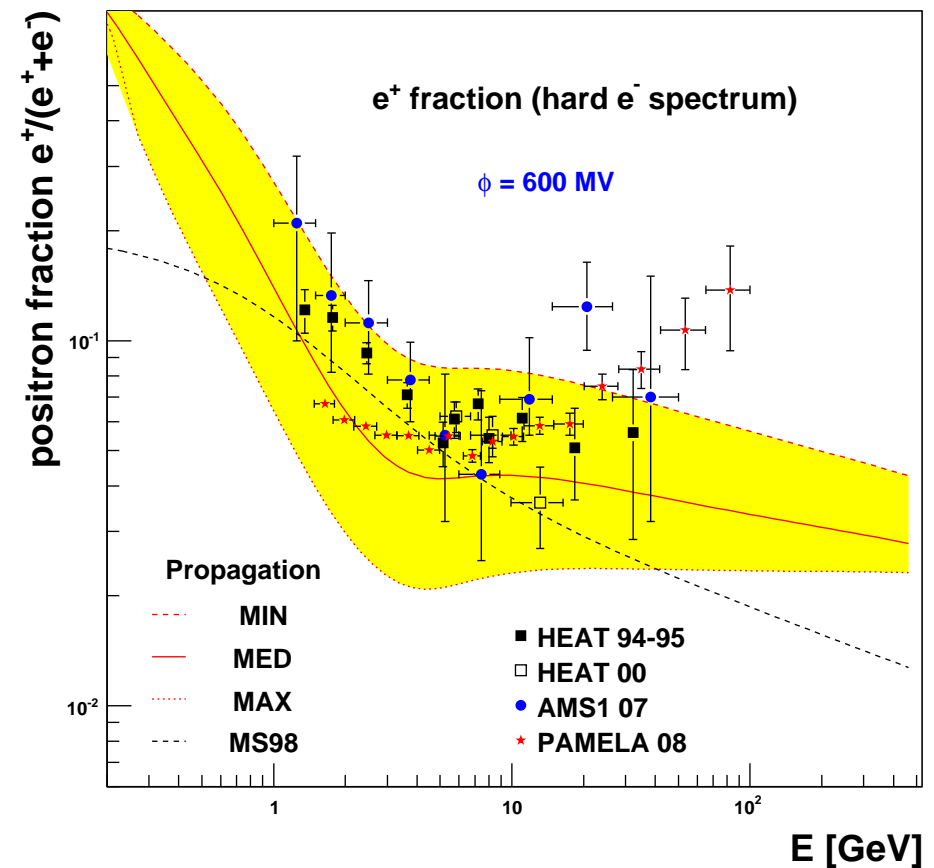
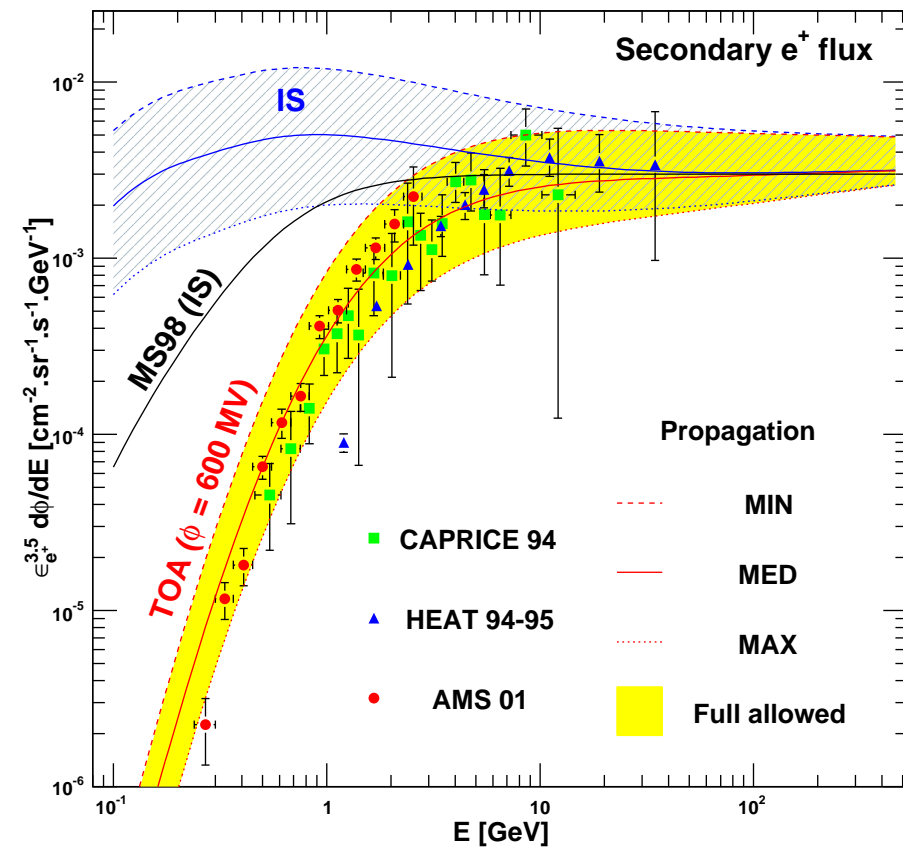
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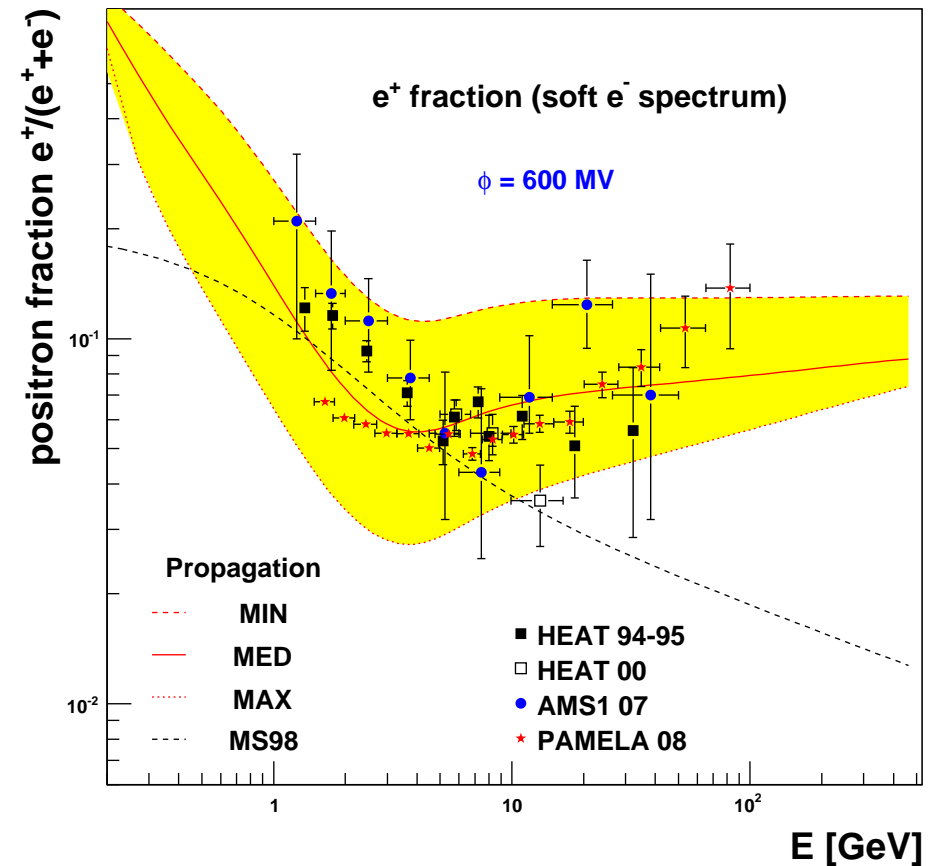
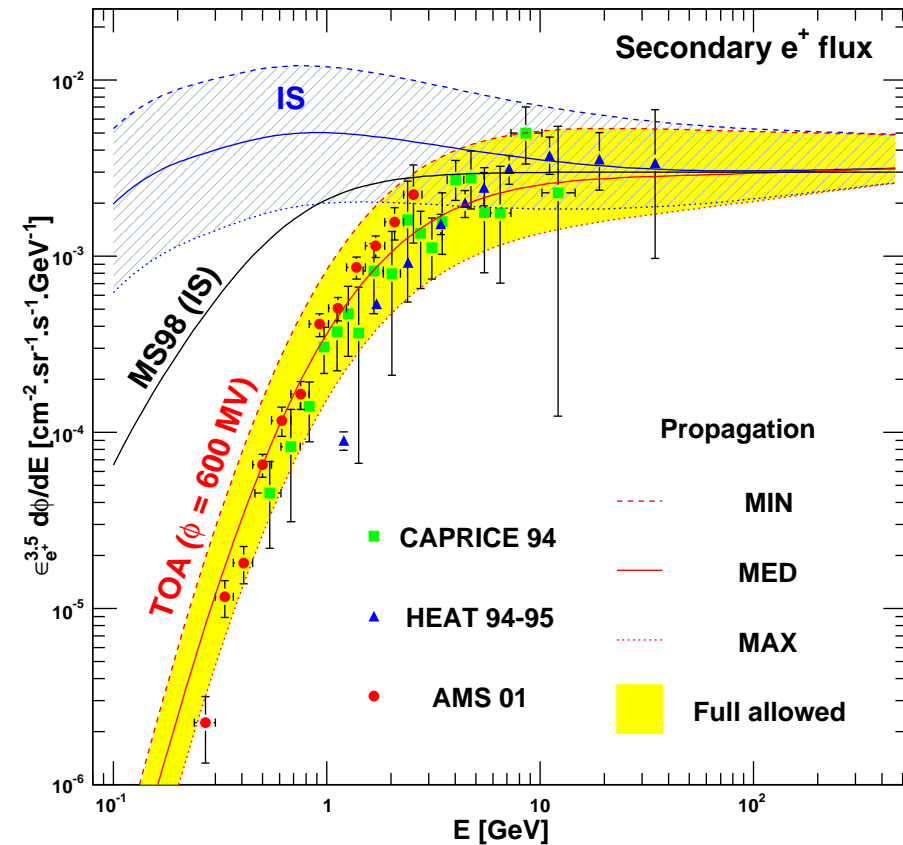
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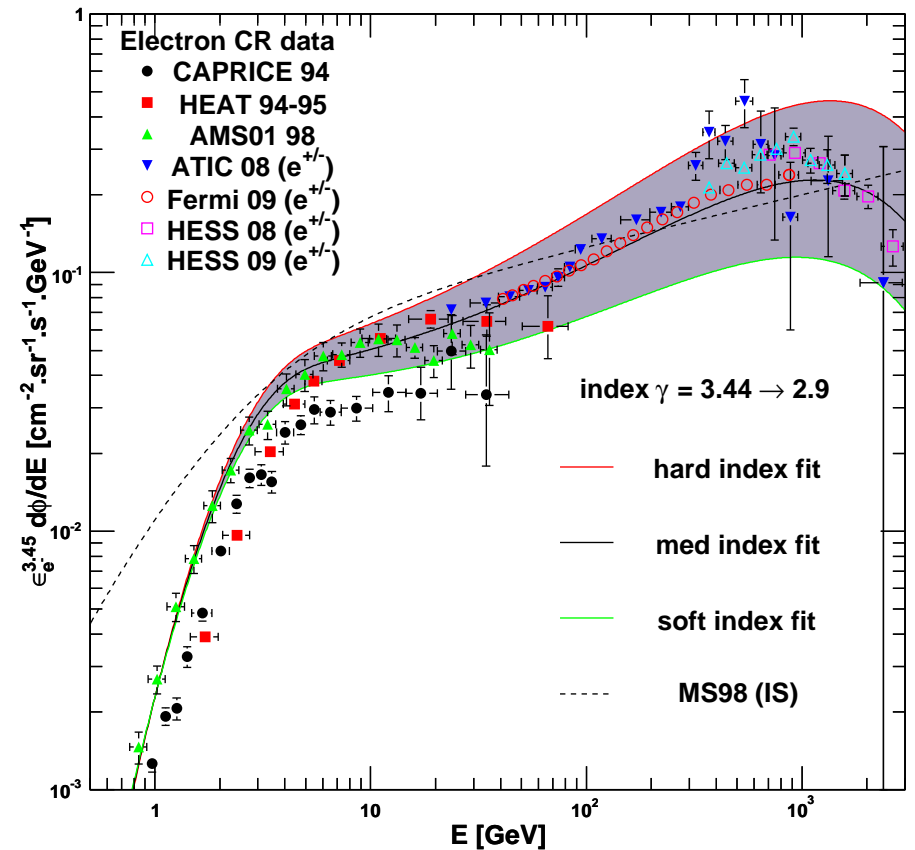
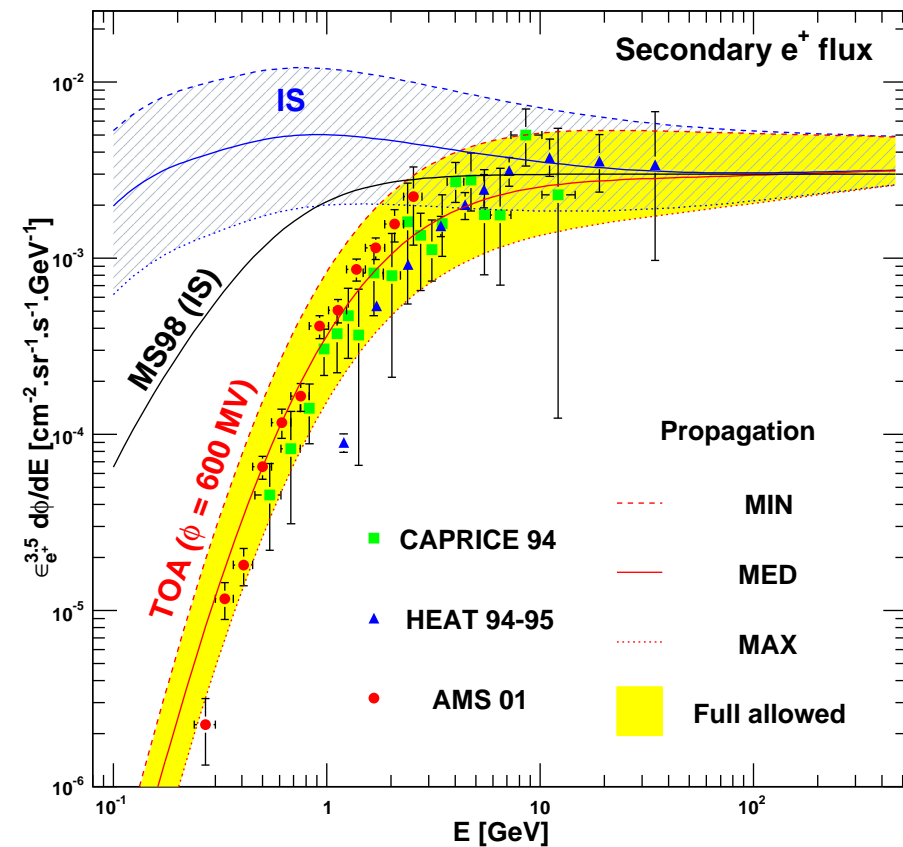
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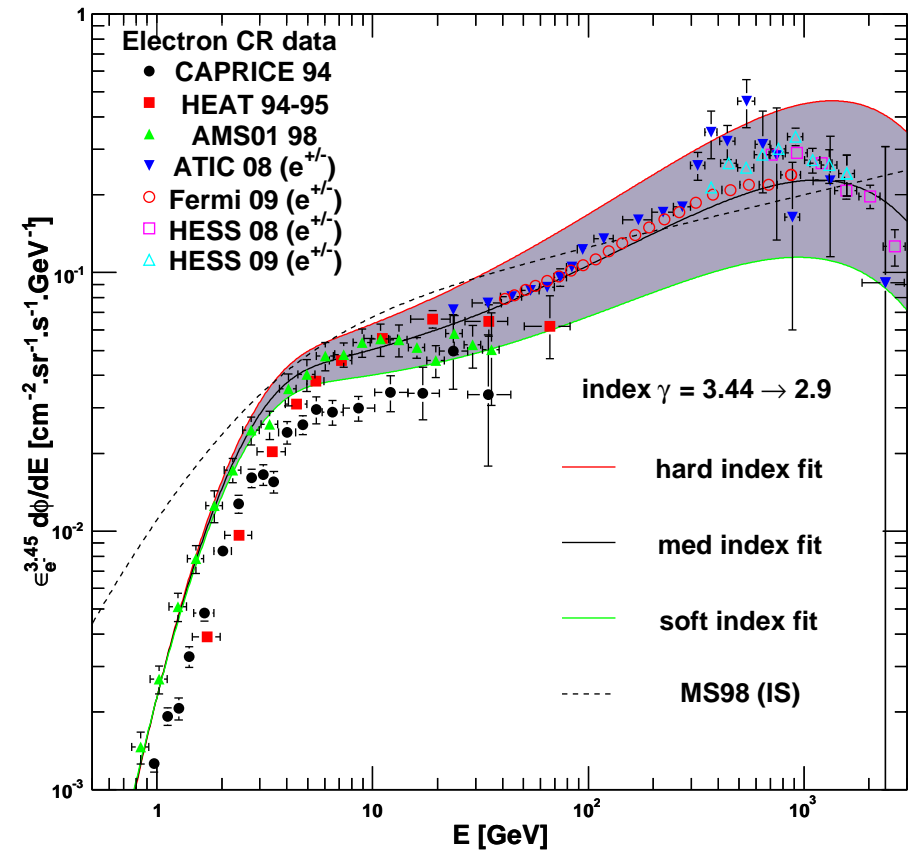
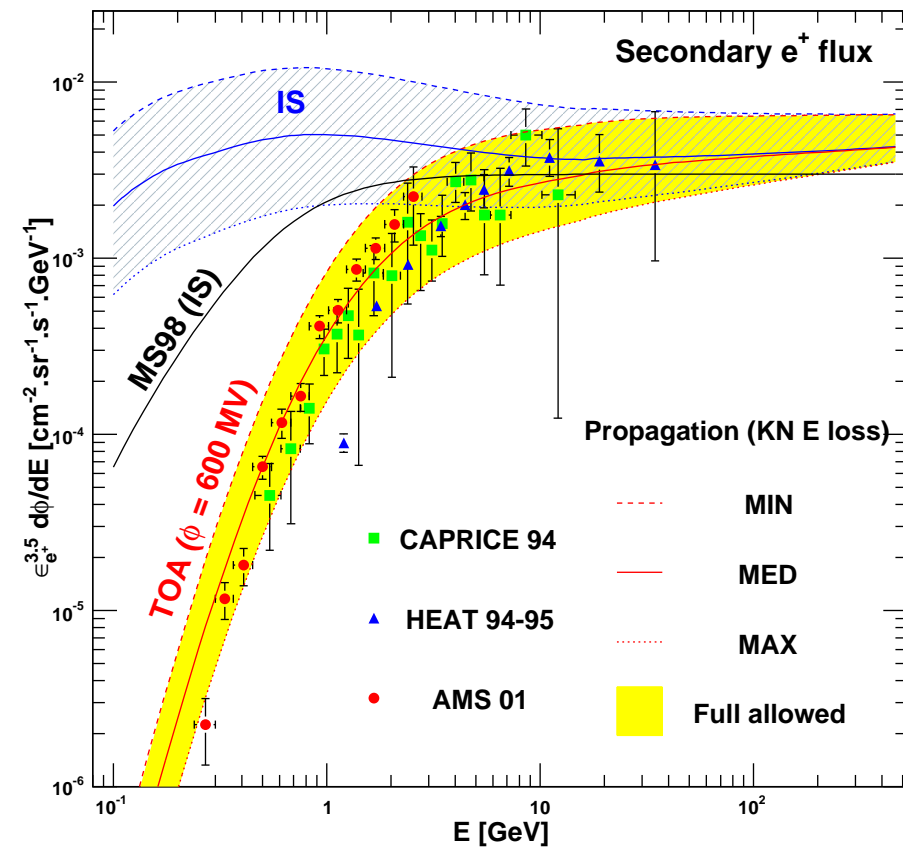
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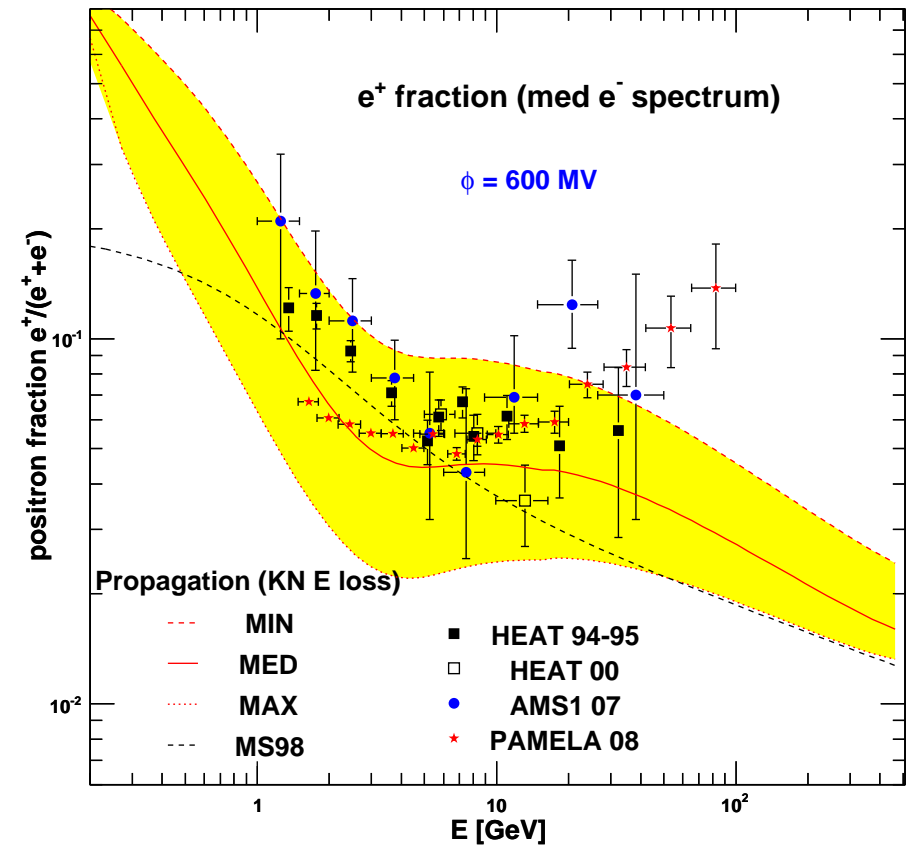
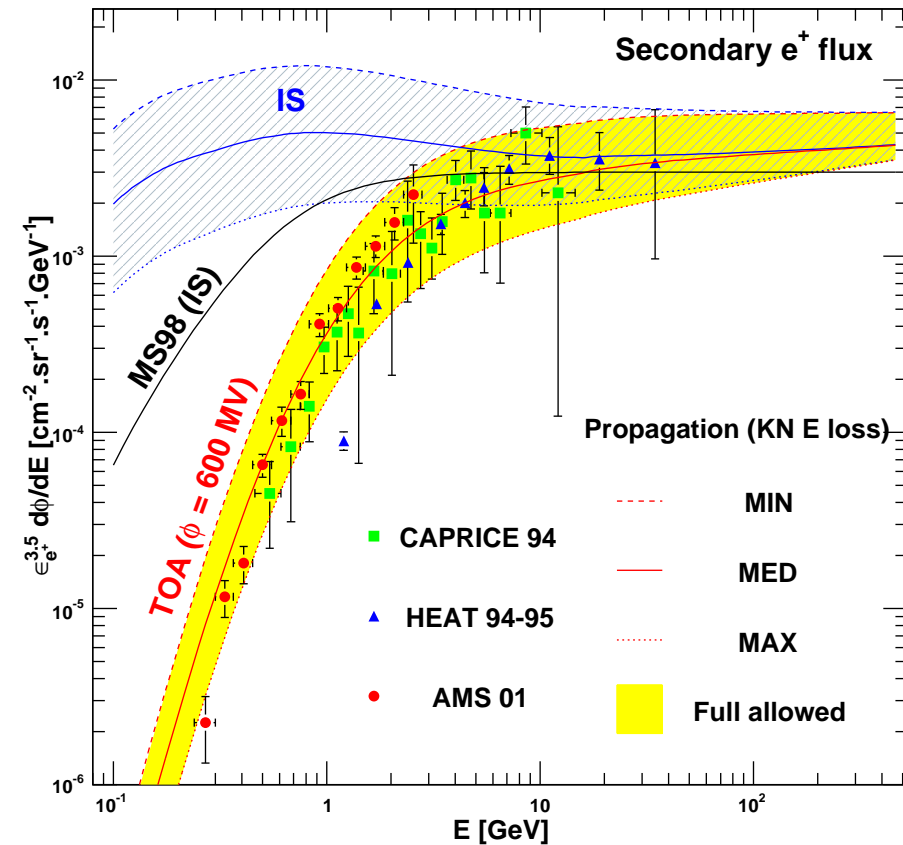




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# PAMELA excess: standard candidates?

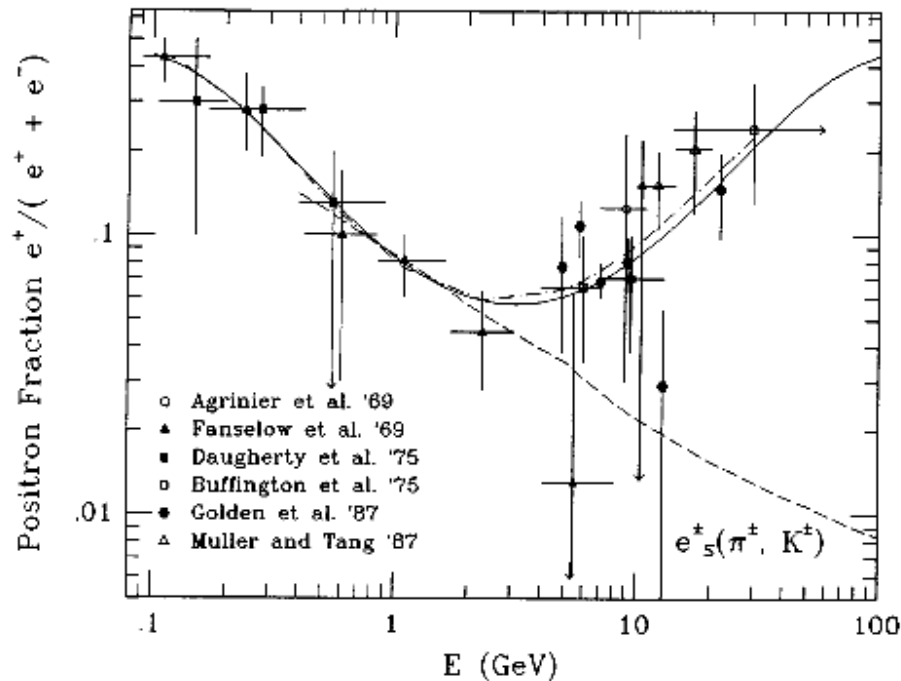
THE ASTROPHYSICAL JOURNAL, 342:807-813, 1989 July 15  
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THE NATURE OF THE COSMIC-RAY ELECTRON SPECTRUM, AND  
 SUPERNOVA REMNANT CONTRIBUTIONS

AHMED BOULARES

Physics Department, Space Physics Laboratory, University of Wisconsin-Madison  
 Received 1988 October 24; accepted 1988 December 29

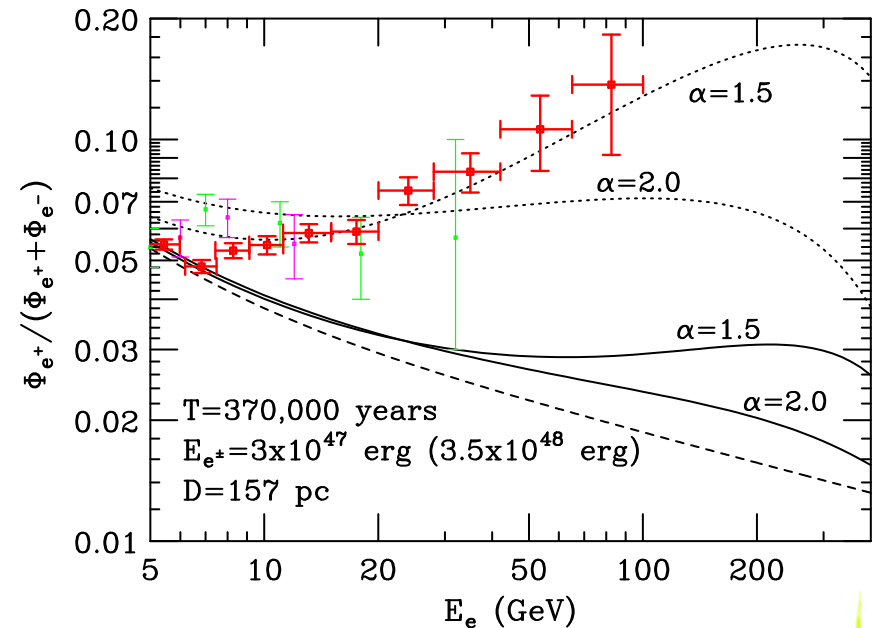
BOULARES



Among other works:

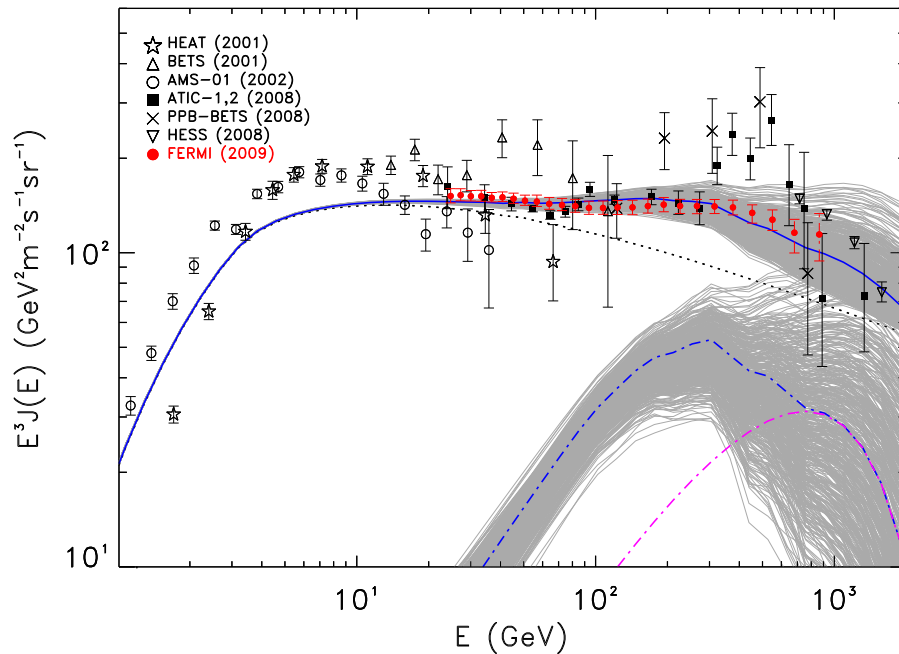
- Aharonian et al (1995)
- Zhang & Cheng (2001)
- Profumo (2009)
- Blasi (2009)

Hooper et al arXiv:0810.1527



# PAMELA excess: standard candidates?

Fermi Collab + Grasso et al (2009)



Among other works:

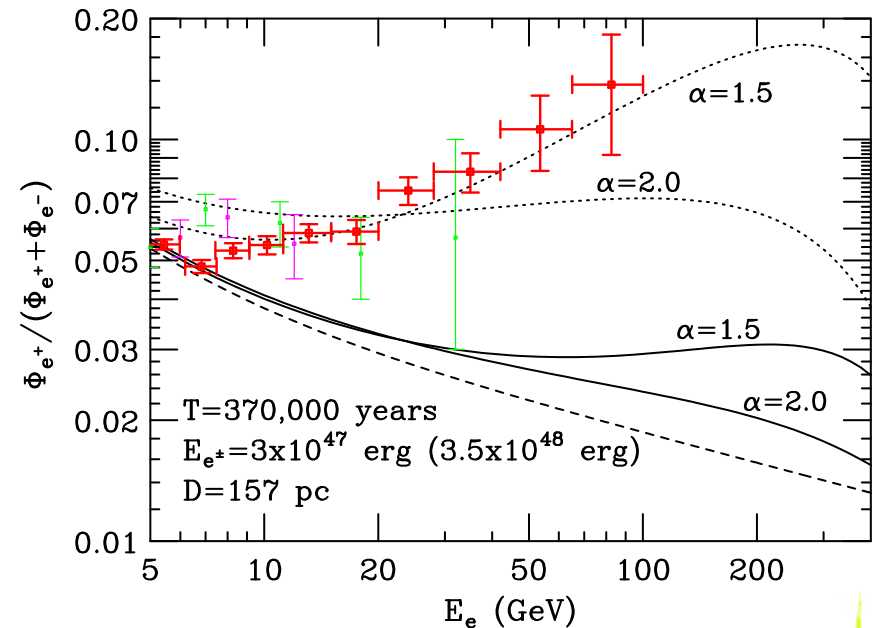
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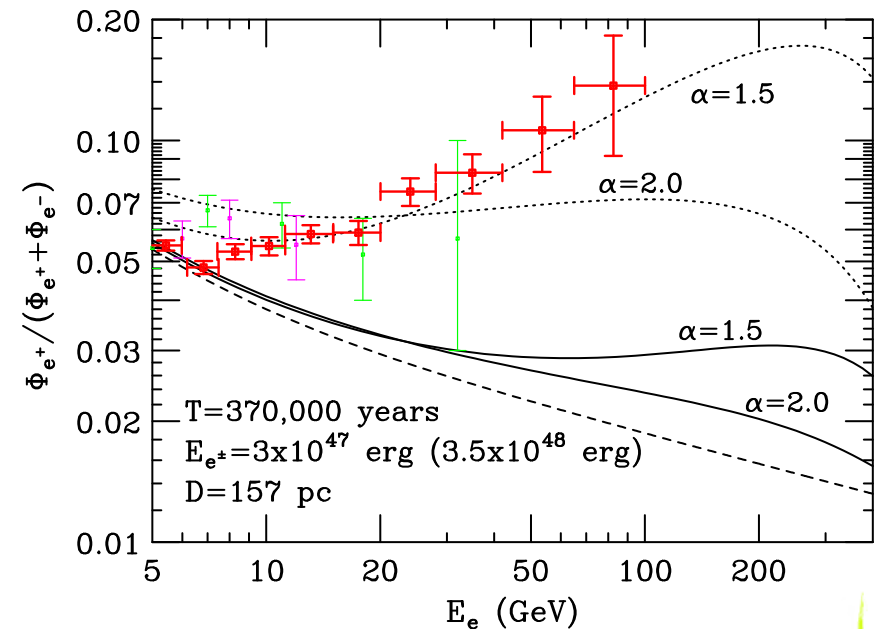
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# Dark matter: generic predictions (smooth halo)

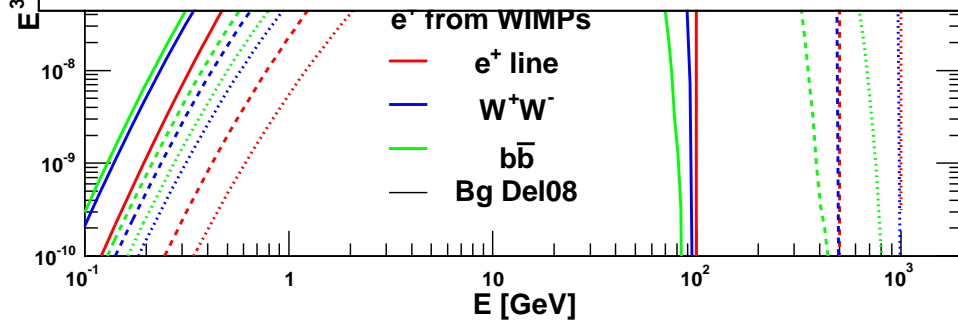
For  $\chi\chi \rightarrow e^+e^-$  (limit  $E \rightarrow m_\chi = 100$  GeV). From PAMELA, the excess is  $\lesssim 5 \times \phi_{bg}(100 \text{ GeV})$ .

$$\phi_{bg}(100 \text{ GeV}) \simeq 3 \cdot 10^{-10} \left( \frac{E}{100 \text{ GeV}} \right)^{-3.5} \text{ cm}^{-2} \cdot \text{s}^{-1} \cdot \text{GeV}^{-1} \cdot \text{sr}^{-1}$$

$$\phi_{\chi\chi}(E \rightarrow m_\chi) \simeq \frac{\delta\beta c}{4\pi} \frac{\tau E_0}{E^2} \frac{\langle\sigma v\rangle}{2} \left( \frac{\rho_\odot}{m_\chi} \right)^2$$

$$\simeq 3 \cdot 10^{-10} \left( \frac{\tau}{10^{16} \text{ s}} \right) \left( \frac{\rho_\odot}{0.3 \text{ GeV/cm}^3} \right) \left( \frac{100 \text{ GeV}}{m_\chi} \right)^4 \left( \frac{\langle\sigma v\rangle}{3 \cdot 10^{-26} \text{ cm}^3/\text{s}} \right)$$

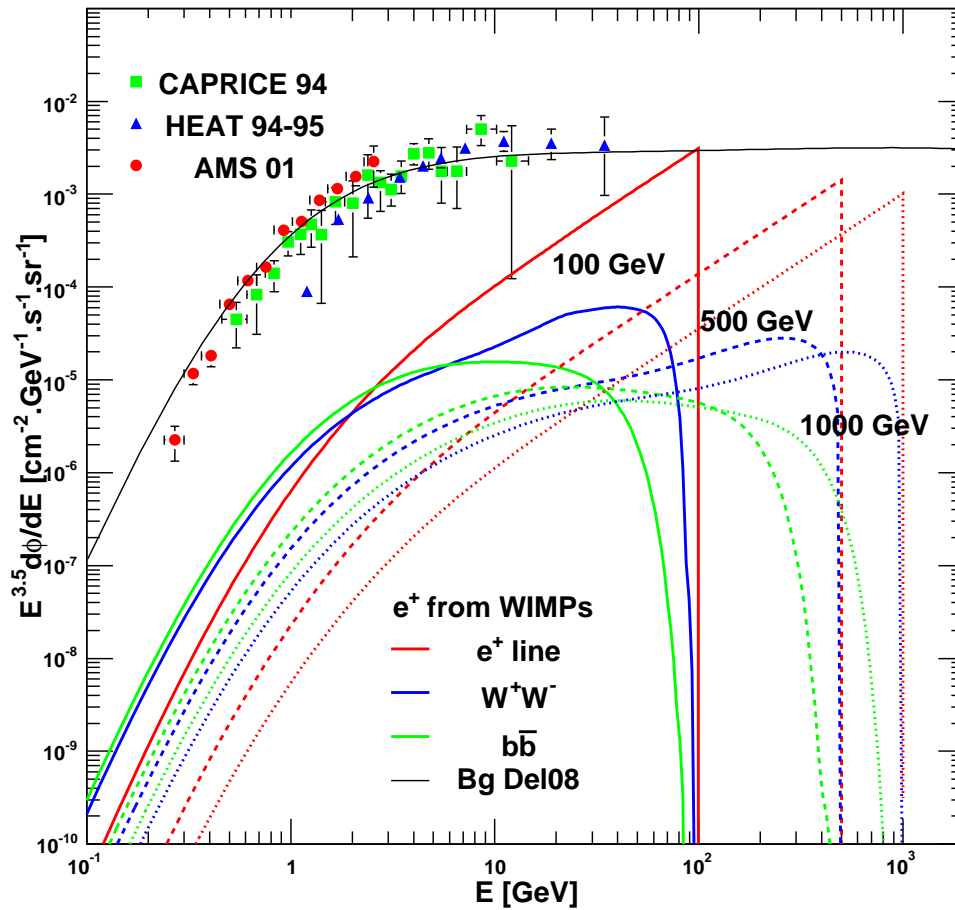
For  $m_\chi \simeq 100$  GeV, need for an amplification of:  $\mathcal{B} \simeq 5$ .



$b\bar{b}$  250 500 1000



# Dark matter: generic predictions (smooth halo)



Boost to get  $\sim 5 \times \phi_{bg}$  at  $\sim 100$  GeV:

WIMP mass	100 GeV	500 GeV	1 TeV
final state			
$e^+e^-$	5	100	350
$W^+W^-$	80	500	1000
$b\bar{b}$	250	500	1000

# PAMELA excess: dark matter?

Possible, but **needs huge annihilation rate**.  
Several limits exist.

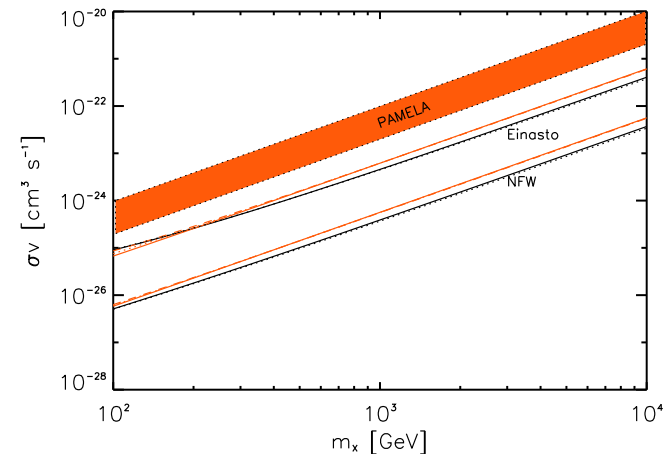
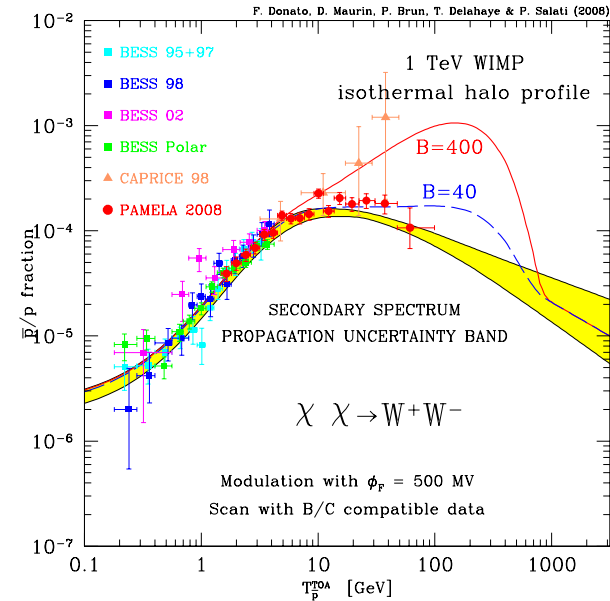
**If dark matter annihilates into quarks or heavy bosons**

- ⑥ gamma-rays (next slide)
- ⑥ antiprotons  
(cf Donato et al arXiv:0810.5292)

**If dark matter annihilates into leptons:**

- ⑥ gamma-rays (cf next slide)
- ⑥ radio emission from GC  
(cf Bergström et al arXiv:0812.3895)

**In any case, boosting the annihilation rate is a serious issue.**

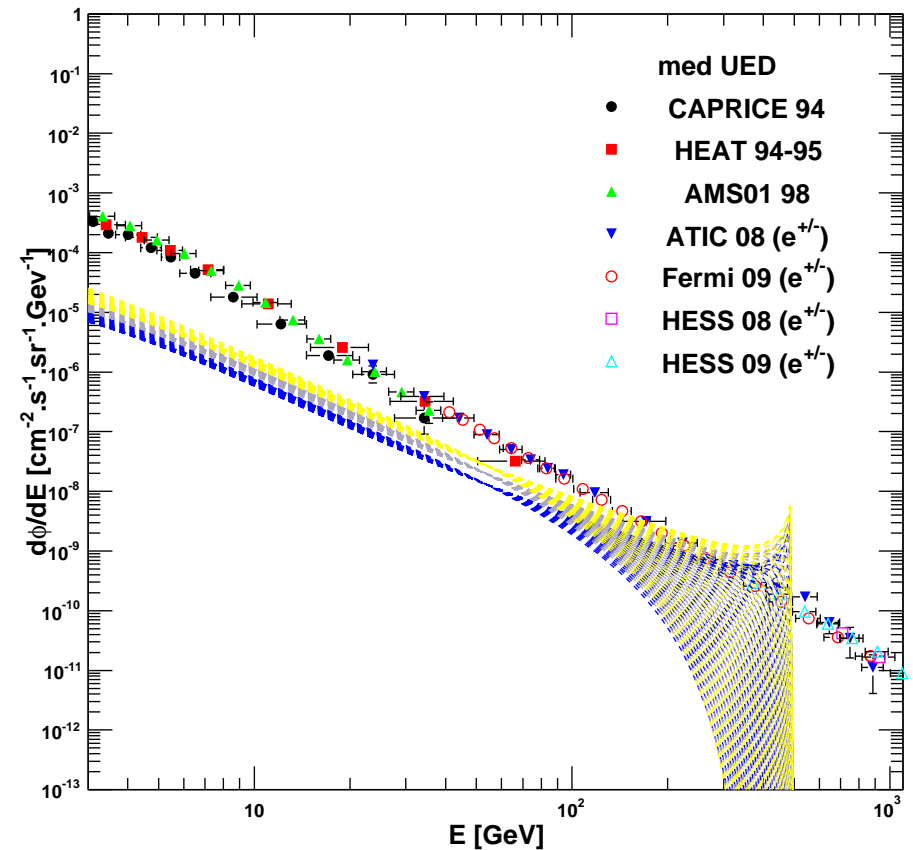
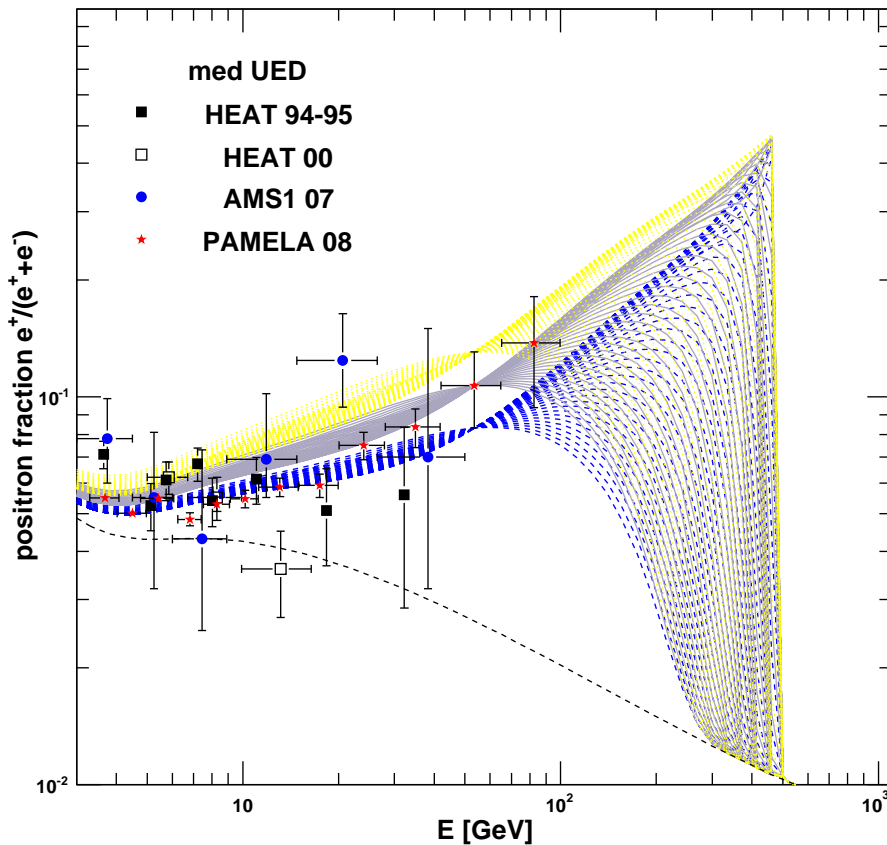


# PAMELA excess: nearby dark sources?

Dark point sources (IMBHs, big clumps) ...

but conventional scenarios **excluded by EGRET+Fermi**

Single DM object wandering around



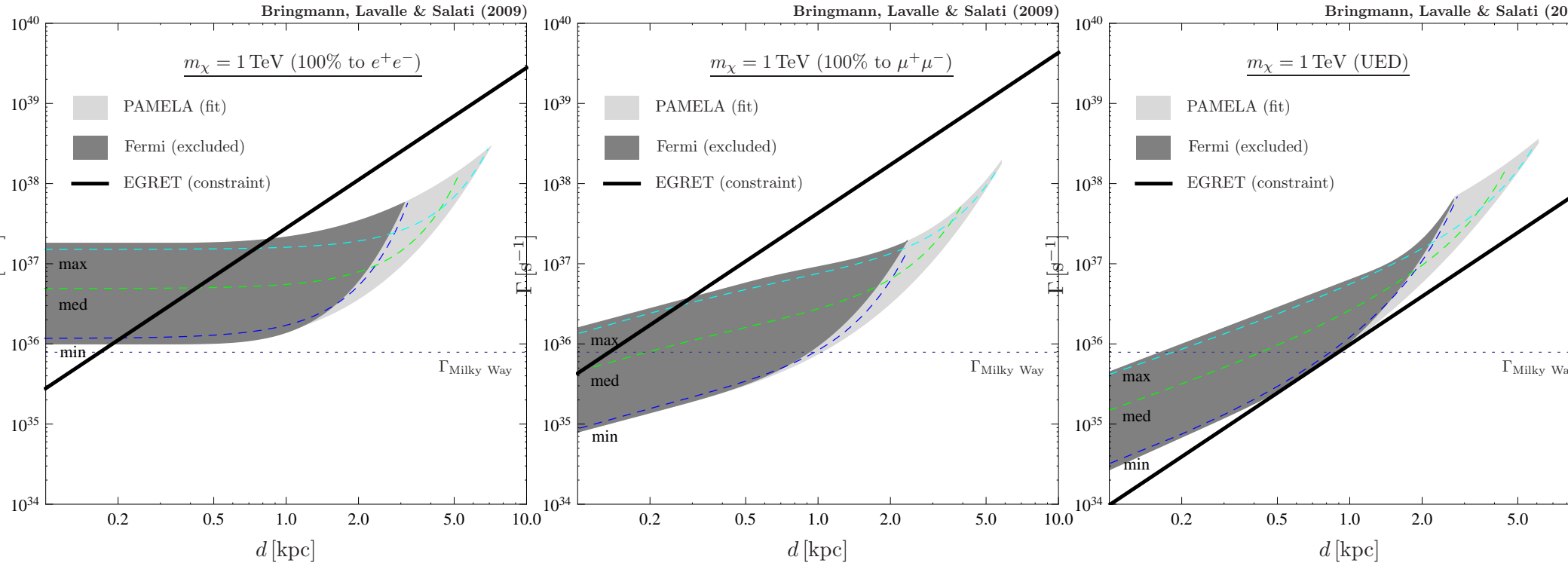
Bringmann, Lavalley & Salati arXiv:0902.3665

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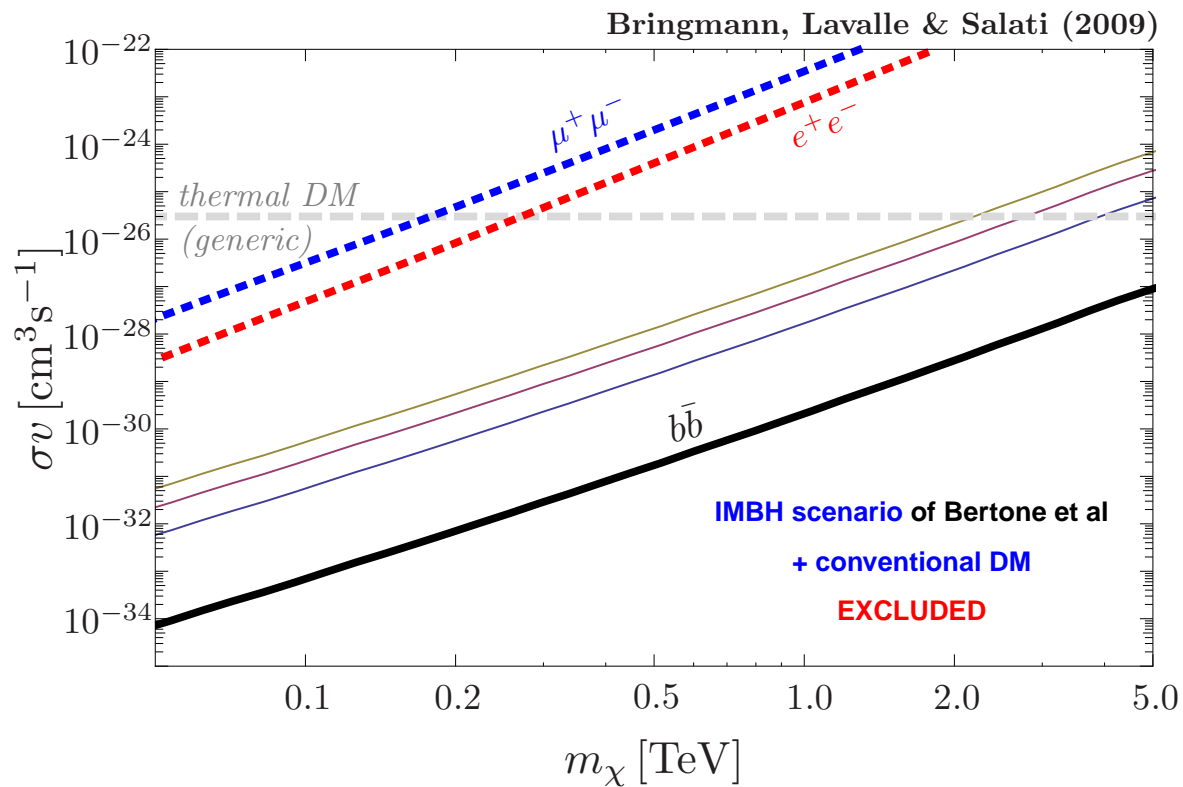


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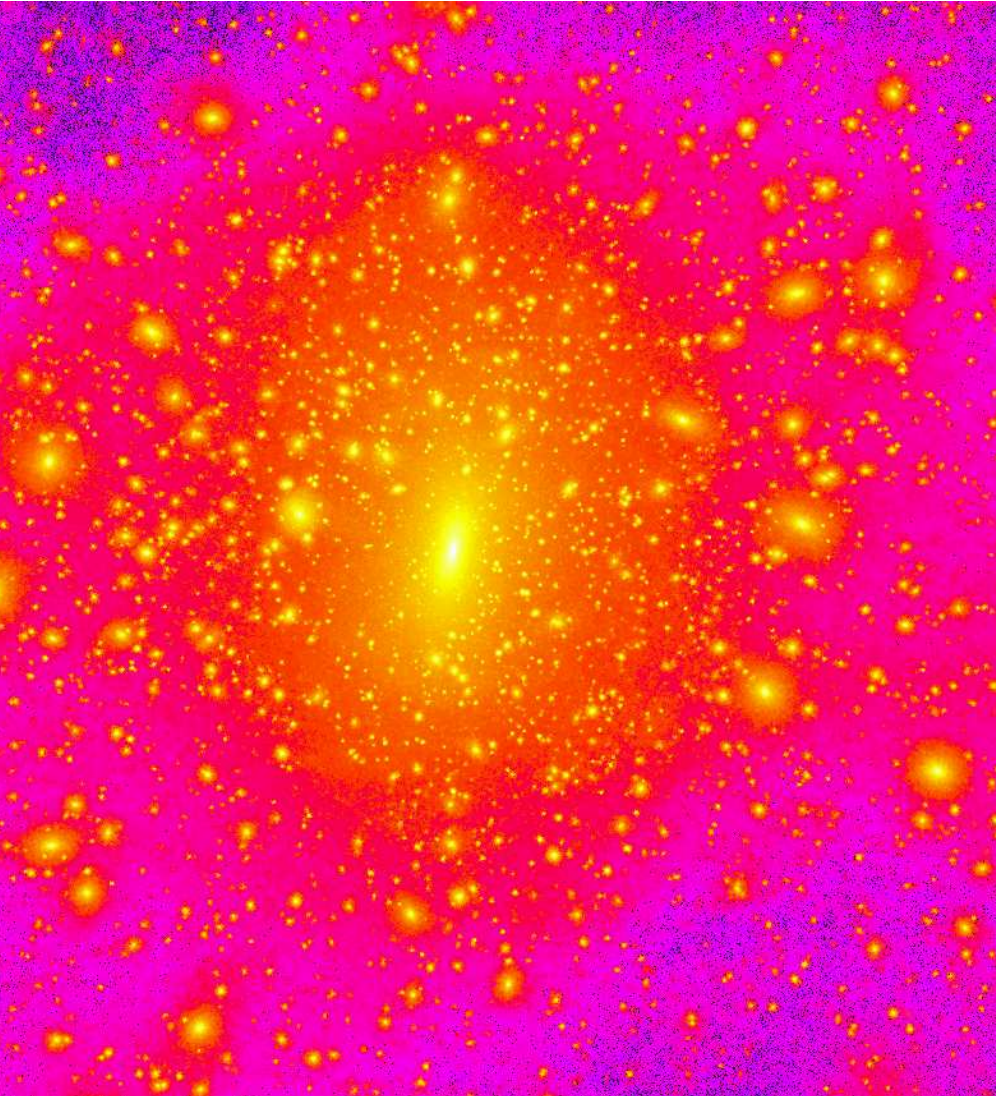
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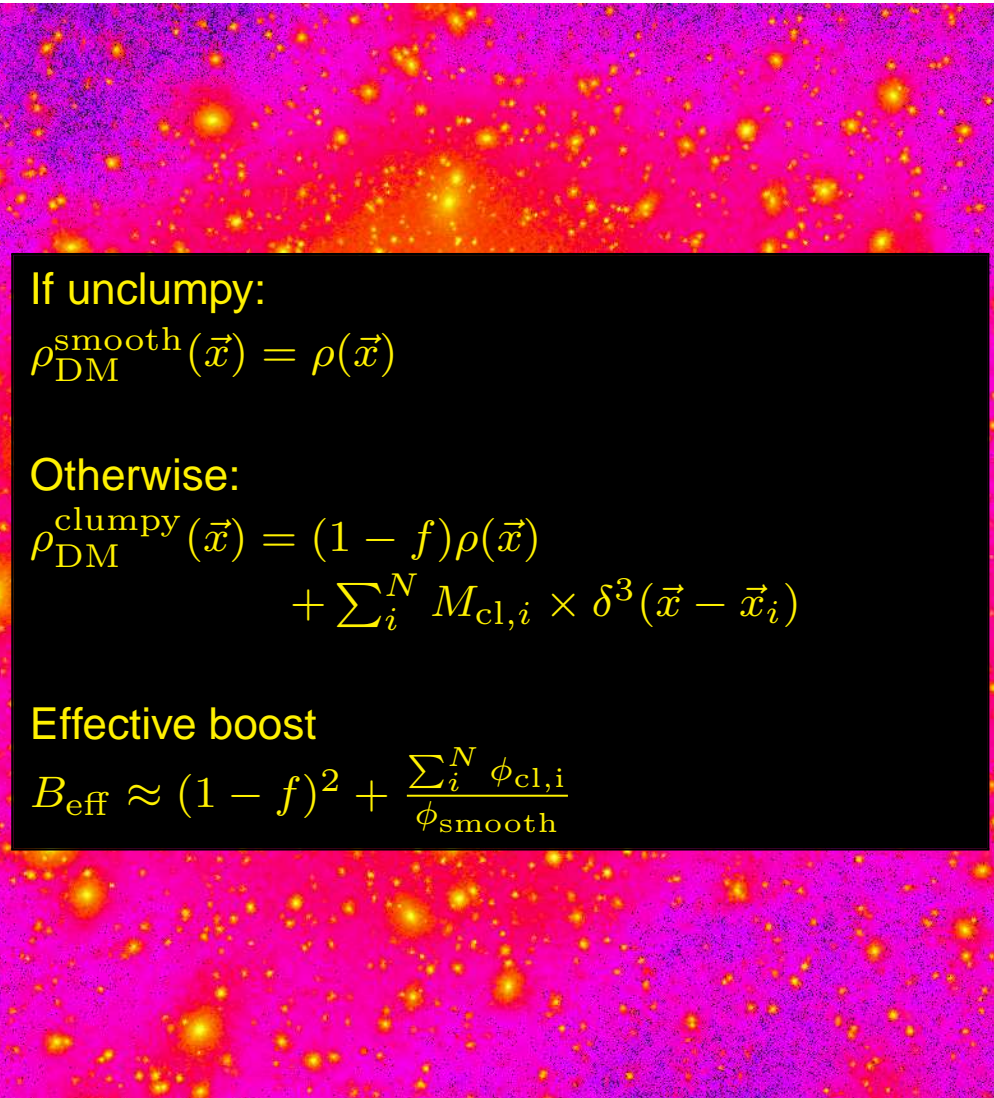
# Inhomogeneous halo and boosted annihilation rate



- ⑥ Though the topic is controversial, **clumps are predicted by theory and simulations of hierarchical formation of structures** (in the frame of  $\Lambda$ CDM)
- ⑥ Annihilation rate is increased in a characteristic volume, because  $\langle n_{\text{dm}}^2 \rangle \geq \langle n_{\text{dm}} \rangle^2$  (Silk & Stebbins ApJ'93)
- ⑥ The boost factor to the annihilation rate is related to the statistical variance via 
$$B_{\text{ann}} \sim \frac{\langle n_{\text{dm}}^2 \rangle}{\langle n_{\text{dm}} \rangle^2}$$
- ⑥ **There is some scatter in N-body experiments: how to translate theoretical uncertainties to flux uncertainties ? what and where are the less ambiguous signatures, if so ?**

(Fig. from Diemand et al, MNRAS'04)

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# Gamma-rays versus antimatter cosmic rays

$\bar{p}$ ,  $\bar{D}$  &  $e^+$

$\gamma$  &  $\nu$ 's



The annihilation signal is integrated:

Courtesy P. Salati

⦿ over a small solid angle around the line of sight for  $\gamma$ -rays and neutrinos

⦿ over a rather small volume around the Earth for antimatter CRs, due to diffusion processes

⇒ Boost factors are not the same !

# **Effective volume picture for the smooth contribution**

**Inject a 200 GeV  $e^+$  with  $Q(r) = \rho^2(r) \propto r^{-2}$  ...**



# Effective volume picture for the smooth contribution

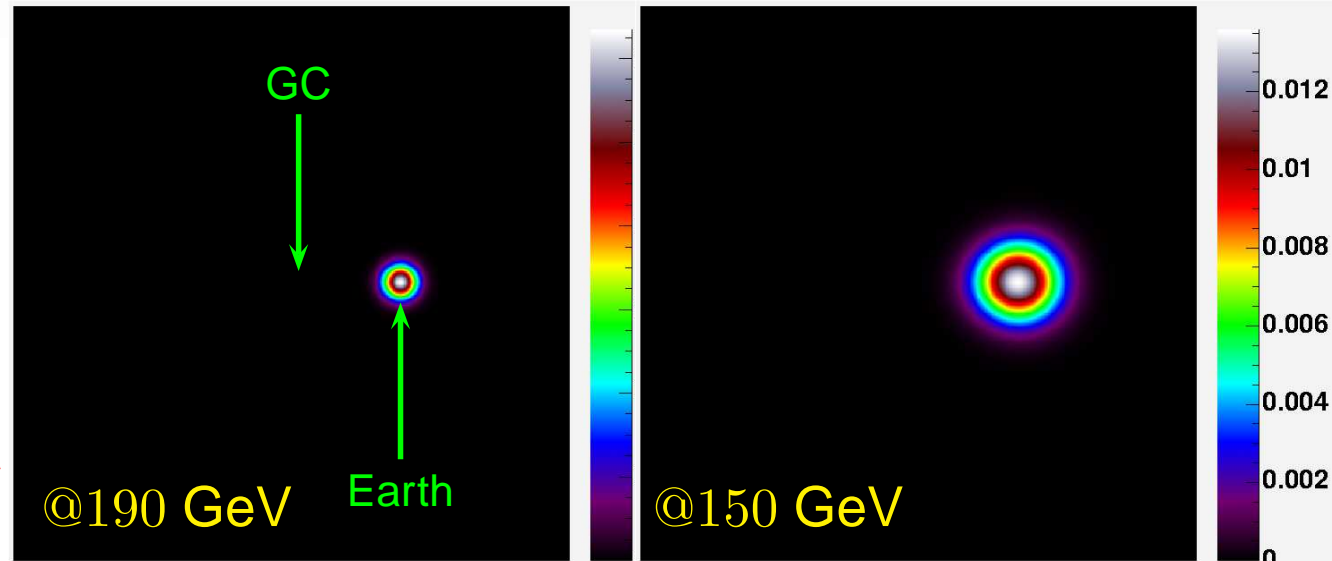
**Inject a 200 GeV  $e^+$  with  $Q(r) = \rho^2(r) \propto r^{-2}$  ...**

## Simplest view of propagation

$$G \propto \exp\left(-\frac{|\vec{x}_S - \vec{x}_\odot|^2}{\lambda_D^2}\right)$$

with  $\lambda_D = \sqrt{4K_0 \Delta \tilde{t}} = f(E_S, E_D)$

→ **Detection volume scaling a sphere of radius  $\lambda_D$**



←  $2 \times R = 40$  kpc →

## Figures:

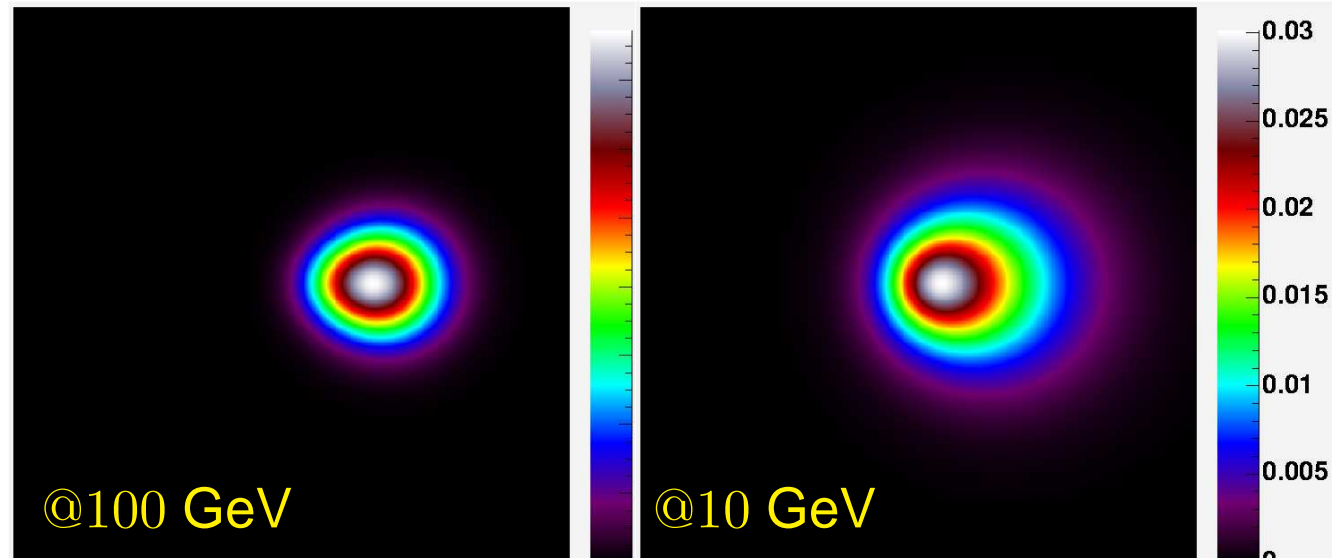
galactic plane at  $z=0$  kpc

$x$  and  $y$  from -20 to 20 kpc

Earth located at  $(x = 8, y = 0)$  kpc

2D plots of

$G(\vec{x}, 200\text{GeV} \rightarrow \vec{x}_\odot, E) \times \rho^2$





## Define the phase space of substructures

The phase space distribution depends on two main quantities:

- ⑥ the **spatial distribution** of objects
- ⑥ the **luminosity function** of objects

$$\frac{dn_{\text{cl}}}{d\mathcal{L}}(\mathcal{L}, \vec{x}) = \frac{dN_{\text{cl}}}{dV d\mathcal{L}}(\mathcal{L}, \vec{x}) = N_0 \times \frac{d\mathcal{P}}{dV}(\vec{x}) \times \frac{d\mathcal{P}}{d\mathcal{L}}(\mathcal{L}, \vec{x})$$

PDFs allow to compute **mean values** and associated **statistical variances** for some physical quantities

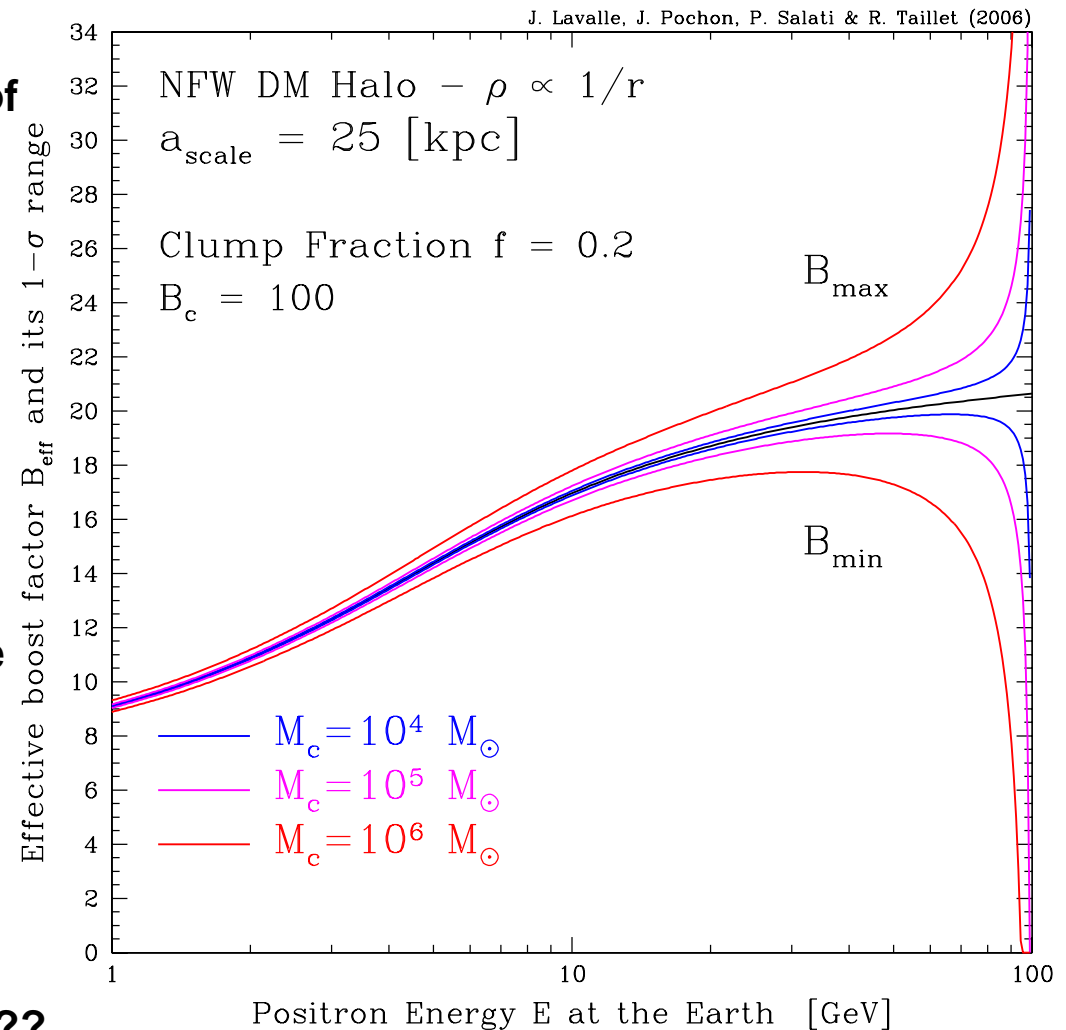
# ***Computing the odds of the Galactic Lottery: Identical clumps tracking the smooth halo***



# Computing the odds of the Galactic Lottery: Identical clumps tracking the smooth halo

## Boost for antimatter CRs:

- ⑥ Long believed to be **simple rescaling of fluxes ...**
- ⑥ **This picture is wrong.** Due to propagation effects, **boost is a non-trivial function of energy** (J.L, Pochon, Salati & Taillet, 2006).
- ⑥ Variance depends on the number of clumps within the volume bounded by diffusion length  $\lambda_D$ : increases when the population when  $\lambda_D$  decreases ( $\sim 1/\sqrt{N_{\text{eff}}}$ ).
- ⑥ **The recipe applies to any kind of sources**
- ⑥ **Predictions for N-body-like models ???**

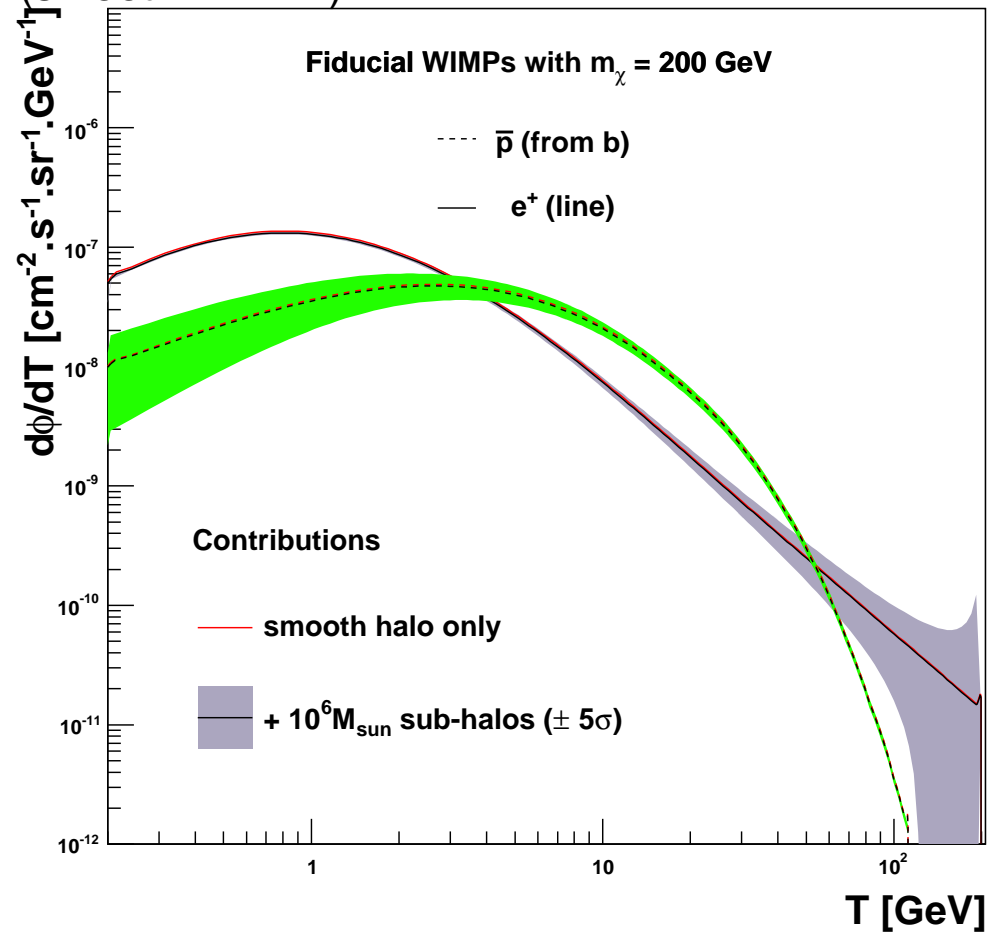
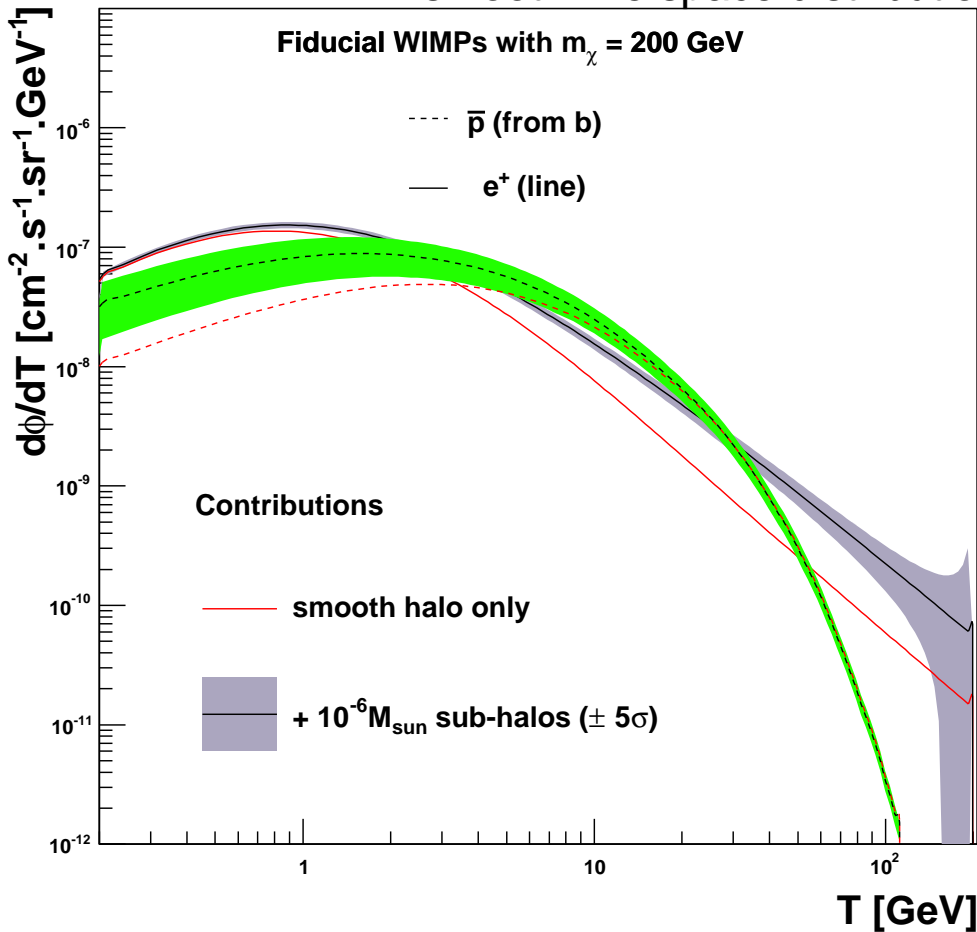


Lavalle et al,

A&A 462 (2007)

# Primary fluxes for a 200 GeV $e^+$ line / antiprotons

Configurations:  $M_{\min} = 10^{-6} | 10^6 M_{\odot}$ ,  $\alpha_m = 2.0$ , inner-NFW,  
 B01,  
 smooth-like space distribution (smooth = NFW)

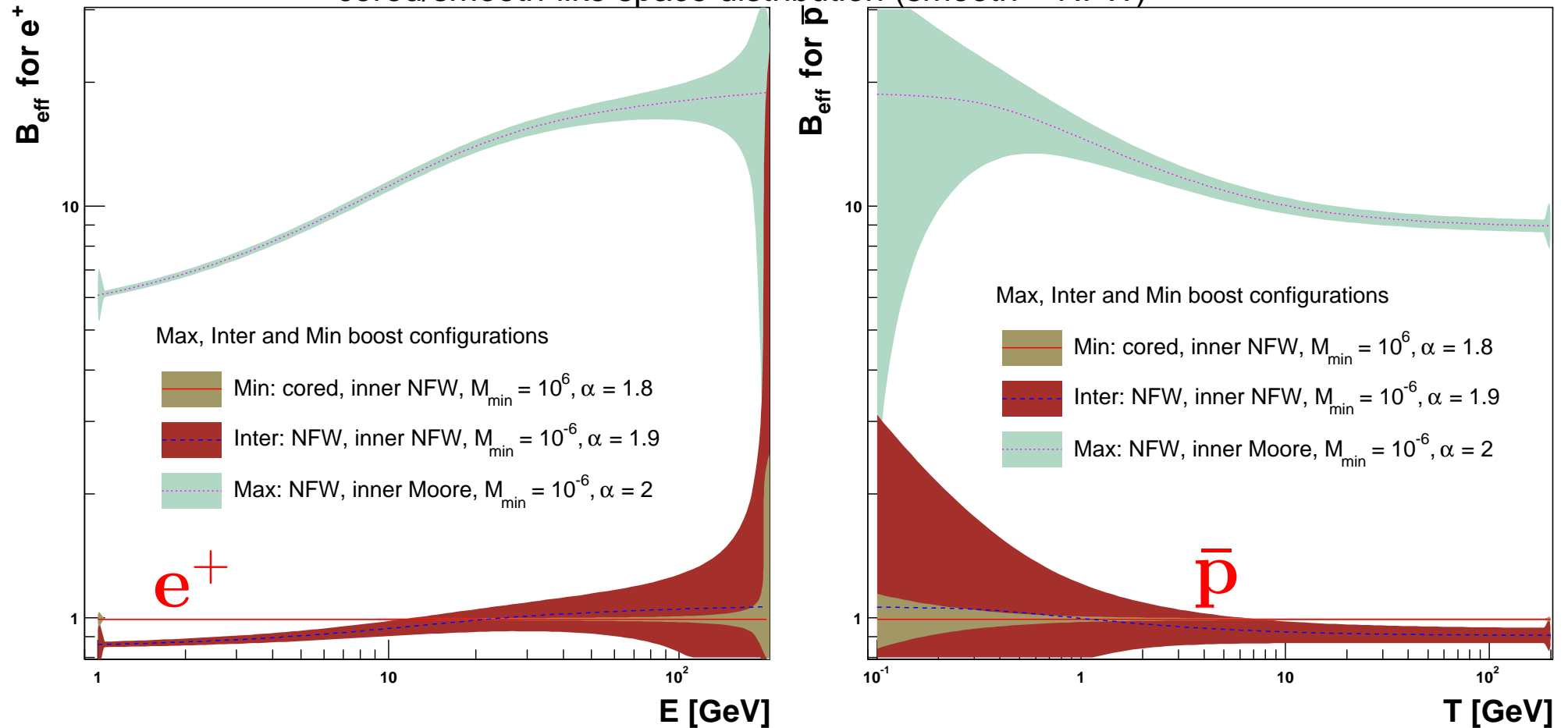


Lavalle, Maurin et al – A&A 429, 427 (2008)

Lavalle, Nezri et al – PRD 78 (2008)

# Boost factors for a 200 GeV $e^+$ line / antiprotons

**Extreme configurations**  $M_{\min} = 10^{-6} | 10^6 M_{\odot}$ ,  $\alpha_m = 1.8 | 2.0$ ,  
 inner-NFW/Moore, B01/ENS01,  
 cored/smooth-like space distribution (smooth = NFW)

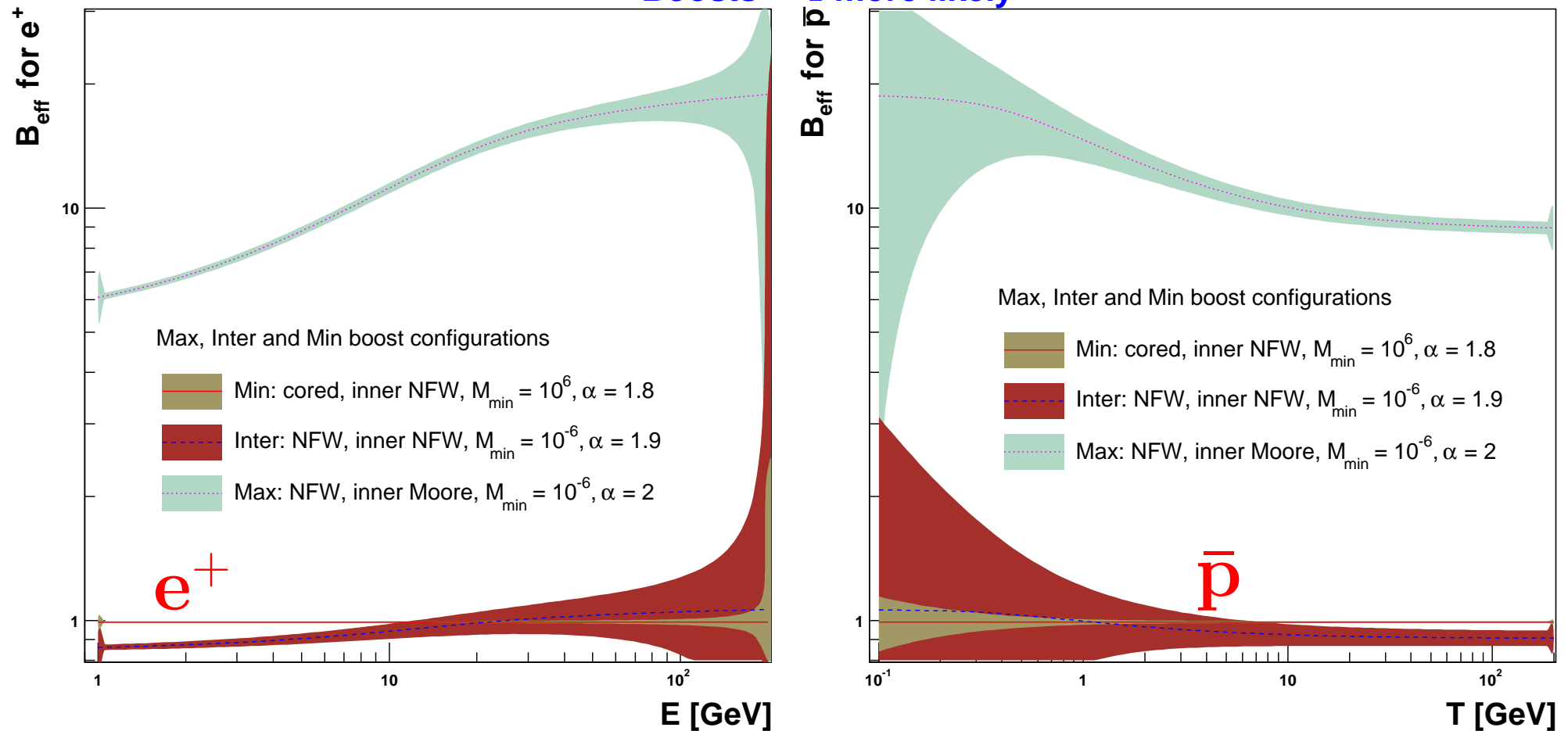


Lavalle, Yuan, Maurin & Bi – A&A 429, 427 (2008)

# Boost factors for a 200 GeV $e^+$ line / antiprotons

**Small concentration models favored !!!**  
 (e.g. Neto et al (2007), Springel et al (2008) – Aquarius)

Boosts  $\sim 1$  more likely



Lavalle, Yuan, Maurin & Bi – A&A 429, 427 (2008)

## implementing tools for $\gamma$ -rays and cosmic rays

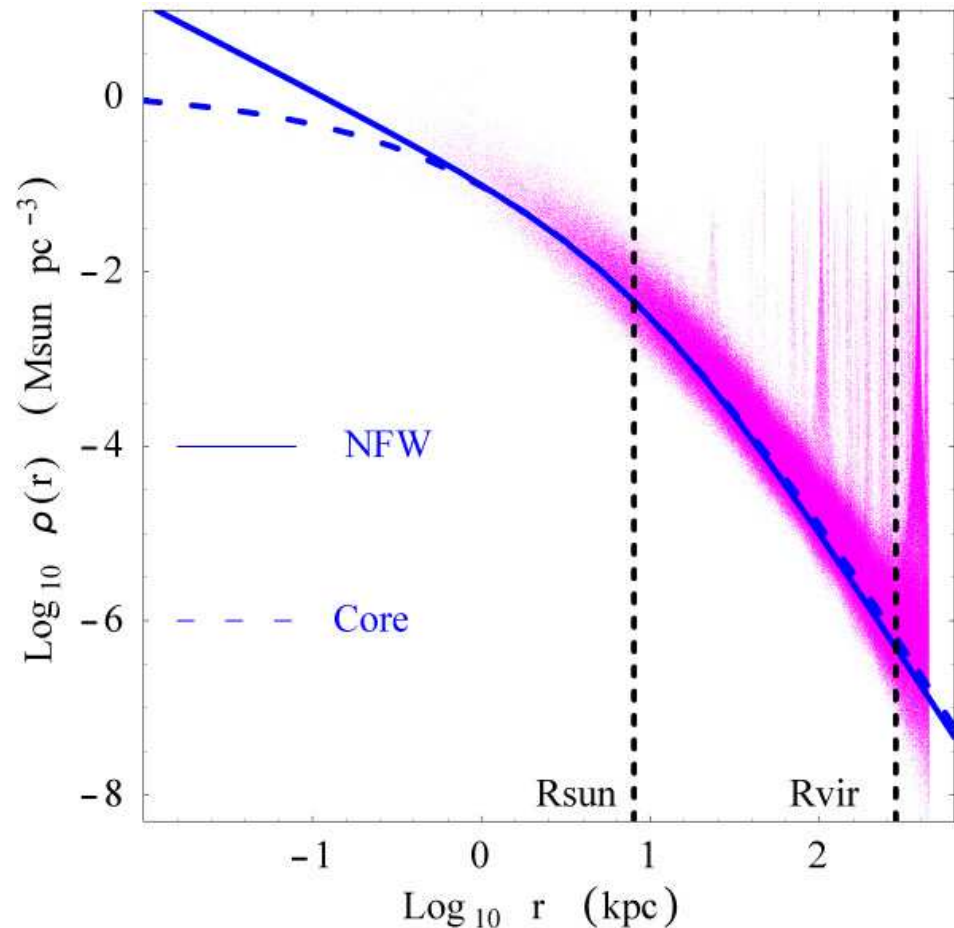
(PRD 78 (2008))

Lavalle, Nezri, Ling, Athanassoula & Teyssier)

Athanassoula, Ling, Nezri & Teyssier  
(arXiv:0801.4673)

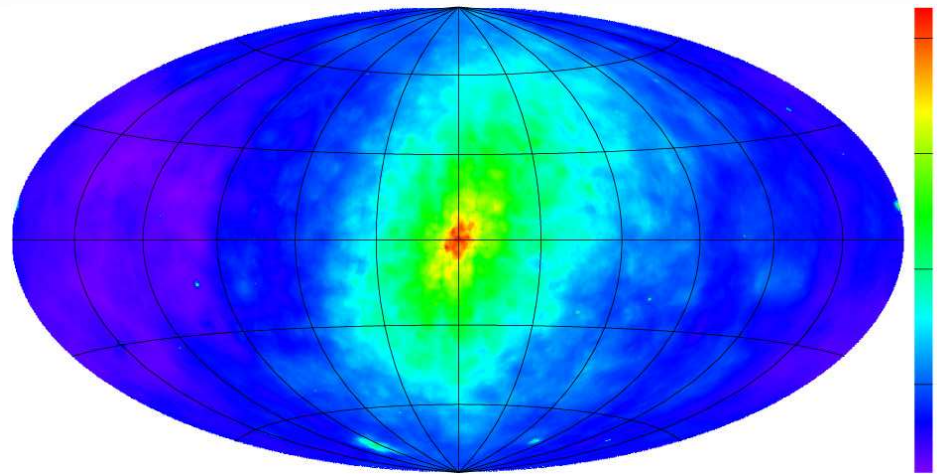
- ⑥ N-body data from the HORIZON Project (Teyssier, 2002) –  
 $M_{\text{res}} = 10^6 M_{\odot}$  ;  $L_{\text{res}} = 200 \text{ pc}$
- ⑥ Analysis already made for  $\gamma$ -rays (arXiv:0801.4673) – but not as good as Diemand et al(2008) or Springel et al (2008)
- ⑥ 1<sup>st</sup> trial for GCRs: study of the effects due to actual density fluctuations and departure from spherical symmetry

**Results:**  $\sim$  1-2 order of magnitude uncertainty on antimatter flux (local density fluctuations or asphericity), but still below the data: no excess expected below 100 GeV.

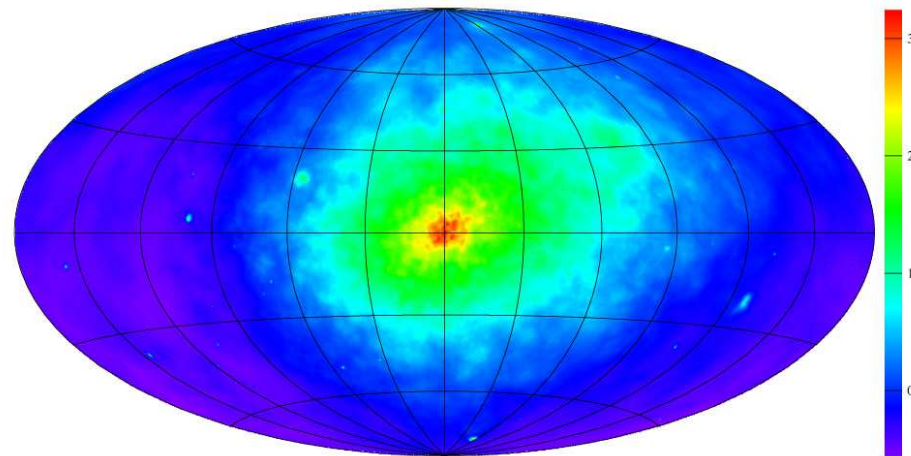




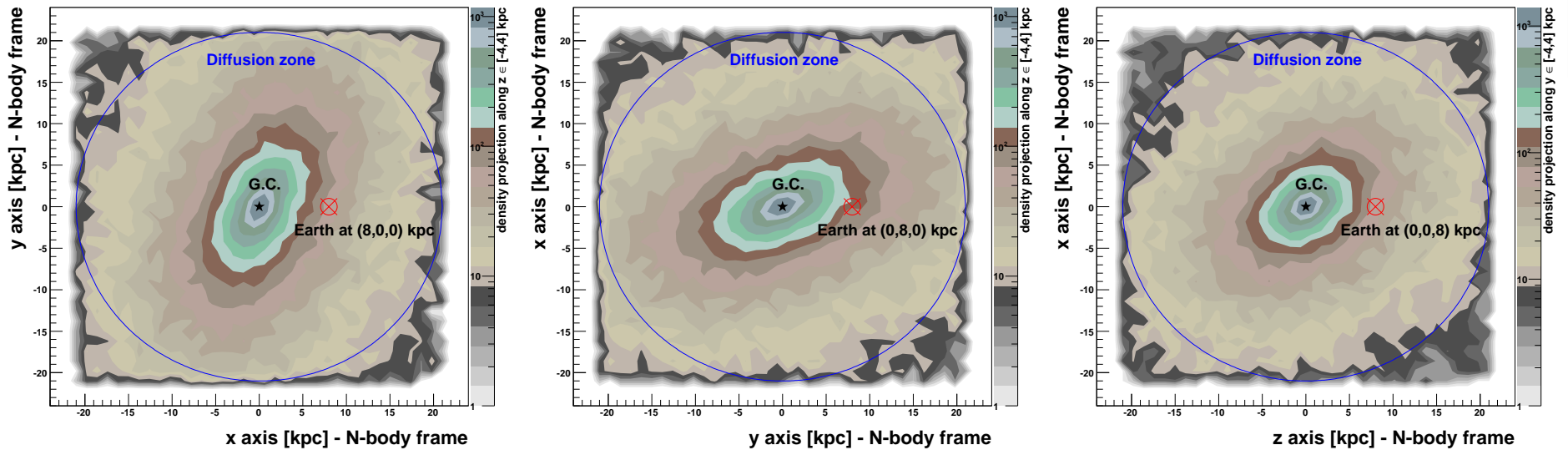
## *implementing tools for $\gamma$ -rays and cosmic rays*



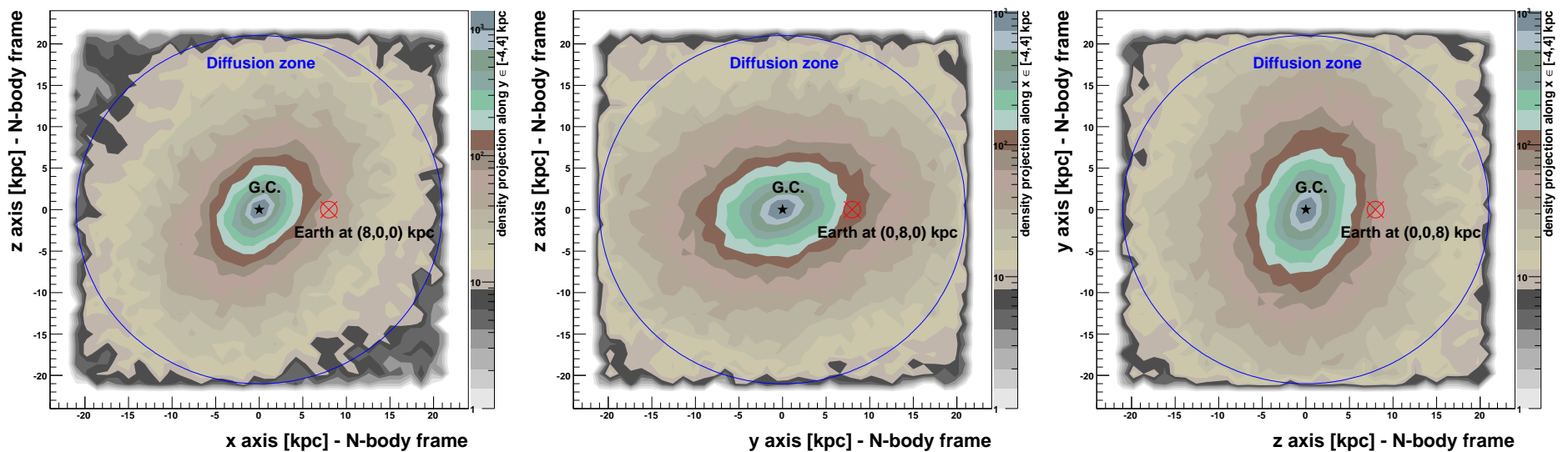
Athanassoula, Ling, Nezri & Teyssier  
(arXiv:0801.4673)



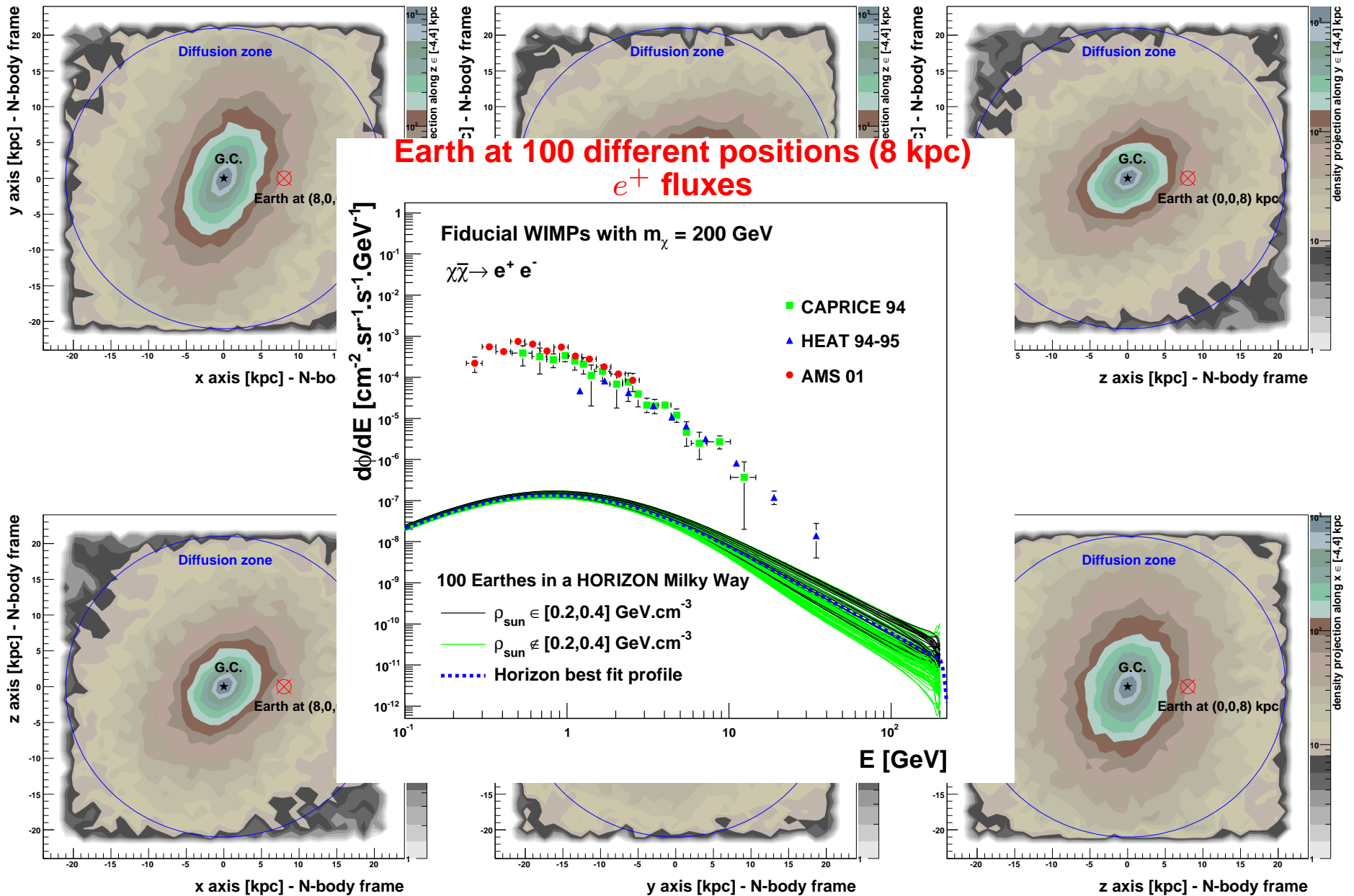
## implementing tools for $\gamma$ -rays and cosmic rays



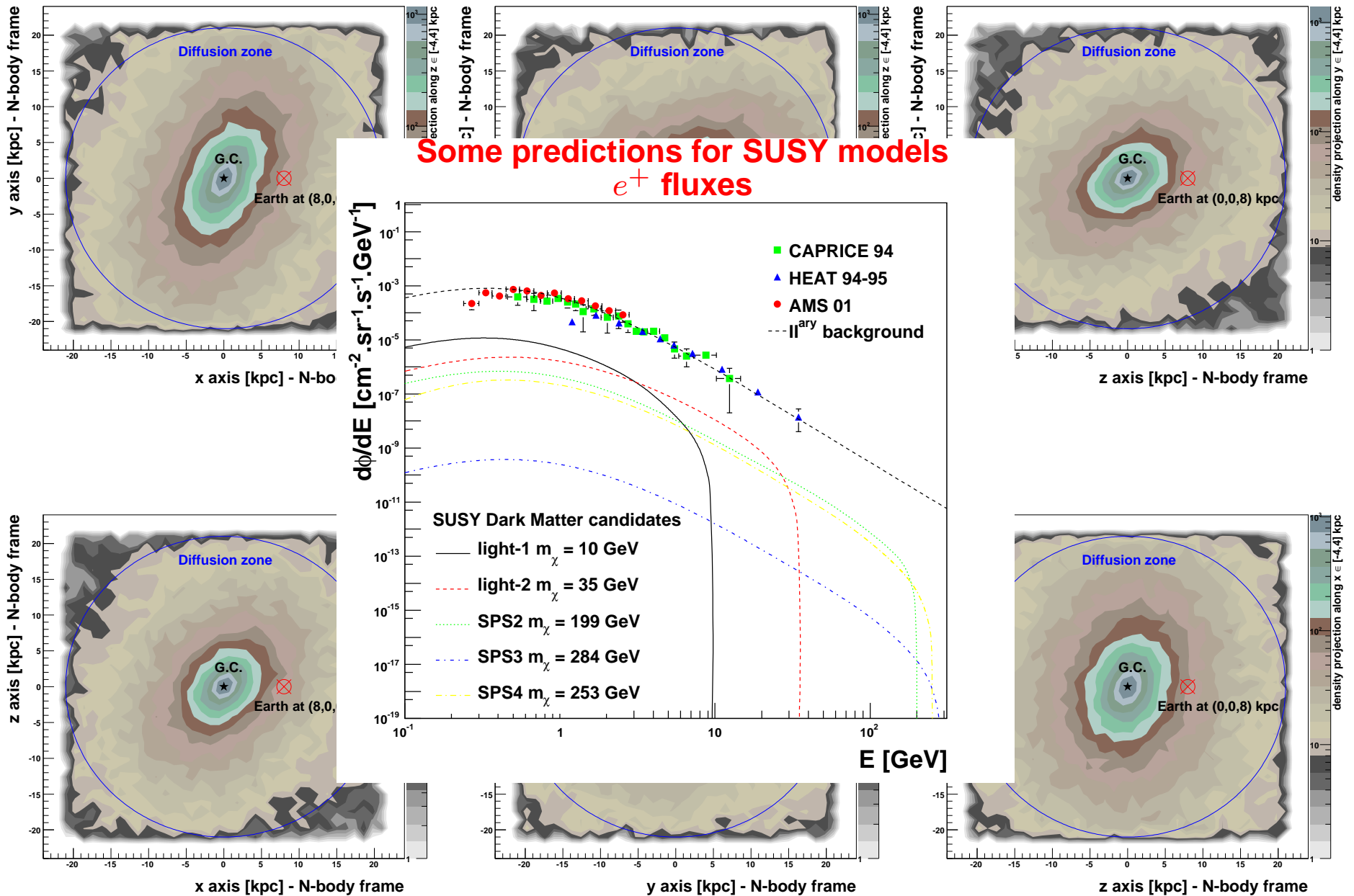
### Earth at different positions (8 kpc)



## implementing tools for $\gamma$ -rays and cosmic rays

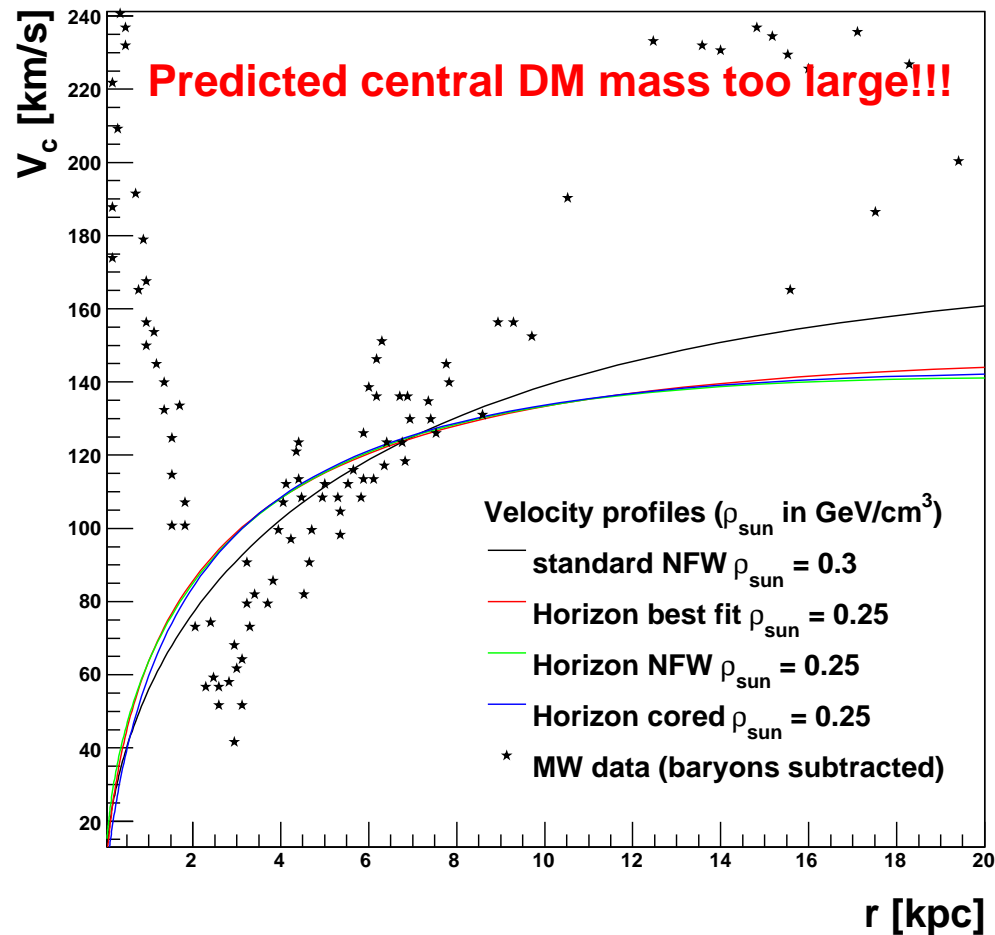


## implementing tools for $\gamma$ -rays and cosmic rays



# CAVEATS: too simplistic galaxy model?

Rotation curves with baryon contribution (COBE/DIRBE inferred) subtracted  
(Englmaier & Gerhard 2006)



Lavalle, Nezri et al – PRD 78 (2008)

# ***HORIZON: with baryons !!!***



Agertz, Teyssier & Moore (2009)

Exotic + standard cosmic ray study

Lavalle, Ling, Nezri & Teyssier (in prep)



## the necessity/tools to understand the backgrounds

### Sources / Transport / Backgrounds

GLAST  
HESS I  
HESS II



**Sources:**  
SNRs, Shocks,  
Superbubbles

Particle acceleration  
Photon emission

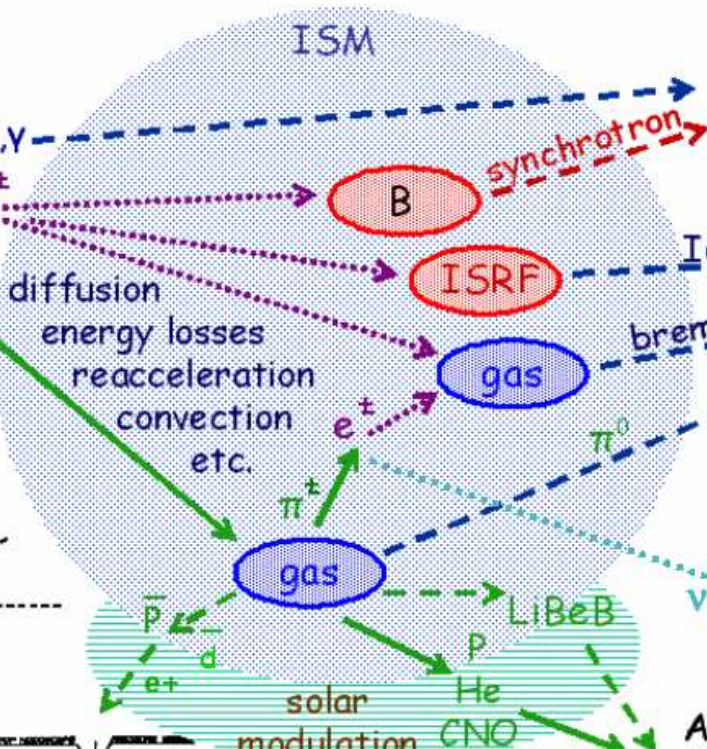
X, γ

$e^+$

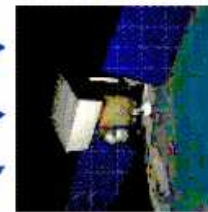
p

He

CNO



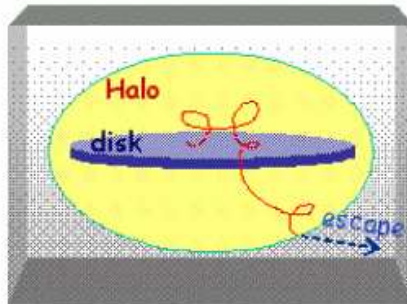
Chandra



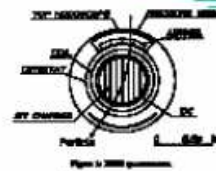
GLAST, HESSII  
AS-γ, ARGO  
AMS-γ



ANTARES  
km3



Adapted from Moskalenko et al. (2004)



PAMELA  
BESS  
AMS  
GAPS



ACE  
PAMELA  
AMS  
CREAM

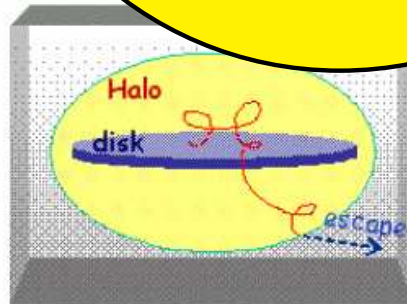
## the necessity/tools to understand the backgrounds

### Sources / Transport / Backgrounds

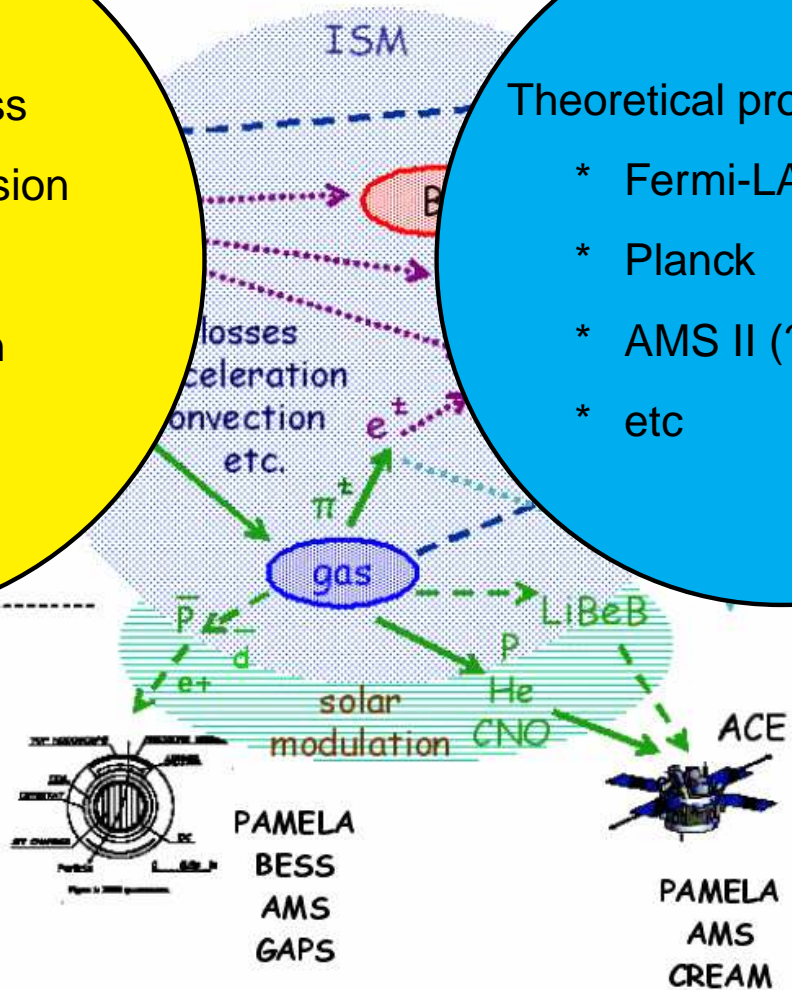
GLAST  
HESS I  
HESS II

- Still unclear:
- \* positron excess
  - \* 511 keV emission
  - \* WMAP haze
  - \* GeV excess in diffuse  $\gamma$ -rays
  - \* (DAMA ?)

- Theoretical progresses +:
- \* Fermi-LAT (+CTA)
  - \* Planck
  - \* AMS II (?)
  - \* etc



Adapted from Moskalenko et al. (2004)



ANTARES  
km<sup>3</sup>

# Summary



## ⑥ **Dark Matter: a link between LHC physics, astrophysics and cosmology**

### On the positron fraction:

⑥ Standard sources are likely enough

⑥ Dark matter may contribute, but needs very specific properties (strong couplings to leptons, Sommerfeld enhancement)

⑥ Nearby dark sources or clumpiness enhancement are strongly disfavored

⑥ **Hard to infer a dark matter origin when astrophysical sources explain the observations easily**

⑥ **Need much better estimates of theoretical uncertainties!!! (sources & propagation)**

⑥ Need much better constraints on propagation parameters: PAMELA, Fermi results (e.g. CREAM, AMS-02 later)

⑥ **Complementarity with other messengers ( $\gamma, \bar{p}$ ) and detection methods! In particular,  $\gamma$ -rays from Dwarf spheroidal galaxies or antideuteron cosmic rays ... and LHC!**